

Article

Data-Driven Construction Method of Material Mechanical Behavior Model

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Abstract: To obtain the mechanical behavior response of the material under loading, a data-driven construction method of material mechanical behavior model is proposed, which is universal for predicting the mechanical behavior of any material under different loads. Based on the framework of artificial intelligence and finite element simulation, the method uses Python script to drive an Abaqus loop calculation to obtain data sets and performs artificial intelligence training on data sets to realize model construction. In this paper, taking the quasi-static tension of 9310 steel as an example, a material mechanical behavior model is constructed, and the accuracy of the prediction model is verified based on the experimental data. The results show that the simulation results are in good agreement with the experimental data. The error between the simulation results and the experimental results is within 2%, indicating that the model constructed by this method can effectively predict the mechanical properties of materials.

Keywords: mechanical behavior; artificial neural network; finite element simulation



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1. Introduction

The mechanical properties of a material are the properties it behaves with under external loads, and there are noticeable differences with different loads. In practical engineering problems, only by fully understanding the mechanical properties of materials can the service environment of materials be reasonably formulated, thereby ensuring their safety and reliability during service.

Conducting experiments is the most direct and effective way to obtain the mechanical behavior of materials. Scholars have constructed material constitutive models [1–3] using experiments to describe the stress–strain response of materials, and then study the mechanical properties of materials. Xin, X. [4] conducted compression experiments on TB8 titanium alloy at room temperature, studied the flow stress behavior of TB8 by analyzing stress–strain curves of titanium alloy with different strain rates, and finally established a dynamic plastic mathematical model of TB8 material. Cheng, Y. [5] conducted a series of dynamic tensile tests on Q235 steel using MTS material testing machine, Instron high-speed material testing machine, and Hopkinson bar. Then, they obtained stress–strain curves of different strain rates, and further studied the dynamic mechanical properties of Q235 steel. Based on a comprehensive analysis of experimental data, Gardner, L. [6] developed a predictive expression of material behavior, which can express the entire stress–strain response of cold-formed steel. Kweon, H.D. [7] and Zhao, K. [8], using typical tensile experiments combined with the method of finite element analysis, obtained the true stress–strain curve of the entire strain range of the material to analyze the mechanical properties of the material. The above studies show that the constitutive equation representing the mechanical behavior of materials can be well fitted by using experimental data under

different conditions. Still, the constitutive equation obtained by fitting needs to be modified for other loads and materials, which lacks generality and increases the experimental cost.

In recent years, there has been continuous improvement of numerical simulation computing power; artificial neural networks, machine learning, and other artificial intelligence technologies have developed rapidly; and related advanced algorithms have been applied to many disciplines. Artificial intelligence technology provides new ideas for the research on frontier directions and hot issues of materials [9–13]. Compared with the traditional regression statistical mathematical model, the model constructed by artificial neural network shows superiority in terms of prediction accuracy, computational efficiency, and scope of application [14,15]. Naser M Z [16] used artificial intelligence and machine learning to construct a temperature-dependent material model of structural steel to accurately predict the temperature-dependent thermal and mechanical properties of structural steel. Jang D P [17] proposed a constitutive model based on machine learning to predict the elastic–plastic behavior of J2 plastic material. Artificial neural network was used to replace the nonlinear stress integral in isotropic hardening and related flow criteria under the traditional theoretical constitutive model, which ensured the prediction accuracy and improved the calculation efficiency. Stoffel M [18,19] used artificial neural network to replace the viscoplastic constitutive equation in the finite element to represent the generalized force and displacement relationship, which improved the simulation accuracy. At the same time, they omitted the constitutive calculation iteration process in the traditional finite element method, which significantly reduced the simulation time. Sharath B N [20] has built an artificial neural network framework with three-variable load, speed, and distance as input and weight loss as output. The generalization ability of the neural network is verified with experimental values, indicating that the neural network has established sufficient consistency between the experimental results and the results. Nagaraja, S. [21] has constructed an artificial neural network model to accurately predict the tensile properties of composites, which provides a framework for the prediction of tensile strength properties of composites with different reinforcement compositions and heat treatment conditions. The above literature shows that the artificial neural network can scientifically and reasonably construct the mapping relationship between material characteristics and target quantities, laying the foundation for the application of artificial intelligence in the mechanical properties of materials [22–24].

From the current related research, using artificial neural network to predict the mechanical behavior of materials has great potential in terms of experimental cost and prediction accuracy. Given this, in order to build a universal prediction model of material mechanical behavior, a method is proposed to build a prediction model of material mechanical behavior based on the artificial neural network by generating data sets through numerical simulation. This paper only takes the quasi-static tensile of 9310 steel as an example to build a material mechanical behavior model and verify the accuracy of the model with experimental data. In fact, the mechanical behavior model of materials constructed by this method is not only applicable to the study of quasi-static tensile mechanical behavior, but also applicable to the study of mechanical behavior of other loads and materials.

2. Ideas and Methods

The secondary development of Abaqus software is carried out based on the Python language, and the extracted decision variable combinations are sequentially substituted into the finite element numerical model for numerical solutions. A high-dimensional vector composed of each group of decision variables and their corresponding stress and strain is defined as a sample point. All sample points constitute a sample set, which provides data support for the construction of artificial neural network models. The model construction method is shown in Figure 1, and the key steps are as follows:

- (1) The initial finite element model is established;

- (2) The effects of elastic modulus, yield strength, Poisson's ratio, and other factors on stress–strain are studied, and then the decision variables and their value ranges are determined;
- (3) The method of random sampling is used to extract n groups of parameter combinations in the decision variable space;
- (4) The parameter combinations are substituted into finite element calculations to construct a sample set consisting of decision variables, stress and strain;
- (5) Based on the artificial neural network, the model of the mapping relationship between decision variables and stress and strain is trained separately;
- (6) The mechanical behavior is predicted with the established model, and the reliability of the model is verified by finite element calculation and experimental data.

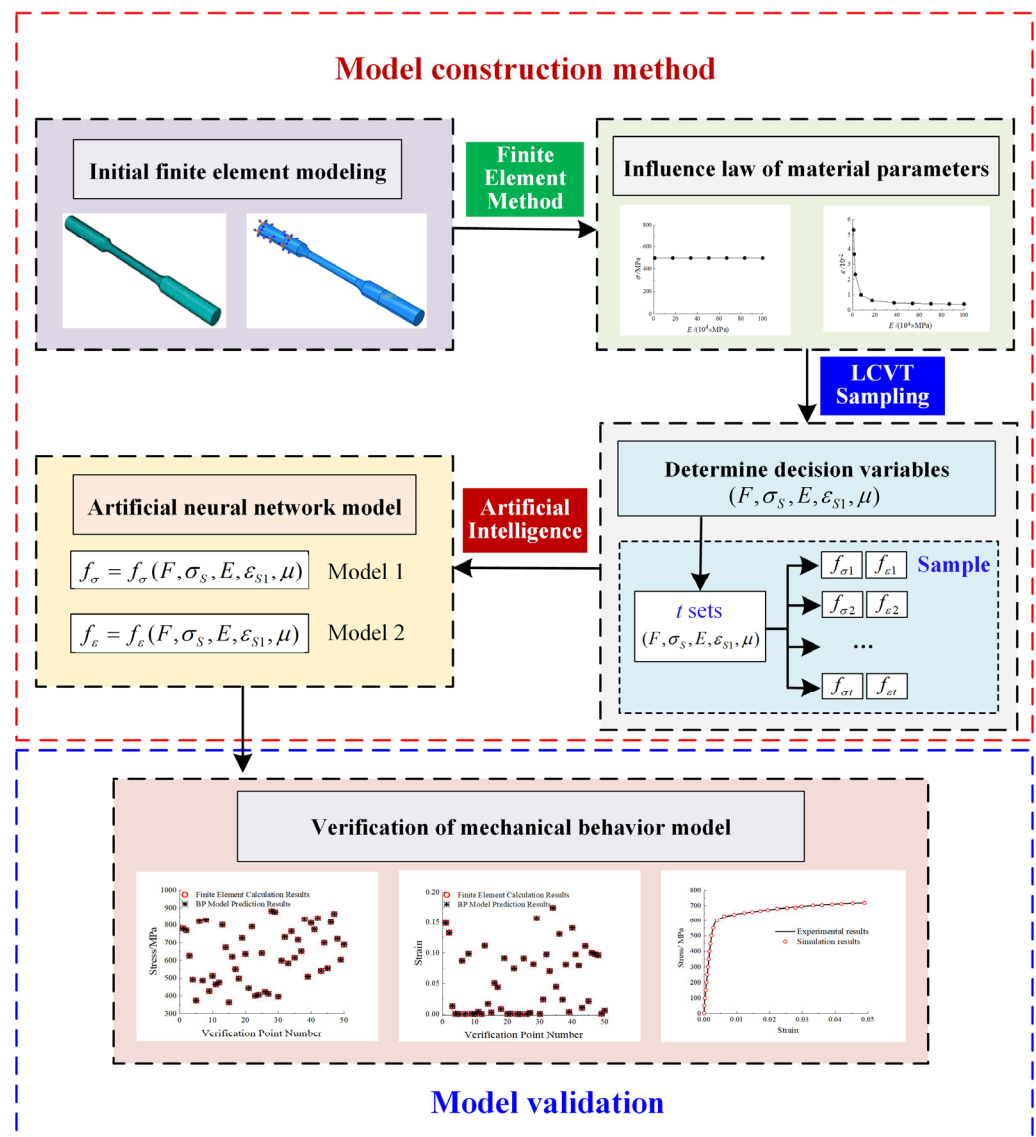


Figure 1. Model construction method.

3. Construction of Mechanical Behavior Model of Materials

3.1. Establishing Finite Element Model

The geometric model of the quasi-static tensile specimen is established, using Solidworks software. The actual specimen is shown in Figure 2 and the specimen drawing is shown in Figure 3. Then, the model is imported into Abaqus for quasi-static tensile analysis. Considering that quasi-static tensile is a large deformation problem, geometric nonlinearity

is turned on during calculation. After many comparisons, the grid size of the sample is set to 1 mm, which not only ensures the accuracy of finite element calculation but also reduces the calculation time. C3D8R solid element is selected to mesh the model, as shown in Figure 4, a total of 14,976 elements and 17,741 nodes are divided.



Figure 2. Tensile specimen.

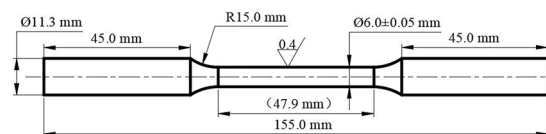


Figure 3. Specimen size drawing.

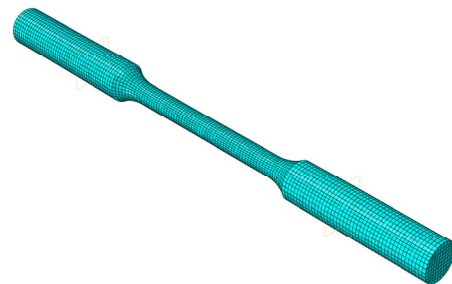


Figure 4. Finite element model.

3.2. Influence Analysis of Material Parameters

In the elastic–plastic bilinear constitutive, the tangent modulus is used to define the mechanical properties of the material in the plastic stage. In this study, the tangent modulus is changed by changing yield strength and plastic point parameters, where the variable is reduced by changing only the plastic strain (ε_{S1}) corresponding to a given plastic stress (σ_{S1}). The control variable method is used to analyze the influence of load (F), yield strength (σ_S), elastic modulus (E), plastic strain (ε_{S1}) and Poisson's ratio (μ) on stress (σ) and strain (ε). In order to accurately obtain the influence of each variable on the mechanical behavior of materials, the value range of each variable should be large enough. The value range of F is 0~25,000 N, the value range of σ_S is 400~700 MPa, the value range of E is $1 \times 10^4 \sim 1 \times 10^6$ MPa, the value range of ε_{S1} is 0.001~0.3, and the value range of μ is 0.1~0.45.

Taking E as an example, the method of analyzing the influence of material parameters on stress and strain is illustrated. If the yield strength of the material is given, the material in the elastic stage or the plastic stage is affected by the amplitude of the load. To distinguish between the two stages, F is given as 10,000 and 14,000, respectively, when calculating the elastic- and the plastic-phase laws. Only the elastic modulus is changed at each stage, and other parameters remain unchanged. Among them, μ is 0.33, σ_S is 400 MPa, σ_{S1} is 1000 MPa, and ε_{S1} is 0.0032. The $E - \sigma$ and $E - \varepsilon$ curves are shown in Figure 5.

In Figure 5, in both stages, the stress does not change with the increase in E ; the strain decreases with the increase in E , showing an inverse proportional trend. This method is used to obtain the influence law of F , σ_S , E , ε_{S1} , and μ on σ and ε . The results show that the five variables have an influence on stress and strain, and the influence law of decision variables on stress and strain is monotonous.

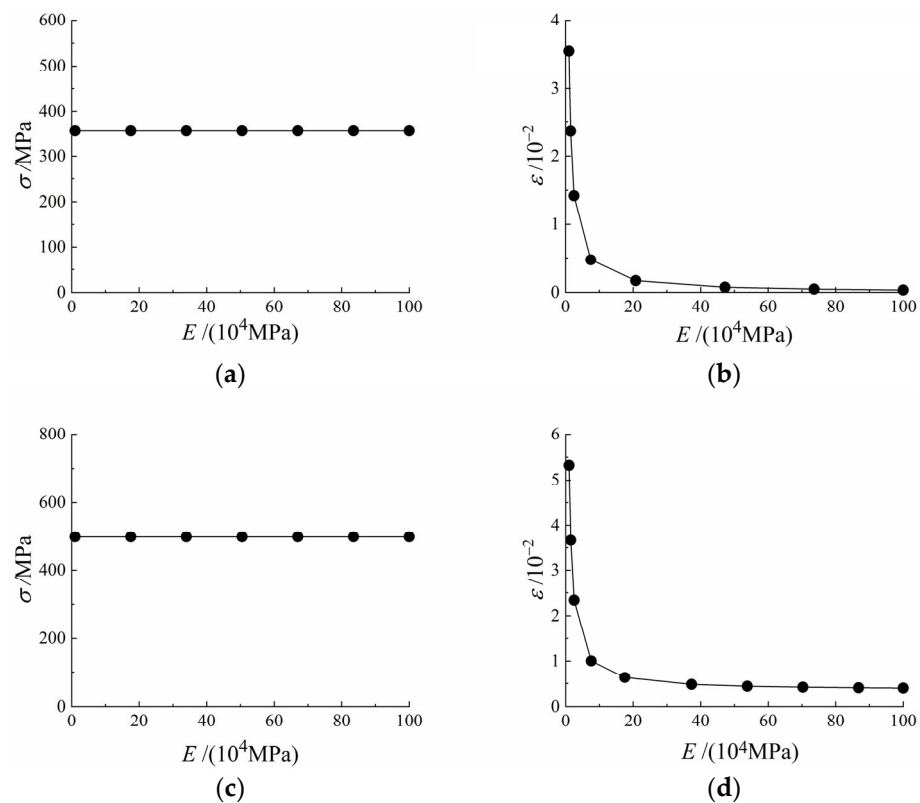


Figure 5. Influence law of E on stress and strain: (a) influence law of elastic stage E on stress; (b) influence law of elastic stage E on strain; (c) influence law of plastic stage E on stress; (d) influence law of plastic stage E on strain.

3.3. Obtain Training Sample Set

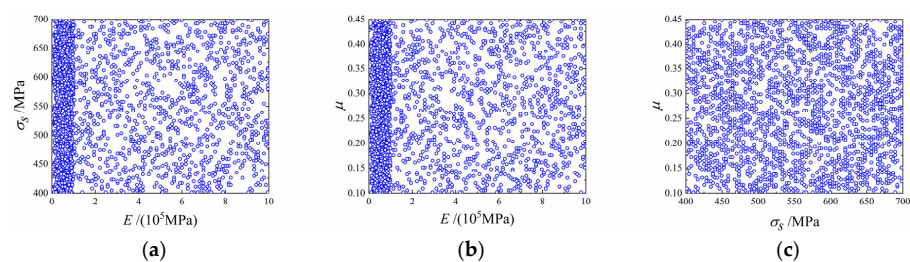
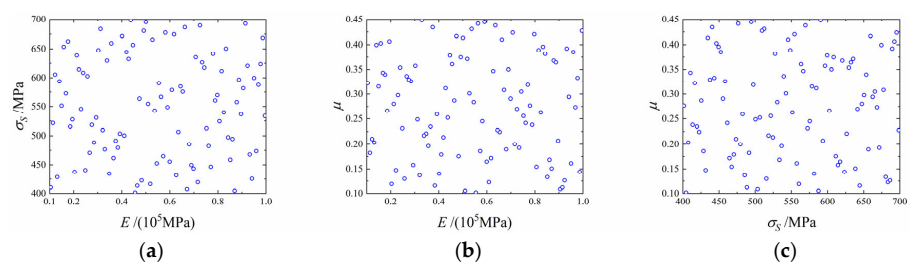
A reasonable and effective data set is the premise and foundation of training an artificial neural network. In multidimensional continuous sample space, it is difficult to traverse all sample points, so it is necessary to discretize the multidimensional continuous parameter space reasonably. The core of reasonable discretization is to ensure that sample points uniformly fill the entire parameter space to fully represent the data characteristics of the entire sample space. In this paper, the Latin centroidal Voronoi tessellations (LCVT) sampling method [25] is used to sample decision variables in a continuous multidimensional space. In fact, in selecting sampling methods, a variety of methods can be compared and selected according to needs, not limited to the sampling method adopted in this paper.

As mentioned above, it is known that F , σ_s , E , ε_{s1} , and μ have influence on the stress and strain, so five variables are used as decision variables. Considering the actual situation, the sampling range is consistent with that mentioned above. In the 5-dimensional space defined by the five value ranges, the 5-dimensional vector formed by each set of F , σ_s , E , ε_{s1} , and μ is a group of decision variables. The LCVT sampling method is adopted to traverse the 5-dimensional space, and 2400 groups of decision variables are uniformly and randomly selected. For variables that span orders of magnitude, the method of sampling each order of magnitude is used to ensure that the variables can be uniformly sampled in each order of magnitude. The sampling groups are shown in Table 1. The extracted decision variables are successively put into the finite element model to calculate the corresponding σ and ε . The 7-dimensional vector formed by each group of F , σ_s , E , ε_{s1} , μ , σ , and ε is a sample point, and 2400 sample points constitute a sample set.

Table 1. Sampling groups.

Group Number	Quantity/Points	F/N	σ_S/MPa	E/MPa	ε_{S1}	μ
1	100	0~100	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.001~0.01	0.1~0.45
2	100	0~100	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.01~0.1	0.1~0.45
3	100	0~100	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.1~0.3	0.1~0.45
4	100	0~100	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.001~0.01	0.1~0.45
5	100	0~100	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.01~0.1	0.1~0.45
6	100	0~100	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.1~0.3	0.1~0.45
7	100	100~1000	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.001~0.01	0.1~0.45
8	100	100~1000	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.01~0.1	0.1~0.45
9	100	100~1000	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.1~0.3	0.1~0.45
10	100	100~1000	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.001~0.01	0.1~0.45
11	100	100~1000	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.01~0.1	0.1~0.45
12	100	100~1000	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.1~0.3	0.1~0.45
13	100	1000~10,000	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.001~0.01	0.1~0.45
14	100	1000~10,000	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.01~0.1	0.1~0.45
15	100	1000~10,000	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.1~0.3	0.1~0.45
16	100	1000~10,000	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.001~0.01	0.1~0.45
17	100	1000~10,000	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.01~0.1	0.1~0.45
18	100	1000~10,000	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.1~0.3	0.1~0.45
19	100	10,000~25,000	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.001~0.01	0.1~0.45
20	100	10,000~25,000	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.01~0.1	0.1~0.45
21	100	10,000~25,000	400~700	$1 \times 10^4 \sim 1 \times 10^5$	0.1~0.3	0.1~0.45
22	100	10,000~25,000	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.001~0.01	0.1~0.45
23	100	10,000~25,000	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.01~0.1	0.1~0.45
24	100	10,000~25,000	400~700	$1 \times 10^5 \sim 1 \times 10^6$	0.1~0.3	0.1~0.45

Take the three variables E , μ , and σ_S as examples to show the sampling results, as shown in Figure 6. The number of variable groups at each magnitude is the same in the sampling group; therefore, “local encryption” phenomenon is presented in the whole space. Still, the problem of not being able to extract data points from some regions in the whole space is solved. Meanwhile, for the independent 5-dimensional space of each group, the sampling distribution is uniform, which is illustrated by the three variables in the first group, as shown in Figure 7.

**Figure 6.** Sampling distribution of spatial variables: (a) $E - \sigma_S$; (b) $E - \mu$; (c) $\sigma_S - \mu$.**Figure 7.** Sampling results of the first group of three variables: (a) $E - \sigma_S$; (b) $E - \mu$; (c) $\sigma_S - \mu$.

3.4. Obtain Mechanical Behavior Model

The artificial neural network has become an effective method to study the relationship between decision variables and objective function. A typical example is the back propagation (BP) neural network, a gradient descent learning algorithm based on the error back-propagation mechanism. According to the influence law of each decision variable on stress and strain, it is suitable to use BP neural network to establish a mapping relationship model. Based on BP neural network, the mapping relationship between decision variables and material stress and strain is constructed, which can be expressed as Equation (1):

$$\begin{cases} \sigma = f_{\sigma}(E, \mu, \sigma_s, \varepsilon_{s1}, F) \\ \varepsilon = f_{\varepsilon}(E, \mu, \sigma_s, \varepsilon_{s1}, F) \end{cases} \quad (1)$$

In the sample set, 50 groups of data are randomly selected as test samples, and other data were used as training samples. BP neural network is composed of input layer, hidden layer, and output layer. After many comparisons, it is determined that the neural network constructed by two hidden layers with neurons of 10 and 5, respectively, has the best effect. The schematic diagram of the network is shown in Figure 8. The training function of the network, the activation function of the hidden layer, and the activation function of the output layer are 'tansig', 'tansig', and 'purelin', respectively. The target error is 10^{-8} , the learning rate is 0.005, and the maximum number of iterations is 1000. Thereby, the mapping relationship model is obtained. The mapping relationship model is used to predict the mechanical behavior and compare it with the actual value to verify the accuracy of the model, as shown in Figure 9.

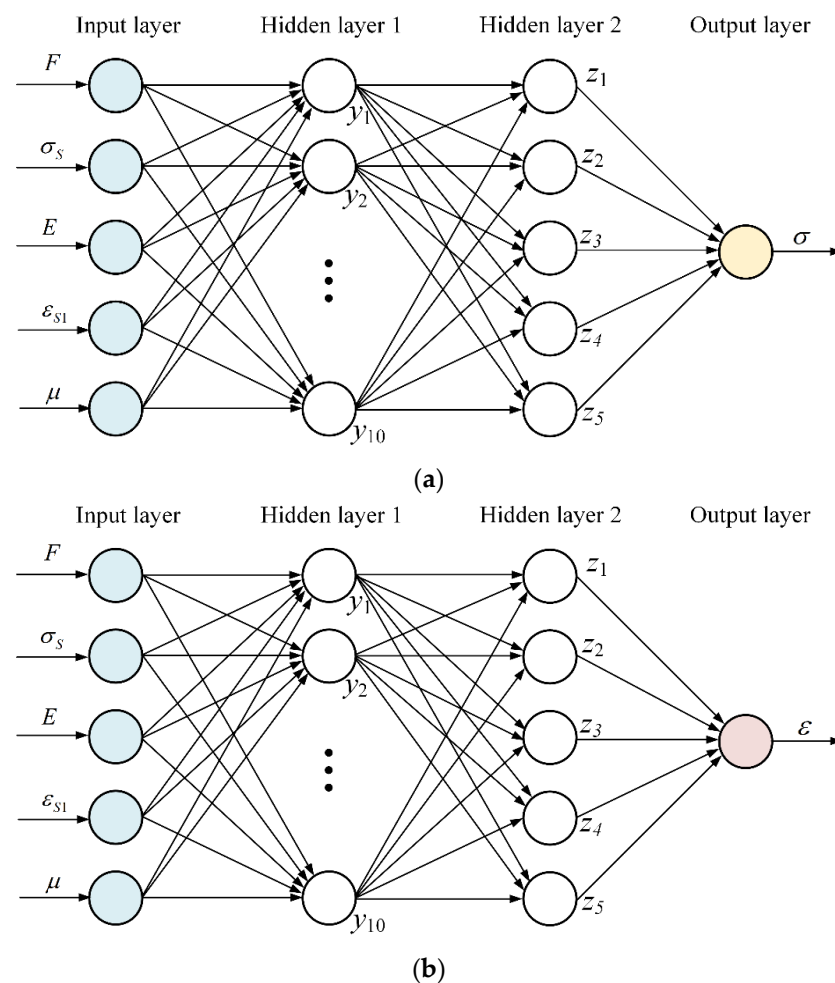


Figure 8. ANN structure diagram: (a) stress model structure diagram; (b) strain model structure diagram.

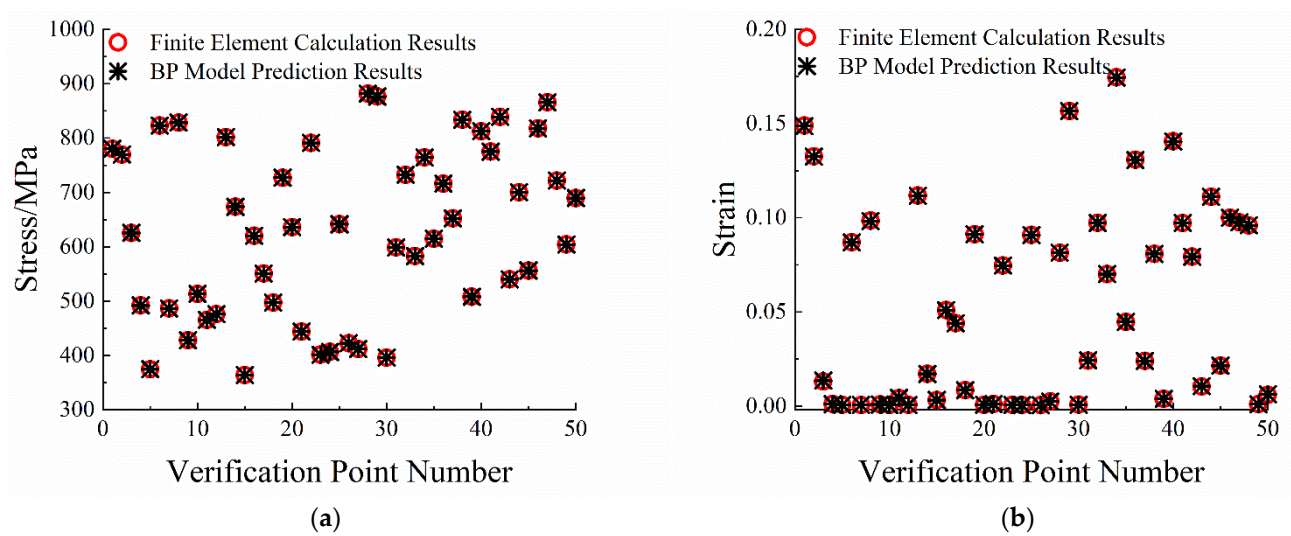


Figure 9. Mapping model validation: (a) stress model validation; (b) strain model validation.

Figure 9 shows that the prediction results of the two models are in good agreement with the finite element calculation results. In order to further verify the generalization ability of the BP neural network model, the model is used to predict the influence law of five decision variables on stress and strain, and the comparison is made with the actual law. Taking E as an example, the result is shown in Figure 10.

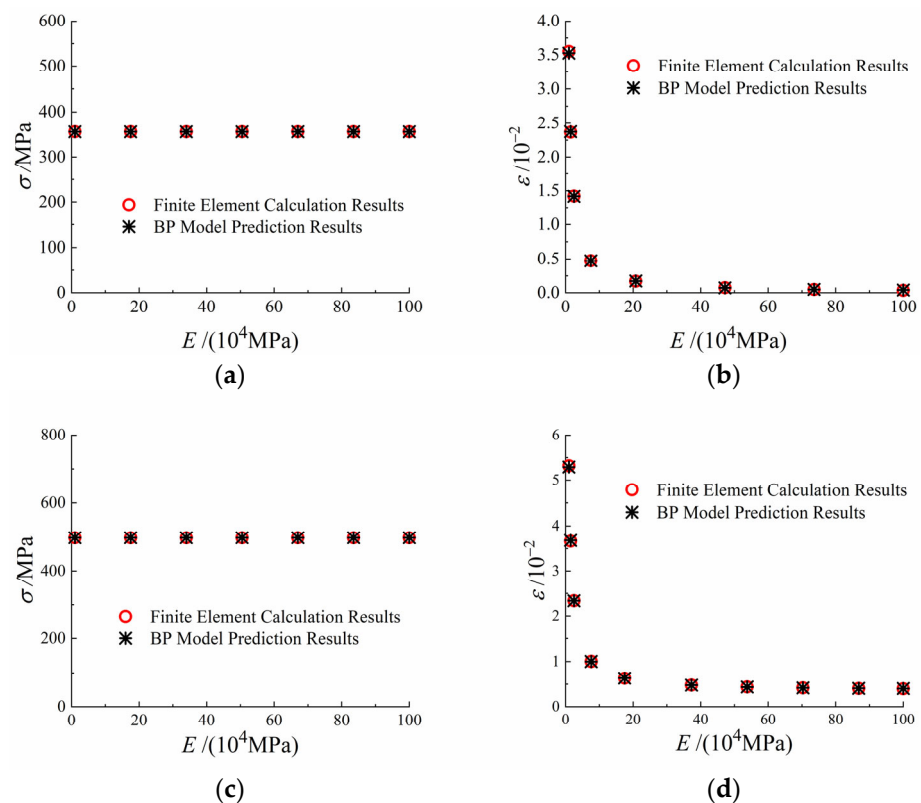


Figure 10. Model validation of change E : (a) elastic stage $E - \sigma$; (b) elastic stage $E - \epsilon$; (c) plastic stage $E - \sigma$; (d) plastic stage $E - \epsilon$.

Figure 10 shows that the predicted values of the model are consistent with the actual finite element results, and other parameters are verified by the same method. The results show that the training models have good generalization ability, and the influence law of each variable can be well predicted by the stress and strain models.

4. Verification of Mechanical Behavior Model

Non-dominated sorting genetic algorithm-II (NSGA-II) is a kind of genetic algorithm based on multiobjective optimization, which has advantages in calculating multiobjective optimization problems [26]. Since there are two objectives to be optimized, the NSGA-II algorithm is selected to verify the mechanical behavior model in this paper. The absolute value of the minimum value of the difference between the predicted stress and the experimental stress is defined as the objective function f_σ ; the absolute value of the minimum value of the difference between the predicted strain and the experimental strain is defined as the objective function f_ε , as shown in Equation (2):

$$\begin{cases} f_\sigma = |\min(\text{sim}(\text{net}_1, (E, \mu, \sigma_S, \varepsilon_{S1}, P)) - \sigma)| \\ f_\varepsilon = |\min(\text{sim}(\text{net}_2, (E, \mu, \sigma_S, \varepsilon_{S1}, P)) - \varepsilon)| \end{cases} \quad (2)$$

The NSGA-II optimization parameters are set to crossover probability 0.9, mutation probability 0.1, population size 100, maximum evolutionary generation 100, tournament size 2, crossover distribution index 20, and mutation distribution index 20. Then, the objective function constructed by the experimental data is solved. The solution parameters are back-substituted into the finite element model and compared with the quasi-static tensile experimental data of 9310 steel. The quasi-static tensile test is completed by using an MTS-880/25T electro-hydraulic servo universal testing machine, the maximum loading load of this universal testing machine is 250 kN. During the experiment, the upper chuck of the tensile machine is fixed, and the specimen is loaded at a constant speed by controlling the moving speed of the lower chuck. A strain gauge of type TA120-3AA is pasted at the geometric center of the specimen, the lead wire of the strain gauge and the lead wire of the testing machine are connected to the terminal. The stress and strain of the specimen during the tensile process are recorded simultaneously and in real-time, and then the experimental data are processed to obtain the stress–strain curve.

The verification results are shown in Figure 11, and the errors between the simulation results and the experimental data are shown in Table 2. Among them, the error is calculated based on the experimental data.

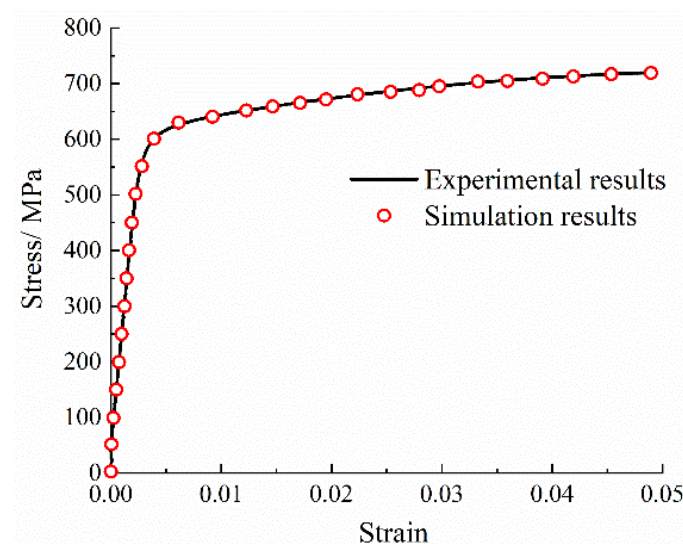


Figure 11. Comparison of simulation results with experimental data.

Table 2. Errors between simulation results and experimental data.

Numbering	Simulation Stress/MPa	Experimental Stress/MPa	Error/%	Simulation Strain	Experimental Strain	Error/%
1	125.832	125.831	−0.00079	0.00036	0.00036	0
2	174.898	174.926	0.016007	0.00061	0.00061	0
3	275.920	275.988	0.024639	0.00109	0.00111	1.801802
4	375.948	374.948	−0.2667	0.00154	0.00156	1.282051
5	475.389	475.308	−0.01704	0.00210	0.00213	1.408451
6	526.049	525.967	−0.01559	0.00244	0.00248	1.612903
7	600.982	600.924	−0.00965	0.00390	0.00391	0.255754
8	695.248	695.283	0.005034	0.02975	0.03005	0.998336
9	705.428	705.461	0.004678	0.03618	0.03619	0.027632
10	714.968	715.007	0.005454	0.04421	0.04424	0.067812

Table 2 shows that the simulation results are in good agreement with the experimental stress and strain. The stress error is within 1%, and the strain error is within 2%. The results show that the mechanical behavior model of 9310 steel constructed by the BP neural network is highly reliable, and the method is feasible.

5. Conclusions

In this work, a prediction model of material mechanical behavior is established by combining artificial neural network, LCVT sampling algorithm and finite element calculation. The quasi-static tensile test of 9310 steel is taken as an example, and the performance of the mechanical behavior model is verified. The results show that the simulation results are in good agreement with the experimental results, and the error between the simulation results and the experimental results is within 2%. This work shows that the model has high reliability.

This paper proposes a method and idea for building a mechanical behavior model of materials, which provides a reference for obtaining mechanical behavior of materials. This method has a certain universality in the construction of mechanical behavior model of materials, in which BP neural network algorithm and LCVT sampling method can be reasonably selected according to the influence law of material properties and decision variables on the objective function, which is not limited to the selection algorithm in this paper.

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