

Designing Microfluidic PCR Chip Device Using CFD Software for the Detection of Malaria

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SUPPLEMENTARY MATERIAL

S1:

Optimized Real-Time PCR Procedure for Malaria Detection in Low Level Parasite

Blood samples of 1 mL were drawn into sterile tubes containing EDTA. An aliquot of 500 µL were stored and used for DNA extraction. The DNA was extracted using 500 µL TE buffer.

Low concentration of primer sequence of M60 and M61 and real time probe M62 were used as PCR mixture. The PCR mixture contain 500 nM of each primer M60 (5' ACA TGG CTA TGA CGG GTA ACG3') and M61 (5' TGC CTT CCT TAG ATG TGG TAG CTA3') and 300 nM of M62 (5' FAMTM-TCA GGC TCC CTC TCC GGA ATC GA-TAMRATM3'). The thermal cycler was set at 95°C for 10s (denaturation), 58°C for 15s (annealing) and 72°C (extension) for 20s. The PCR mixture of 25 µL was added to 5 µL DNA sample.

S2:

Viscosity Calculation

Falkenhagen Theory was used to evaluate the viscosity of PCR mixture and sample [1].

$$\frac{\mu_{solution}}{\mu_{solvent}} = 1 + A\sqrt{C_{solute}}$$

$\mu_{solution}(P)$ is the viscosity of the solution.

$\mu_{solvent}(P)$ is the viscosity of the solvent.

$C_{solute}(M)$ is the molar concentration of the solution.

A is a constant, dependent on the electrostatic forces of attraction.

$$A = 0.1365$$

For PCR mixture:

$$C_{PCR\ mix} = \frac{C_{M60}V_{PCRmix} + C_{M61}V_{PCRmix} + C_{M62}V_{PCRmix}}{V_{PCRmix}}$$

$$C_{PCR\ mix} = \frac{(C_{M60} + C_{M61} + C_{M62})V_{PCRmix}}{V_{PCRmix}}$$

$$C_{PCR\ mix} = (C_{M60} + C_{M61} + C_{M62})$$

$$C_{PCR\ mix} = \frac{500 + 500 + 320}{1000000000} = 1.32 \times 10^{-6} M$$

$$\frac{\mu_{PCR\ mix}}{\mu_{Water}} = 1 + A\sqrt{C_{PCR\ mix}}$$

$$\frac{\mu_{PCR\ mix}}{0.4665} = 1 + 0.1365\sqrt{1.32 \times 10^{-6} M}$$

$$\frac{\mu_{PCR\ mix}}{0.4665\ P} = 1 + 0.1365\sqrt{1.32 \times 10^{-6} M}$$

$$\mu_{PCR\ mix} = 0.46657\ P$$

Results show that the viscosity of the PCR mixture is the same as the viscosity of the solvent water.

For sample concentration calculation:

$$C_{Sample} = \frac{C_{EDTA}V_{EDTA} + C_{Tris}V_{Tris}}{V_{sample}}$$

$$C_{sample} = \frac{(1.0\ M \times 5\ mL + 0.5M \times 1mL)}{500mL}$$

$$C_{sample} = 0.011M$$

For Sample:

$$\frac{\mu_{sample}}{\mu_{water}} = 1 + A\sqrt{C_{sample}}$$

$$\frac{\mu_{sample}}{0.4665} = 1 + 0.1365\sqrt{0.011}$$

$$\mu_{sample} = 0.4731$$

To calculate for the viscosity of the solution ($v_{solution}$) containing the sample and PCR mixture REFUTAS equation was used.

$$v_{solution} = e^{\left[\frac{(VBI_{solution} - 10.975)}{14.534} \right]} - 0.8$$

$$VBI_{solution} = w_{sample} \times VBI_{TE} + w_{PCR\ mix} \times VBI_{PCRmix}$$

Where:

W_{sample} is the mass fraction of the sample in the solution.

W_{PCRmix} is the mass fraction of PCR mixture in the solution.

VBI is the viscosity blending index calculated using the formula.

$$VBI_{sample} = 14.534 \times \ln(\ln(v_{sample} + 0.8)) + 10.975$$

$$VBI_{PCR\ mix} = 14.534 \times \ln(\ln(v_{PCR\ mix} + 0.8)) + 10.975$$

Where:

v is the kinematic viscosity which is the given by the equation below

$$v = \frac{\mu}{\rho}$$

$$\rho_{sample} = 1.015$$

$$\rho_{PCR\ mix} = \frac{m_{M60} + m_{M61} + m_{M62} + m_{solvent}}{V_{PCR\ mix}}$$

$$\rho_{PCR\ mix} = \frac{\left(5 \times 10^{-7} Mx \frac{6574mg}{mmol} + 5 \times 10^{-7} Mx \frac{7429mg}{mmol} + 3 \times 10^{-7} M \frac{7049mg}{mmol} \right) \times 25mL + 25mg}{25\mu l}$$

$$\rho_{PCR\ mix} = 1.009$$

Kinematic viscosity:

$$v_{sample} = \frac{\mu_{sample}}{\rho_{sample}} = \frac{0.4731}{1.015} = 0.4661\ St$$

$$v_{PCR\ mix} = \frac{\mu_{PCR\ mix}}{\rho_{PCR\ mix}} = \frac{0.46657}{1.009} = 0.4624\ St$$

Viscosity Binding Index

$$VBI_{sample} = 14.534 \times \ln(\ln(0.4661 + 0.8)) + 10.975 = -10.0146$$

$$VBI_{PCR\ mix} = 14.534 \times \ln(\ln(0.4624 + 0.8)) + 10.975 = -10.1960$$

$$w_{sample} = \frac{1.015 \frac{g}{ml} \times 5 \times 10^{-3} ml}{1.015 \frac{g}{ml} \times 5 \times 10^{-3} ml + 25.225 mg/1000} = 0.1675$$

$$w_{PCR\ mix} = 1 - 0.1675 = 0.8325$$

$$VBI_{solution} = 0.1675 \times (-10.0146) + 0.8325 \times (-10.1960) = -10.1657$$

$$v_{solution} = e^{e^{\left[\frac{(-10.1657-10.975)}{14.534}\right]}} - 0.8 = 0.4630\ P$$

The viscosity of water at 60 °C is 0.467 P and the calculated viscosity of solution is 0.463 P. Since the viscosity difference is minimal, water properties were used in the simulation.

S3:

Design Calculation

To calculate for the time consumed in each cycle:

$$t = \left[\frac{V_{FR}(L_D + L_E + 2(L_A - L_{EG}) + \pi r_p + 3 L_E + 4 L_S)}{\pi r_c^2 + L_C x W_C} \right] x C_N$$

$$t_A = \frac{2(L_A - L_{EG}) + \pi r_p}{V}$$

$$t_E = \frac{3L_E}{V}$$

$$t_D = \frac{L_D}{V}$$

$$V = \frac{V_{FR}}{A_{CS}}$$

$$A_{CS} = \pi r_c^2 + L_C x W_C$$

Where:

t is the time consumed in second.

t_{Ais} is the time consumed for annealing in second.

t_{Eis} is the time consumed for annealing in second.

t_{Dis} is the time consumed for annealing in second.

V is the velocity in micrometer per second.

V_{FR} is the volumetric flowrate in cubic micrometer per second.

L_D is the length of the denaturation copper plate in micrometer.

L_E is the length of the extension copper plate in micrometer.

L_A is the length of the annealing copper plate in micrometer.

L_{EG} is the length of the edge gap of the fluid path to the edge of annealing copper plate in micrometer.

L_S is the length of the space in micrometer.

r_p is the radius of the path design in micrometer.

r_c is the radius of the fluid path cross section in micrometer.

L_c and W_c are the length and width of the fluid path cross section in micrometer.

A_{CS} is the cross-sectional area of the fluid path in square micrometer.

C_{No} is the number of cycles in the design.

Reference

- [1] X.D. Yang, R.V.N. Melnik, Effect of internal viscosity on Brownian dynamics of DNA molecules in shear flow, *Comput Biol Chem.* 31 (2007) 110–114. <https://doi.org/10.1016/J.COMPBIOLCHEM.2007.02.010>.