

SNP	Tests for deviation from Hardy-Weinberg equilibrium*
<i>ABCB1</i> rs4728709	n11=3 (2.27)
	n12=27 (28.46)
	n22=90 (89.27)
	$p=0.573519$
<i>ABCB1</i> C1236T rs1128503	n11=57 (52.50)
	n12=67 (76.00)
	n22=32 (27.50)
	$p=0.139243$
<i>ABCB1</i> C3435T rs1045642	n11=47 (47.41)
	n12=78 (77.18)
	n22=31 (31.41)
	$p=0.894364$
<i>ABCB1</i> rs10248420	n11=10 (6.77)
	n12=37 (43.46)
	n22=73 (69.77)
	$p=0.103348$
<i>ABCB1</i> rs10276036	n11=42 (38.53)
	n12=52 (58.93)
	n22=26 (22.53)
	$p=0.197482$
<i>ABCB1</i> rs10280101	n11=95 (93.63)
	n12=22 (24.73)
	n22=3 (1.63)
	$p=0.226049$
<i>ABCB1</i> rs11983225	n11=95 (93.63)
	n12=22 (24.73)
	n22=3 (1.63)
	$p=0.226049$
<i>ABCB1</i> rs12720067	n11=97 (95.41)
	n12=20 (23.18)
	n22=3 (1.41)
	$p=0.132538$
<i>ABCB1</i> rs2032582	n11=51 (51.92)
	n12=78 (76.15)
	n22=27 (27.92)
	$p=0.762052$
<i>ABCB1</i> rs3842	n11=77 (76.00)
	n12=37 (39.00)
	n22=6 (5.00)

	$p=0.575032$
<i>ABCB1</i> rs7787082	n11=10 (6.77)
	n12=37 (43.46)
	n22=73 (69.77)
	$p=0.103348$
<i>ABCC2</i> rs2273697	n11=80 (81.67)
	n12=38 (34.65)
	n22=2 (3.67)
	$p=0.289560$
<i>ABCC2</i> rs717620	n11=103 (105.03)
	n12=50 (45.95)
	n22=3 (5.03)
	$p=0.270793$
<i>CYP1A2*1B</i> rs2470890	n11=22 (25.44)
	n12=82 (75.12)
	n22=52 (55.44)
	$p=0.252310$
<i>CYP1A2*1C</i> rs2069514	n11=83 (81.67)
	n12=32 (34.65)
	n22=5 (3.67)
	$p=0.402151$
<i>CYP1A2*1F</i> rs762551	n11=68 (75.46)
	n12=81 (66.07)
	n22=7 (14.46)
	$p=0.004779$
<i>CYP2A6</i> rs28399433	n11=135 (132.00)
	n12=17 (23.00)
	n22=4 (1.00)
	$p=0.001126$
<i>CYP2B6*5</i> rs3211371	n11=134 (134.78)
	n12=22 (20.45)
	n22=0 (0.78)
	$p=0.343375$
<i>CYP2B6*9</i> rs3745274	n11=64 (58.80)
	n12=40 (50.40)
	n22=16 (10.80)
	$p=0.023794$
<i>CYP2B6</i> rs2279343	n11=29 (35.21)
	n12=72 (59.58)
	n22=19 (25.21)
	$p=0.022441$

<i>CYP2B6</i> rs2279345	n11=66 (61.95)
	n12=39 (47.10)
	n22=13 (8.95)
	$p=0.061813$
<i>CYP2B6</i> rs4803419	n11=54 (54.67)
	n12=54 (52.65)
	n22=12 (12.68)
	$p=0.778800$
<i>CYP2C19</i> *17 rs12248560	n11=102 (103.39)
	n12=50 (47.22)
	n22=4 (5.39)
	$p=0.461790$
<i>CYP2C19</i> *2 rs4244285	n11=123 (122.08)
	n12=30 (31.85)
	n22=3 (2.08)
	$p=0.469030$
<i>CYP2C19</i> *3 rs4986893	n11=156 (0.00)
	n12=0 (0.00)
	n22=0 (0.00)
	$p=0.000e+00$
<i>CYP2C19</i> *4 rs28399504	n11=155 (155.00)
	n12=1 (1.00)
	n22=0 (0.00)
	$p=0.967965$
<i>CYP2C8</i> *2 rs11572103	n11=148 (148.10)
	n12=8 (7.79)
	n22=0 (0.10)
	$p=0.742394$
<i>CYP2C8</i> *3 rs10509681	n11=126 (123.85)
	n12=26 (30.29)
	n22=4 (1.85)
	$p=0.076612$
<i>CYP2C8</i> *4 rs1058930	n11=142 (142.31)
	n12=14 (13.37)
	n22=0 (0.31)
	$p=0.557353$
<i>CYP2C9</i> *2 rs1799853	n11=127 (124.75)
	n12=25 (29.51)
	n22=4 (1.75)
	$p=0.056300$
<i>CYP2C9</i> *3 rs1057910	n11=143 (142.31)

	n12=12 (13.37)
	n22=1 (0.31)
	$p=0.200077$
<i>CYP2D6</i> *10 rs1065852	n11=84 (82.80)
	n12=22 (24.40)
	n22=3 (1.80)
	$p=0.303794$
<i>CYP2D6</i> *14 rs5030865	n11=115 (115.05)
	n12=5 (4.90)
	n22=0 (0.05)
	$p=0.815704$
<i>CYP2D6</i> *17 rs28371706	n11=118 (118.01)
	n12=2 (1.98)
	n22=0 (0.01)
	$p=0.926655$
<i>CYP2D6</i> *3 rs35742686	n11=118 (118.01)
	n12=2 (1.98)
	n22=0 (0.01)
	$p=0.926655$
<i>CYP2D6</i> *4 rs3892097	n11=95 (92.44)
	n12=18 (23.11)
	n22=4 (1.44)
	$p=0.016750$
<i>CYP2D6</i> *41 rs28371725	n11=101 (100.83)
	n12=18 (18.33)
	n22=1 (0.83)
	$p=0.842128$
<i>CYP2D6</i> *6 rs5030655	n11=88 (88.04)
	n12=4 (3.91)
	n22=0 (0.04)
	$p=0.831211$
<i>CYP2D6</i> *7 rs5030867	n11=120 (0.00)
	n12=0 (0.00)
	n22=0 (0.00)
	$p=0.000e+00$
<i>CYP2D6</i> *8 rs5030865	n11=120 (0.00)
	n12=0 (0.00)
	n22=0 (0.00)
	$p=0.000e+00$
<i>CYP2D6</i> *9 rs5030656	n11=113 (113.10)
	n12=7 (6.80)

	n22=0 (0.10)
	$p=0.742077$
<i>CYP3A4</i> *2 rs55785340	n11=120 (0.00)
	n12=0 (0.00)
	n22=0 (0.00)
	$p=0.000\text{e}+00$
<i>CYP3A4</i> *20	n11=153 (153.01)
	n12=3 (2.97)
	n22=0 (0.01)
	$p=0.903483$
<i>CYP3A4</i> *22 rs35599367	n11=115 (115.05)
	n12=5 (4.90)
	n22=0 (0.05)
	$p=0.815704$
<i>CYP3A4</i> *6 rs4646438	n11=120 (0.00)
	n12=0 (0.00)
	n22=0 (0.00)
	$p=0.000\text{e}+00$
<i>CYP3A5</i> *3 rs776746	n11=5 (2.83)
	n12=32 (36.35)
	n22=119 (116.83)
	$p=0.135303$
<i>CYP3A5</i> *6 rs10264272	n11=151 (151.04)
	n12=5 (4.92)
	n22=0 (0.04)
	$p=0.838807$
<i>CYP4F2</i> rs2108622	n11=69 (70.45)
	n12=71 (68.09)
	n22=15 (16.45)
	$p=0.595140$
<i>SLC22A1</i> *2 rs72552763	n11=71 (69.77)
	n12=41 (43.46)
	n22=8 (6.77)
	$p=0.534825$
<i>SLC22A1</i> *3 rs12208357	n11=114 (114.08)
	n12=6 (5.85)
	n22=0 (0.07)
	$p=0.778800$
<i>SLC22A1</i> *5 rs34059508	n11=114 (114.08)
	n12=6 (5.85)
	n22=0 (0.07)

	$p=0.778800$
<i>SLCO1B1</i> rs11045879	n11=90 (91.00)
	n12=29 (27.00)
	n22=1 (2.00)
	$p=0.416071$
<i>SLCO1B1</i> rs2306283	n11=22 (23.85)
	n12=63 (59.30)
	n22=35 (36.85)
	$p=0.493775$
<i>SLCO1B1</i> rs4149015	n11=104 (104.53)
	n12=16 (14.93)
	n22=0 (0.53)
	$p=0.433944$
<i>SLCO1B1</i> rs4149056	n11=92 (91.88)
	n12=26 (26.25)
	n22=2 (1.88)
	$p=0.916909$
<i>UGT1A1</i> rs35350960	n11=69 (66.04)
	n12=65 (70.92)
	n22=22 (19.04)
	$p=0.297146$
<i>UGT1A1</i> rs4124874	n11=36 (0.00)
	n12=0 (0.00)
	n22=0 (0.00)
	$p=0.000\text{e}+00$
<i>UGT1A1</i> rs4148323	n11=36 (0.00)
	n12=0 (0.00)
	n22=0 (0.00)
	$p=0.000\text{e}+00$
<i>UGT1A1</i> rs887829	n11=53 (52.67)
	n12=53 (53.66)
	n22=14 (13.67)
	$p=0.892422$
<i>UGT2B4</i> rs4557343	n11=10 (11.11)
	n12=20 (17.78)
	n22=6 (7.11)
	$p=0.453255$
<i>UGT2B7</i> rs7439366	n11=16 (13.44)
	n12=12 (17.11)
	n22=8 (5.44)
	$p=0.073100$

* n11: number of individuals carrying allele 1 in homozygosity; n12: number of heterozygous individuals; n22: number of individuals carrying allele 2 in homozygosity. Data in brackets represent the expected allele frequencies according to Hardy Weinberg equilibrium; p values correspond to the result of a Pearson's chi-squared test.