

Supplementary Material

Influence of Temperature on Age-Stage, Two-Sex Life Tables for a Minnesota-Acclimated Population of the Brown Marmorated Stink Bug, (*Halyomorpha halys*)

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The supplementary material tables (**Table S1, S2 and S3**) and one figure (**Figure S1**) are provided to summarize additional information to support our findings from the research on “Influence of Temperature on Age-Stage, Two-Sex Life Tables for a Minnesota-Acclimated Population of the Brown Marmorated Stink Bug, (*Halyomorpha halys*). **Table S1** presents information on stage specific survival (%) and egg-adult survival (%); the egg-adult survival peaks to 96% at 27 °C and declined towards both lower and upper temperature extremes of 15 °C and 36 °C, respectively. **Table S2** presents estimated parameters from non-linear models fit to data on intrinsic rate of increase for *H. Halys* using the *devRate* [1] and *OPTIMSSI* [2] package for R. The Ratkowsky model [3] with the lowest AIC (-59.52) among all models best fitted the data. **Table S3** is a compilation of mean developmental time (days) and egg-adult survival (%) for the MN and the PA acclimated *H. halys* at constant temperatures. Mean development times for the two populations are compared ($\alpha = 0.05$) using independent two-sample Student’s t-test or Welch’s t-test, depending on whether sample variances are equal or unequal, respectively. **Figure S1** presents Sharpe-Schoolfield-Ikemoto (SSI) model fit to data on intrinsic rate of increase for *H. Halys*, and it was the best among all models (AIC= -56.24) when biological significance of parameters is also accounted as a model selection criteria [4].

Supplementary Tables

Table S1. Stage-specific apparent survival (%) and the cohort-specific total survival (%)

Table S2. Estimated parameters from models fit to assess temperature-dependency of intrinsic rate of increase for *Halyomorpha halys* using the *devRate* and *OPTIMSSI* package for R, and the corresponding AIC values for each model

Table S3. Mean developmental time (days \pm standard error) and egg-adult survival (%) for the MN and the PA acclimated *H. halys* at constant temperatures. For the PA population, data is adapted from Nielsen *et al.* (2008)

Supplementary Figure

Figure S1. Effect of temperature on intrinsic rate of increase of *H. halys*, as described by the Sharpe-Schoolfield-Ikemoto (SSI) model, where maximum rate of increase is estimated to occur at 28.03 °C

Table S1. Stage-specific apparent survival (%) and the cohort-specific total survival (%)

Temperature (°C)	n	Egg	First Instar	Second Instar	Third Instar	Fourth Instar	Fifth Instar	Cohort-specific Survival
15	59	69.41	96.61	2.00	0.00	-	-	0.00
17	50	100.00	66.00	87.88	75.86	63.64	64.29	18.00
20	35	100.00	96.55	100.00	96.43	88.89	100.00	68.00
23	51	100.00	100.00	100.00	82.76	82.76	82.76	82.00
25	51	100.00	100.00	96.08	98.00	95.83	95.65	86.00
27	50	100.00	100.00	96.00	100.00	100.00	97.92	96.00
30	50	100.00	100.00	96.00	93.75	95.56	93.02	80.00
33	56	91.07	100.00	96.08	71.43	82.86	17.24	10.00
36	133	62.41	55.42	63.04	41.38	41.67	50.00	2.00

Table S2. Estimated parameters from models fit to assess temperature-dependency of intrinsic rate of increase for *Halyomorpha halys* using the *devRate* and *OPTIMSSI* package for R, and the corresponding AIC values for each model

Sl. No.	Model	Parameters	AIC
devRate Package in R:			
1	Taylor_81: $rT \sim R_m * \exp(-1/2 * ((T - T_m)/T_o)^2)$	$R_m = 0.0934$ $T_m = 26.9894$ $T_o = 4.2276$	-44.41
2	Lactin_95: $rT \sim \exp(aa * T) - \exp(aa * T_{max} - (T_{max} - T)/\delta T)$	$aa = 0.1643$ $T_{max} = 35.7889$ $\delta T = 6.0816$	-29.20
3	Logan6_76: $rT \sim \phi * (\exp(bb * T) - \exp(bb * T_{max} - (T_{max} - T)/\delta T))$	$\phi = 0.0484$ $bb = 0.1665$ $T_{max} = 35.7791$ $\delta T = 5.9433$	-27.21
4	Ratkowsky_83: $rT \sim (cc * (T - T_1) * (1 - \exp(k * (T - T_2))))^2$	$cc = 0.0540$ $T_1 = 15.6621$ $T_2 = 35.9606$ $k = 0.0749$	-59.52
5	Beta_16: $rT \sim r_m * (T_2 - T)/(T_2 - T_m) * ((T - T_1)/(T_m - T_1))^{((T_m - T_1)/(T_2 - T_m))}$	$r_m = 0.0824$ $T_1 = 17.0000$ $T_2 = 35.8232$ $T_m = 27.8516$	-40.45
6	Beta_95: $rT \sim \exp(\mu) * (T - T_b)^{aa} * (T_c - T)^{bb}$	$\mu = -13.663$ $T_b = 14.424$ $T_c = 36.00$ $aa = 2.833$ $bb = 1.858$	-54.04
7	Performance-2: $rT \sim cc * (T - T_1) * (1 - \exp(k * (T - T_2)))$	$cc = 0.0271$ $T_1 = 17.2861$ $k = 0.0413$ $T_2 = 35.7893$	-39.70
8	Root square: $rT \sim (bb * (T - T_b))^2$	$bb = 7.938e-04$ $T_b = -2.299e+02$	-21.96
9	Wangengel_98: $rT \sim (2 * (T - T_{min})^{aa} * (T_{opt} - T_{min})^{aa} - (T - T_{min})^{(2 * aa)}) / ((T_{opt} - T_{min})^{(2 * aa)})$	$aa = 3.965e-01$ $T_{min} = 1.700e+01$ $T_{opt} = 1.356e+05$	-20.50
10	Regniere_12:	$T_b = 16.4650$ $T_m = 35.9889$ $\phi = -0.4248$	-50.91

	$rT \sim \phi * (\exp(bb * (T - T_b)) - ((T_m - T)/(T_m - T_b)) * \exp(-bb * (T - T_b)/\text{deltab}) - ((T - T_b)/(T_m - T_b)) * \exp(bb * (T_m - T_b) - (T_m - T)/\text{deltam}))$	$bb = 0.1149$ $\text{deltab} = -0.6501$ $\text{deltam} = 4.1917$	
11	Stinner_74: eqn. 1: $rT \sim C/(1 + \exp(k_1 + k_2 * T))$ eqn. 2: $rT \sim C/(1 + \exp(k_1 + k_2 * (2 * T_{opt} - T)))$	Did not converge	NA
12	Logan10_76: $rT \sim \alpha * (1/(1 + cc * \exp(-bb * T)) - \exp(-((T_{max} - T)/\text{deltaT})))$	$\alpha = 0.1981$ $bb = 0.3488$ $cc = 1865.9861$ $T_{max} = 35.8791$ $\text{deltaT} = 10.6802$	-43.68
13	SharpeDeMichele_77: $rT \sim ((T + 273.16) * \exp((aa - bb/(T + 273.16))/1.987))/(1 + \exp((cc - dd/(T + 273.16))/1.987) + \exp((ff - gg/(T + 273.16))/1.987))$	$aa = 37.27$ $bb = 16022.62$ $cc = -855.38$ $dd = -250493.15$ $ff = 436.03$ $gg = 132644.05$	-49.12
14	Analytis_77: $rT \sim aa * (T - T_{min})^{bb} * (T_{max} - T)^{cc}$	$T_{min} = 1.073e+01$ $T_{max} = 3.600e+01$ $aa = 1.244e-04$ $bb = 1.819e+00$ $cc = 5.584e-01$	-27.94
15	Schoolfield_81: $rT \sim (p_{25} * (T + 273.16)/298 * \exp(aa/1.987 * (1/298 - 1/(T + 273.16))))/(1 + \exp(bb/1.987 * (1/cc - 1/(T + 273.16))) + \exp(dd/1.987 * (1/ee - 1/(T + 273.16))))$	$p_{25} = 7.391e-02$ $aa = 1.602e+04$ $bb = -2.505e+05$ $cc = 2.928e+02$ $dd = 1.326e+05$ $ee = 3.042e+02$	-49.12
16	SchoolfieldHigh_81: $rT \sim (p_{25} * (T + 273.16)/298 * \exp(aa/1.987 * (1/298 - 1/(T + 273.16))))/(1 + \exp(dd/1.987 * (1/ee - 1/(T + 273.16))))$	$p_{25} = 7.501e-02$ $aa = 3.564e+04$ $dd = 1.159e+05$ $ee = 3.023e+02$	-37.88
17	SchoolfieldLow_81: $rT \sim (p_{25} * (T + 273.16)/298 * \exp(aa/1.987 * (1/298 - 1/(T + 273.16))))/(1 + \exp(bb/1.987 * (1/cc - 1/(T + 273.16))))$	$p_{25} = 1.208e+00$ $aa = -8.026e+04$ $bb = -1.159e+05$ $cc = 3.023e+02$	-37.88
18	Poly2: $rT \sim a_0 + a_1 * T + a_2 * T^2$	$a_0 = -0.5850$ $a_1 = 0.04983$ $a_2 = -0.0009$	-40.05
19	HarcourtYee_82: $rT \sim a_0 + a_1 * T + a_2 * T^2 + a_3 * T^3$	$a_0 = -2.054e-01$ $a_1 = 3.799e-03$ $a_2 = 8.588e-04$ $a_3 = -2.249e-05$	-40.16

20	Poly4: $rT \sim a0 + a1 * T + a2 * T^2 + a3 * T^3 + a4 * T^4$	$a0 = 2.973e+00$ $a1 = -5.137e-01$ $a2 = 3.165e-02$ $a3 = -8.167e-04$ $a4 = 7.505e-06$	-49.97
21	HilbertLogan_83: $rT \sim \phi * (((T - Tb)^2 / ((T - Tb)^2 + aa^2)) - \exp(-(Tmax - (T - Tb)) / \delta T))$	$\phi = 0.275$ $aa = 10.902$ $Tb = 13.604$ $Tmax = 24.128$ $\delta T = 9.025$	-39.33
22	Lamb_92[[1]]: $rT \sim Rm * \exp(-1/2 * ((T - Tmax) / To)^2)$	$Rm = 0.0934$ $Tmax = 26.9894$ $To = -4.2276$	-44.41
23	Lamb_92[[2]]: $rT \sim Rm * \exp(-1/2 * ((T - Tmax) / To)^2)$	$Rm = 0.0934$ $Tmax = 26.9894$ $To = -4.2276$	-44.41
24	Lactin1_95: $rT \sim \exp(aa * T) - \exp(aa * Tmax - (Tmax - T) / \delta T)$	$aa = 0.1643$ $Tmax = 35.7889$ $\delta T = 6.0816$	-29.20
25	Lactin2_95: $rT \sim \exp(aa * T) - \exp(aa * Tmax - (Tmax - T) / \delta T) + bb$	$aa = 0.0288$ $bb = -1.0623$ $Tmax = 51.3935$ $\delta T = 16.8618$	-39.35
26	Briere1_99: $rT \sim aa * T * (T - Tmin) * (Tmax - T)^{(1/2)}$	$aa = 6.991e-05$ $Tmax = 3.600e+01$ $Tmin = 1.544e+01$	-29.12
27	Briere2_99: $rT \sim aa * T * (T - Tmin) * (Tmax - T)^{(1/bb)}$	$aa = 1.892e-05$ $bb = 7.748e-01$ $Tmax = 3.600e+01$ $Tmin = 1.743e+01$	-42.66
28	Kontodimas_04: $rT \sim aa * (T - Tmin)^2 * (Tmax - T)$	$aa = 5.208e-05$ $Tmax = 3.568e+01$ $Tmin = 1.382e+01$	-37.85
29	Damos_08: $rT \sim aa * (bb - T/10) * (T/10)^{cc}$	$aa = -2.351$ $bb = 1.721$ $cc = -3.707$	-24.83
30	Damos_11: $rT \sim aa / (1 + bb * T + cc * T^2)$	$aa = 0.0025$ $bb = -0.0716$ $cc = 0.0013$	-34.86
31	Wang_82: $rT \sim (K / (1 + \exp(-r * (T - T0)))) * (1 - \exp(-(T - TL) / aa)) * (1 - \exp(-(TH - T) / aa))$	$K = 55.1509$ $r = 0.4752$ $aa = 447.4390$ $TL = -20.5821$ $T0 = 23.6922$ $TH = 35.8769$	-41.40
32	Bayoh and Lindsay (bayoh_03):	$aa = 2.927e-02$	-26.11

	$rT \sim aa + bb * T + cc * \exp(T) + dd * \exp(-T)$	$bb = 1.147e-03$ $cc = -1.670e-17$ $dd = -1.203e+06$	
33	Wagner_88 $rT \sim 1/((1 + \exp((cc/1.987) * ((1/dd) - (1/(T + 273.16)))))) / (aa * (T + 273.16)/298.15 * \exp((bb/1.987) * ((1/298.15) - 1/(T + 273.16))))$	$aa = 7.736e-02$ $bb = 3.564e+04$ $cc = 1.159e+05$ $dd = 3.023e+02$	-37.88
34	Bieri1_83: $rT \sim aa * (T - T_{min}) - (bb * \exp(T - T_m))$	Did not converge	NA
OPTIMSSI Package in R:			
35.	Sharpe-Schoolfield-Ikemoto model: $r(T) = \frac{\rho_{\phi} \frac{T}{T_{\phi}} \exp \left[\frac{\Delta H_A}{R} \left[\frac{1}{T_{\phi}} - \frac{1}{T} \right] \right]}{1 + \exp \left[\frac{\Delta H_L}{R} \left[\frac{1}{T_L} - \frac{1}{T} \right] \right] + \exp \left[\frac{\Delta H_H}{R} \left[\frac{1}{T_H} - \frac{1}{T} \right] \right]}$	$T_{\phi} = 2.959408e+02$ $\rho_{\phi} = 5.436652e-02$ $\Delta H_A = 2.841494e+04$ $\Delta H_L = -2.846197e+05$ $\Delta H_H = 1.241860e+05$ $T_L = 2.925017e+02$ $T_H = 3.029137e+02$	-56.24

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83 Note 1: The Ratkowsky non-linear empirical model [3], with the lowest AIC (-59.52) among all
84 models considered [1], best described the relation between temperature and intrinsic rate of
85 increase for *H. halys*. The r_m was maximized (0.0899 day⁻¹) at 27.49°C.

86 Note 2: The Sharpe-Schoolfield-Ikemoto (SSI) non-linear biophysical model [2] based on
87 enzyme kinetics approach provided the next best fit (AIC = -56.24). If the ability to estimate
88 parameters of biological significance is also accounted as a model selection criteria [4], the best
89 fit model was SSI model (**Figure S1**). The r_m was maximized (0.0983 day⁻¹) at 28.03°C.

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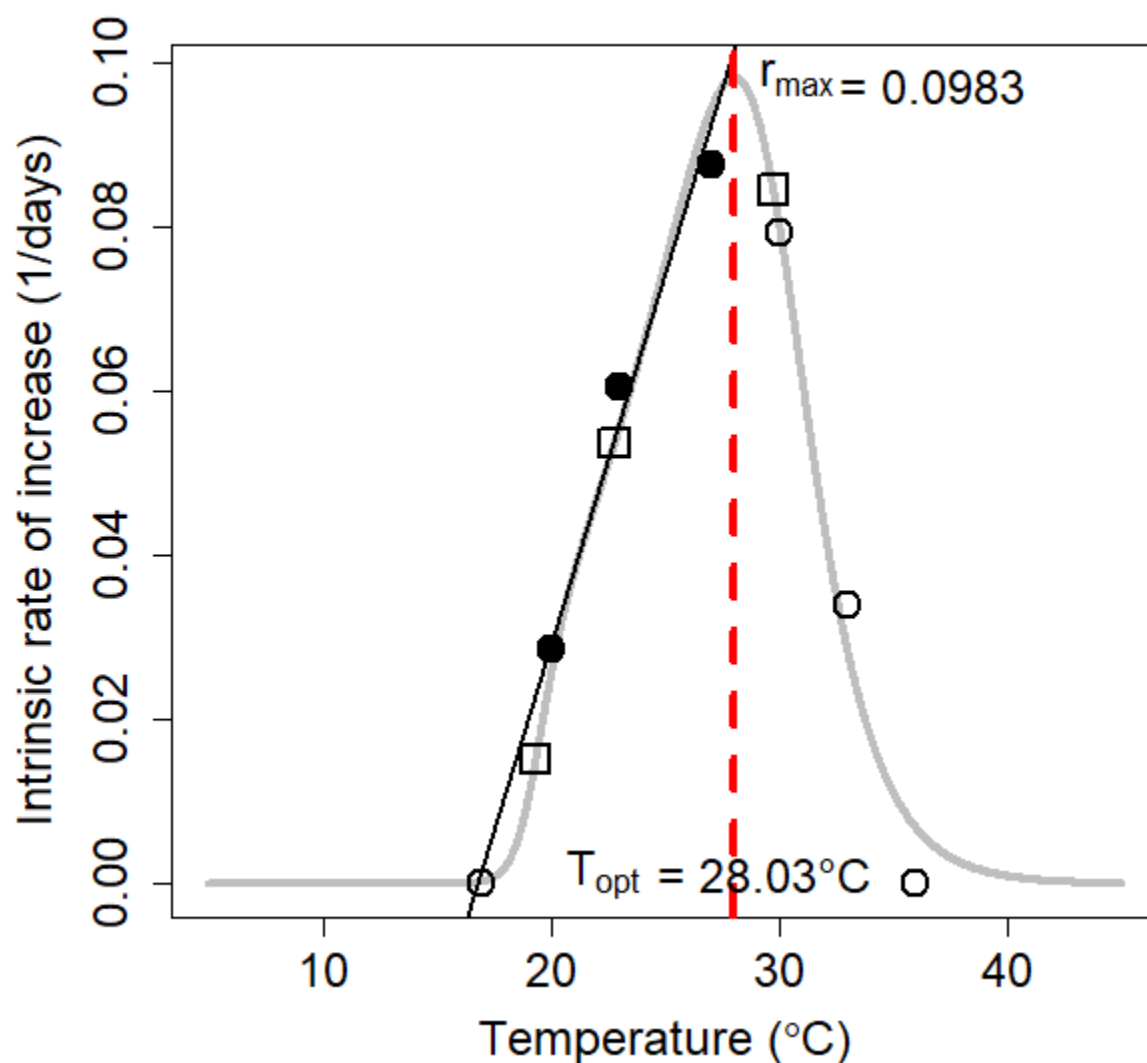


Figure S1. Effect of temperature on intrinsic rate of increase of *H. halys*, as described by the Sharpe-Schoolfield-Ikemoto (SSI) model, where maximum rate of increase is estimated to occur at 28.03 °C

99 **Table S3.** Mean developmental time (days \pm standard error) and egg-adult survival (%) for the MN and the PA acclimated *H. halys* at
 100 constant temperatures. For the PA population, data is adapted from Nielsen *et al.* (2008) [5]

Temperature	n	Egg	First Instar	Second Instar	Third Instar	Fourth Instar	Fifth Instar	Pre-adult	Survival (%)
15°C: MN	59	21.01 \pm 0.07 ^a	26.57 \pm 0.18	38.25 \pm 1.37	32.59 \pm 1.04	28.59 \pm 1.23	43.73 \pm 1.72	186.23 \pm 0.78	0.00
15°C: PA	50	22.00 \pm 0.00 ^b ($t_{98} = -7.44$, $P = 3.87 \times 10^{-11}$)	—	—	—	—	—	—	0.00
17°C: MN	50	13.23 \pm 0.04 ^a	13.20 \pm 0.14 ^a	24.95 \pm 0.80 ^a	22.16 \pm 1.55	21.43 \pm 2.18	17.90 \pm 1.63 ^a	103.89 \pm 4.69 ^a	18.00
17°C: PA	100	17.20 \pm 0.08 ^b ($t_{148} = -44.39$, $P = 2.54 \times 10^{-83}$)	17.01 \pm 0.16 ^b ($t_{95} = -17.92$, $P = 1.25 \times 10^{-31}$)	30.36 \pm 1.53 ^b ($t_{38} = -3.73$, $P = 0.006$)	22.40 \pm 4.02	23.00 \pm 1.08	28.00 \pm 0.00 ^b ($t_7 = -6.20$, $P = 0.0002$)	121.50 \pm 0.50 ^b ($t_9 = -3.73$, $P = 0.006$)	2.00
20°C: MN	35	12.71 \pm 0.11 ^a	10.90 \pm 0.10 ^a	18.77 \pm 0.37 ^a	12.56 \pm 0.90	11.15 \pm 0.49 ^a	16.46 \pm 0.45 ^a	80.67 \pm 1.04	68.00
20°C: PA	100	11.50 \pm 0.05 ^b ($t_{149} = -7.79$, $P = 3.83 \times 10^{-9}$)	9.34 \pm 0.08 ^b ($t_{118} = 12.03$, $P = 2.27 \times 10^{-18}$)	16.25 \pm 0.23 ^b ($t_{102} = 5.78$, $P = 4.95 \times 10^{-7}$)	11.78 \pm 0.29	13.66 \pm 0.31 ^b ($t_{95} = -4.33$, $P = 8.82 \times 10^{-5}$)	20.16 \pm 0.36 ^b ($t_{83} = -6.42$, $P = 4.29 \times 10^{-8}$)	81.16 \pm 0.80	62.00
25°C: MN	51	5.60 \pm 0.07 ^a	5.06 \pm 0.10	9.58 \pm 0.18	7.07 \pm 0.17	6.52 \pm 0.11 ^a	9.06 \pm 0.08 ^a	42.62 \pm 0.38 ^a	86.00
25°C: PA	100	6.10 \pm 0.03 ^b ($t_{149} = -6.57$, $P = 1.08 \times 10^{-9}$)	4.82 \pm 0.10	9.62 \pm 0.21	7.08 \pm 0.22	7.38 \pm 0.28 ^b ($t_{107} = -2.86$, $P = 0.005$)	10.44 \pm 0.28 ^b ($t_{103} = -4.74$, $P = 1.10 \times 10^{-5}$)	44.92 \pm 0.80 ^b ($t_{103} = -2.60$, $P = 0.01$)	61.00
27°C: MN	50	3.25 \pm 0.04 ^a	3.80 \pm 0.04 ^a	7.98 \pm 0.15	5.41 \pm 0.11	5.38 \pm 0.11 ^a	7.46 \pm 0.12	33.21 \pm 0.36 ^a	94.00
27°C: PA	80	4.87 \pm 0.10 ^b ($t_{128} = -15.04$, $P = 1.20 \times 10^{-27}$)	4.25 \pm 0.05 ^b ($t_{128} = -7.03$, $P = 1.11 \times 10^{-10}$)	7.64 \pm 0.19	5.49 \pm 0.21	5.90 \pm 0.18 ^b ($t_{97} = -2.47$, $P = 0.02$)	7.81 \pm 0.28	35.81 \pm 0.52 ^b ($t_{87} = -4.11$, $P = 0.0001$)	52.50
30°C: MN	50	3.00 \pm 0.00	3.02 \pm 0.07 ^a	6.60 \pm 0.19 ^a	5.41 \pm 0.14 ^a	5.31 \pm 0.13 ^a	8.01 \pm 0.25	30.95 \pm 0.45 ^a	80.00
30°C: PA	100	3.00 \pm 0.00	3.70 \pm 0.05 ^b ($t_{142} = -7.03$, $P = 8.29 \times 10^{-11}$)	7.05 \pm 0.13 ^b ($t_{128} = -2.01$, $P = 0.05$)	6.11 \pm 0.28 ^b ($t_{117} = -2.23$, $P = 0.03$)	6.11 \pm 0.23 ^b ($t_{103} = -3.14$, $P = 0.002$)	8.47 \pm 0.28	33.39 \pm 0.50 ^b ($t_{89} = -3.63$, $P = 0.0005$)	51.00
33°C: MN	56	3.76 \pm 0.10 ^a	3.25 \pm 0.04 ^a	5.43 \pm 0.09 ^a	6.04 \pm 0.22 ^a	6.74 \pm 0.53	8.20 \pm 0.25 ^a	31.20 \pm 0.56 ^a	10.00
33°C: PA	95	4.00 \pm 0.00 ^b ($t_{149} = -2.40$, $P = 0.02$)	3.01 \pm 0.01 ^b ($t_{106} = -5.10$, $P = 4.51 \times 10^{-6}$)	7.47 \pm 0.23 ^b ($t_{76} = -8.26$, $P = 6.77 \times 10^{-10}$)	7.45 \pm 0.53 ^b ($t_{53} = -2.46$, $P = 0.02$)	7.20 \pm 0.40	10.60 \pm 0.81 ^b ($t_8 = -2.83$, $P = 0.04$)	37.80 \pm 0.86 ^b ($t_8 = -6.43$, $P = 0.0004$)	5.00

Data are mean \pm standard error. Estimates for the PA population of BMSB are from Nielsen *et al.* 2008). The ‘n’ denotes sample size (# of eggs) at the beginning of the experiment. For each instar (or phase) at a given temperature, the means in a column followed by a different letter suggest that estimates for the MN and for the PA population of *Halyomorpha halys* are significantly different (t test, $P < 0.05$). Comparisons were not possible for 23°C and 36°C, due to lack of estimates for the PA BMSB. An em dash [—] suggests lack of data owing to 100% mortality.

References:

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