

Article Understanding the Semiconducting-to-Metallic Transition in the CF₂Si Monolayer under Shear Tensile Strain

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Abstract: With the ever-increasing interest in low-dimensional materials, it is urgent to understand the effect of strain on these kinds of structures. In this study, taking the CF₂Si monolayer as an example, a computational study was carried out to investigate the effect of tensile shear strain on this compound. The structure was dynamically and thermodynamically stable under ambient conditions. By applying tensile shear, the structure showed a strain-driven transition from a semiconducting to a metallic behavior. This electronic transition's nature was studied by means of the electron localization function index and an analysis of the noncovalent interactions. The result showed that the elongation of covalent bonds was not responsible for this metallization but rather noncovalent interactions governing the nonbonded bonds of the structure. This strain-tuned behavior might be capable of developing new devices with multiple properties involving the change in the nature of chemical bonding in low-dimensional structures.

Keywords: ab initio calculations; tensile strain; electronic transition; topological analysis of bonds



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1. Introduction

Strain is ubiquitous in solid-state materials; it can be caused by the melt growth of the material [1], due to the quantum effect driven by the structure [2], or simply by an external application. One fundamental transformation induced by this strain is the change in bonding and structural pattern [3]. Strain applied to a versatile low-dimensional material and also a bulk counterpart could combine several intriguing mechanisms that are still in their infancy. For example, we could obtain the conjunction of metallic (a compound with a vanishing electronic band gap) and semiconducting regions on a monolithic catalytic MX₂ nanosheet that could be used to make electronic devices [4,5]. Furthermore, as is the way with pressure, the application of external strains on such structures can become radically different from what they are at ambient pressure, as shown in recent examples with the giant piezoelectricity induced by the mean of pressure in monolayer tellurene [6] and the experimental study showing evidence of an electronic phase transition in molybdenum disulfide [7].

Two-dimensional silicon carbide, a famous member of the 2D family, has been studied extensively owing to its distinctive electronic, optical, and mechanical properties. This quality pushed an increase in the synthesis of new structures based on this material. For instance, graphitic SiC [8], planar SiC₂ silagraphene with tetracoordinate Si [9], planar graphitic SiC₂ [10], carbon-rich SiC₃ [11], g-SiC₂ [10], pt-SiC₂ [9], SiC₆-SW, SiC₂-b, SiC₂-p [12], quasi-planar tetragonal SiC and SiC₂ [13], penta-SiC₂ [14], a series of silagraphyne [13], silicon-rich Si₃C [12], and the recently reported tetrahex SiC [15] have been experimentally synthesized. All these structures show covalent bonding with strong C–Si bonds. In this contribution, we are aiming to analyze the effect of strain on a buckled geometry, namely the CF₂Si structure. Its network also has fluorine atoms on its surface, which functionalizes the C–F bonds and improves structural integrity, surface activity,

and processability, opening up new opportunities for catalytic applications. Such a functionalization not only inherits the C–F bonds but also brings about a promise to alter the planar SiC structure, transforming the hybridization from sp² to sp³, and enhancing dispersion, orientation, interaction, and electronic properties [16].

An in-depth understanding of the relationship between chemical structure and macroscopic behavior holds the key to rationalizing the design of new synthetic routes addressing a certain property [17–19]. One of the best possible strategies to unravel these transformations is to look at the bonding patterns, especially in the electronic population [20,21]. Such a link can be analyzed by the so-called localization index as the localization tensor (LT), the localized-electrons detector (LED) [22,23], and the electron localization function (ELF) [24]. With this in mind, in this paper, we look at how the bonding pattern changes from the ambient condition to the highly strained structure. The main goal is to see if the buckled structure of CF₂Si behaves like its planar or bulk SiC counterpart when subjected to no hydrostatic strain/stress deformations. In this manner, the band gap of the title structure can be effectively manipulated through various strategies, including mechanical strain application. The task requires, however, access to the more stable ambient structure. For this purpose, a brief analysis of dynamical, thermal, and thermodynamic stability is done by the density functional theory method. The effect of tensile strain is also analyzed within this strategy. The result gives us insight into whether the modulation vanishing of the electronic band gap is caused by the change in the structure or also a result of the change in the bonding trend.

2. Computational Details

The study of the bonding pattern of ground or strained material required first an analysis of its stability. This task was carried out by means of the density functional theory (DFT), as implemented in the Vienna ab initio simulation package (VASP) [20,25,26]. The projector augmented-wave (PAW) [27] method was employed. Furthermore, the kinetic energy cutoff for the plane-wave basis was converged at 500 eV. We used the exchange potential of Perdew–Burke–Ernzerhof (PBE) [28] weighted by the DFT-D3/BJ approach of the Becke–Jonson damping [29,30], which simulates the van der Waals (vdW) interactions between the adjacent layers. Here, we used a $2 \times 2 \times 1$ supercell with a 20 Å vacuum along the **c**-direction. A Monkhorst–Pack grid of $12 \times 12 \times 1$ k-points was considered. Structural optimizations were deemed to be converged when all the forces reached their convergence below $F_{tol} = 10^{-6} \text{ eV/Å}$. The mechanical properties were estimated within the stress–strain methodology carried through the VASPKIT toolkit [31].

For the calculations of the phonon dispersion of a system, we utilized the direct method as implemented in VASP and interfaced in the Phonopy open-source package [32]. The phonon frequencies were investigated in a $3 \times 3 \times 1$ supercell within a self-consistent way by alternating between the DFT calculations of the Hellmann–Feynman forces acting on atoms displaced from their equilibrium positions and the calculations of improved phonon frequencies and atomic displacement vectors. To achieve calculation convergence, we selected displacements of 0.05 Åas appropriate values. All the topological analyses were carried out with the TOPCHEM2 package [33] using very fine grids of size $300 \times 300 \times 100$.

3. Results and Discussion

3.1. Optimized Structure and Its Stability

The structure under investigation has a space group P3m1 with a trigonal shape (T1), see Figure 1, which means that the lattice parameters *a* and *b* are equal. As a result, the optimized lattice parameter was limited to the *a* parameter, which was calculated to be 3.16 Å. Unfortunately, no experimental data were available to compare with it. As a result, it was necessary to examine the structure's stability as well as its growth conditions. In terms of thermodynamic stability, the chemical potentials of the constituent atoms of

the CF₂Si low-dimensional structure obeyed several restrictions based on the energetic equilibrium as follows:

$$\begin{aligned} \Delta\mu_{C} + 2\Delta\mu_{F} + \Delta\mu_{Si} &= \Delta E(CF_{2}Si) = -1.44 \text{ eV} \\ 2\Delta\mu_{Si} &\leq \Delta E(Si_{2}) = 0.64 \text{ eV} \\ 2\Delta\mu_{C} &\leq \Delta E(C_{2}) = -0.01 \text{ eV} \\ 2\Delta\mu_{C} + 2\Delta\mu_{F} &\leq \Delta E(C_{2}F_{2}) = -0.91 \text{ eV} \\ \Delta\mu_{C} + 2\Delta\mu_{F} &\leq \Delta E(CF_{2}) = -1.39 \text{ eV} \\ 2\Delta\mu_{F} + 2\Delta\mu_{Si} &\leq \Delta E(F_{2}Si_{2}) = -1.77 \text{ eV} \end{aligned}$$
(1)

where $\Delta \mu_C$, $\Delta \mu_F$, $\Delta \mu_{Si}$, $\Delta E(Si_2)$, $\Delta E(C_2)$, $\Delta E(CF_2)$, $\Delta E(F_2Si_2)$, and $\Delta E(C_2F_2)$ are the chemical potentials for the computing elements, and $\Delta E(CF_2Si)$ corresponds to the investigated low-dimensional structure

We present the resulting limiting conditions and the intersection points bounding the stability region in Table 1. Figure 2 shows its corresponding diagram. According to this diagram, the title structure competes mainly with the F_2Si_2 and C_2F_2 monolayers. We can stipulate this conclusion by taking a number of equations into consideration, considering the constraints to building this structure.



Figure 1. (a) The top and (b) the side views of CF₂Si in its low-dimensional structure.



Figure 2. Chemical potential's phase diagram, showing the region of stability of CF₂Si in terms of the excess chemical potentials. (Color online) Variation in $\Delta \mu_F$ formation enthalpy as a function of chemical potential, shown within the stability region for the formation of low dimensional CF₂Si. Points A, B, C, and D are shown only in order to delimit the zone of stability.

Limiting Inequalities	Point $(\Delta \mu_C, \Delta \mu_{Si}, \Delta \mu_F)$	Competing Phases	
$\begin{array}{l} \Delta \mu_{C} + \Delta \mu_{Si} > -1.4405 \\ -\Delta \mu_{C} + \Delta \mu_{Si} < -0.3295 \\ 2\Delta \mu_{C} + \Delta \mu_{Si} < -0.0100 \\ \Delta \mu_{C} - \Delta \mu_{Si} < 0.5305 \\ \Delta \mu_{C} > -1.4405 \\ \Delta \mu_{C} < 0.0000 \\ \Delta \mu_{Si} < 0.0000 \\ \Delta \mu_{Si} > -1.4405 \end{array}$	$\begin{array}{l} A(-0.4550,-0.9855,0.0000)\\ B(-0.0050,-0.5355,-0.4500)\\ C(-0.0050,-0.3345,-0.5505)\\ D(-0.5555,-0.8850,0.0000) \end{array}$	CF_2Si, C_2F_2 C_2F_2 F_2Si_2 CF_2Si, F_2Si_2	

Table 1. The limiting inequalities applied to the independent variables $\Delta \mu_C$ and $\Delta \mu_{Si}$. The point column lists the intersection points bonding the stability region. The corresponding values of the dependent variable $\Delta \mu_F$ and the relevant competing phases are also given. All energies are in eV.

According to all of the above equations and the diagram in Figure 2, the CF₂Si growth is preferred for intersection points bounding along points A (Si-poor, C-rich, F-rich) where the CF₂Si competes. We also analyzed the dynamical stability of the low-dimensional structure in the title. This task was done via the calculation of the phonon dispersion spectrum displayed in Figure 3a. Due to the absence of an imaginary frequency, we can clearly see that the structure is mechanically stable. The shape of the plot seems to share the general scheme of 2D chalcogenide structures. We can note some anomalies in the form of longitudinal acoustic branches, the signature of weak interplanar interactions. According to [34], these acoustic modes have a linear dependence in the **q**-space near the Γ point. The modes at the center of the Γ point, according to the crystal point group, obey the formula $\Gamma = 4A_1 + 4E$, where $\Gamma_{acoustic} = A_1 + E$ and $\Gamma_{optic} = 3A_1 + 3E$. The *E* mode denotes the double degenerated one. The analysis of the activity of each mode shows that they are both Raman and infrared ones. The calculated wavenumbers for each mode are gathered in Table 2.

Symmetry	ω (cm ⁻¹)	Activity
A ₁	494.5	IR/R
A_1	939.2	IR/R
A ₁	970.0	IR/R
Е	137.2	IR/R
Е	171.7	IR/R
E	797.0	IR/R

Table 2. Calculated modes of 2D CF₂Si. Raman (R) and infrared (IR) modes are indicated.

At the same time, the phonon density of state gathered in Figure 3 shows that the acoustic branches were mainly formed from the lighter atoms, namely the F one, and the branches at high frequency originated from the carbon one. To assess more information on the mechanical properties of the studied structure, we also evaluated the elastic constants of CF₂Si. The results are shown in Table 3. The mechanical stability of the 2D CF₂Si monolayer can be examined by using the elastic constants C_{ij} . For symmetry reasons, we had only two elastic stiffness components, C_{11} and C_{12} , the $C_{66} = (C_{11} - C_{12})/2$. Because CF₂Si is bidimensional, the Born criteria of mechanical stability should satisfy the conditions $C_{11} > 0$ and $C_{66} > 0$ [35–37]. According to the calculated results of C_{ij} , the mechanical stability was satisfied, implying that the investigated structure would eventually be mechanically stable in its low-dimensional structure.

Table 3. Calculated lattice parameters, elastic components, and elastic modulus of CF₂Si monolayer.

a (Å)	C ₁₁ (N/m)	C ₁₂ (N/m)	E (N/m)	G_{xy} (N/m)	K (N/m)	ν
3.16086	118.543	22.410	114.306	48.067	70.477	0.189

According to the results of this table, and due to its buckled nature, the compound was rather rigid and had comparable properties to its SiC counterpart in the 2D honeycomb structure [21]. The application of strain on the 2D-SiC honeycomb structure showed a stable structure until 17% of compression. CF₂Si in fact manifested comparable dynamical properties as TH-SiC₂ and TH-SiC structures. C₁₁ (119.7 N/m) and C₁₂ (26.5 N/m) had values that were close to TH-SiC₂ ((T) and (H) stand, respectively, for tetragonal and hexagonal structures). The main small difference was mainly due to the F atom bonded in the out-plane direction of the Si–C bonds. As a result, the structure was less covalent than a TH-SiC₂, TH-SiC, or h-SiC monolayer and then more ductile along the shear direction. Furthermore, the shear modulus of CF₂Si was 17% lower than that of TH-SiC₂ [38]. This allowed a precise application of strain along the shear direction.



Figure 3. (a) Phonon dispersion plot and its corresponding (b) phonon density of states of CF_2Si monolayer in cm⁻¹.

3.2. Low-Dimensional CF₂Si Structure under Shear Tensile Strain

Starting with the fully relaxed 2D crystal structure CF₂Si, we simulated the shear tensile strain by decreasing the value of the γ angle from 120° to 98° (see Figure 4a,b). The tensile strain was defined as $\varepsilon = (\theta - \theta_0)/\theta_0 \times 100\%$, where θ and θ_0 are the lattice constants of the strained and relaxed structure, respectively. After the application of such a strain, the structure was fully relaxed, keeping the volume and lattice parameters constant, but allowing the relaxation of the internal atomic coordinates. The shear strain was applied step by step until ε reached a value of 98° of the initial $\gamma = 120^\circ$ angle.

To gain a better understanding of the structure's trend under shear deformation, we plotted the evolution of the C–Si bonds as a function of θ in three directions in Figure 4b. The linear compressibility of the d₁ and d₂ axial bonds was correlated. They gave a value of $\kappa = 1.6 \times 10^{-3}$ GPa⁻¹, where the lateral direction d₃ had a linear compressibility of $\kappa = 3.7 \times 10^{-3}$ GPa⁻¹. According to this result, we believe that the enlargement of the d₂ C–Si bonds under shear compression was responsible for the increase of most high-frequency modes and was a consequence of the change in the band-gap nature. Qualitatively, under the harmonic approximation, the stretching mode was proportional to frequency $\omega^{-2/3}$ [39]. Thus, according to our mode assignment, the strongest Raman active mode related to the carbon atoms, and located at a wavenumber of 970.1 cm⁻¹, increased to 1354.86 cm⁻¹ under a shear deformation of 18%. This result implied that the structure was rather compressible under shear deformation.



Figure 4. (a) Schematic representation of the pristine and strained (deformed) structure of CF_2Si monolayer. (b) Calculated strain dependence of C–Si bond distances. d_1 , d_2 represent the axial bonds and d_3 the lateral bonds.

In a subsequent step, we analyzed the effect of an imposed strain on the electronic band gap of the investigated structure. The result is gathered in Figure 5. The calculation of the band gap of the unstrained structure within the Heyd–Scuseria–Ernzerhof hybrid density functional (HSE06) [40] gave a value of 3.31 eV, whereas the PBE gave a band gap of 1.94 eV. The plot shows that with the increase of tensile strain, the band gap decreased and vanished for a strain of 18% on the structure. The new Si–C–Si reached a value of 98°, and this behavior (semiconductor-to-metal transition) was also shown in the application of a zigzag strain on the 2D–SiC [21]. As a result, we suspect a corresponding electronic transformation on the CF₂Si structure.





In order to understand this electronic transformation, we analyzed the nature of both Si–C and C–F bonds for strained and pristine structures. For this task, we performed the electron localization function (ELF) designed by Becke and Edgecombe [24] according to

the method proposed by Savin et al. [41]. The ELF topology gives a partition into localized electronic domains known as basins. They are used to rationalize the bonding schemes. The synaptic order of a valence ELF basin is determined by the number of core basins with which they share a common boundary. The basins' spatial locations are very close to the valence-shell electron-pair repulsion domains [42]. According to Savin et al. [41], in the DFT framework, the ELF can be understood as a local measure of the excess of local kinetic energy of electrons, $t_p(\vec{r})$. This quantity is computed by subtracting the bosonic contribution, $|\nabla \rho(\vec{r})|^2/8$, from the kinetic energy density of the system, $t(\vec{r})$. A rescaling of it with respect to the homogeneous electrons gas provides the core of the ELF, $\chi(\vec{r})$:

$$\chi(\vec{r}) = \frac{t_p(\vec{r})}{t_w(\vec{r})} = \frac{t(\vec{r}) - \frac{1}{8} \frac{|\nabla \rho(\vec{r})|^2}{\rho}}{c_F \rho^{5/3}(\vec{r})}$$
(2)

where c_F is the Fermi constant. Accordingly, the regions of electron pairing would have a small χ value. In order to inverse this relationship and map it in a closed interval, the final function was defined as follows:

$$\eta(\vec{r}) = \frac{1}{1 + \chi^2(\vec{r})}$$
(3)

The ELF partition shown in the inset of Figure 5 depicts two cases: the top for pristine structure, which depicts three disynaptic basins ELF-V(Si, C) built at isosurface = 0.95.

These basins had similar shapes and populations (see Table 4), while both basins V(Si,C) and V(C,Si) had $\eta(\vec{r}) = 0.96$ and their population was approximately equal to two electrons, indicating their covalent nature. Table 4 also indicates the existence of a monosynaptic basin V(F) with an ionic nature ($\eta(\vec{r}) = 0.79$), plus a small disynaptic V(C, F) basin ($\eta(\vec{r}) = 0.85$), with a weak electronic population. This behavior was a result of the strong polarization between the in-plane Si–C and C–F bonds. While the charge density (ρ) in the covalent bonds was weak, the ionic one in V(F) was strong. On the other hand, the strained structure showed deformed electronic basins. In the strained structure, the covalent disynaptic V(C, Si) basins also appeared, as well as new monosynaptic ones, for instance, a V(Si) basin with a small $\eta(\vec{r}) = 0.5$, as well as three polarized ionic V(F) basins, where we could show an increase in the electron population. We could also show an increase in the metallicity of the bonds and an extension of the charge density. The asymmetry in the bond population and the electronic volume of the emerged basins were attributed to the strong distortion of the strained structure.

A deeper analysis can untangle this behavior with both the 1D ELF profile and the NCI index. In Figure 6a,b, we displayed the ELF profile of Si–C–F, of unstrained and strained structures in black, the deformed Si–C–F bond of a strained structure in red, and also the lateral direction of Si-C-F of both structures in blue. The 1D ELF profile confirmed that the Si-C bond was covalent and C-F ionic, but it also confirmed the existence of a metallic plateau in the lateral direction of Si–C–F showing a region of very low ELF values with a small hill around $\eta(\vec{r}) = 0.5$. The same trend was noticed whilst studying the bulk SiC under strain [20]. In fact, in the application of tensile strain, the Si–C bond length built from the unit cell of the CF₂Si structure became different. This distortion enhanced the noncovalent interactions in the nonbonded Si and C direction. Given the relevance of this result, we used the same tool as in [20]. The noncovalent interactions' (NCI) isosurface is presented in Figure 6c,d. The noncovalent domain seemed to increase from the unstrained to the strained structure in the nonbonded Si-C-F direction. This region, in fact, did not play any meaningful role in the cohesion of low-dimensional CF_2Si , but rather in the stability and the enhancement of the polarization of bonds. This could be shown in the region of blue surrounding the distorted Si–C bonds of the strained structure, which explained the increase in ionicity and metallicity.

Table 4. Electron localization analysis of a basin of bonding of the CF₂Si monolayer. V(Ω), *q*, bond metallicity ($\rho/\nabla(\rho)$), and ρ stand, respectively, for basin volumes of disynaptic V(X,Y) and monosynaptic V(X) bonds, electronic charges of the bond, calculated bond metallicity and electronic density charge (ρ), and ELF (3, -3) basin.

Basin	V(Ω) (Bohr ³)	q (Electrons)	ELF	Bond Metallicity (ho / abla (ho))	ρ (Atomic Units)
pristine					
V(C,Si)	67.784	-2.1654	0.9617	-0.4906	0.12872651
V(Si,C)	71.167	-2.2023	0.9617	-0.4906	0.12872651
V(F)	57.249	-2.4110	0.7945	-1.2574	2.07097897
V(F,C)	3.137	-0.7520	0.8466	0.2796	0.37723410
strained					
V(C,Si)	19.022	-1.9622	0.9608	-0.3428	0.23750961
V(C,Si)	35.711	-0.6928	0.9252	-0.5682	0.07178674
V(Si,C)	33.542	-1.4756	0.9236	-0.5340	0.09279469
V(C,Si)	33.642	-1.4252	0.9175	-2.4263	0.10376149
V(Si)	52.592	-2.2627	0.4977	-0.3529	2.07237211
V(F)	73.435	-3.3421	0.8837	-0.5505	0.06132580
V(F)	42.653	-3.3972	0.8746	-0.5486	0.05989116
V(F)	48.171	-1.9589	0.8696	0.2769	0.37582815
V(F,C)	3.124	-0.7088	0.8478	0.2791	0.37814979



Figure 6. Left, one-dimensional ELF profile of bonds for (**a**) pristine and (**b**) strained CF₂Si monolayer. The black, blue, and red correspond, respectively, to Si–C–F, deformed Si–C–Si for strained structure, and Si–C–F lateral direction. Right, the noncovalent interactions index NCI = 0.3 isosurface of (**c**) pristine and (**d**) strained structures.

Finally, to investigate the relationship between conductivity and shear effect on the low-dimensional CF₂Si structure, we used the semiclassical Boltzmann transport theory with a fixed relaxation time approximation to predict the electrical conductivity (σ). This task was done by the use of the BoltzTraP code [43]. We note that, as the procedure was related to the band structure calculation, we took care to increase the grid of the calculation by the use of $37 \times 37 \times 1$ k-points. Figure 7 gives the σ/τ (τ being the relaxation time) at 300 K as a function of the carrier concentration for both pristine (0%) and strained (18%) structures. We can see that the tensile shear strain increased in both the **p**- and **n**-type doped systems. In fact, the increase in σ coincided with that of the band gap. Therefore, the electrical conductivity was efficiently tuned by the strain via band structure engineering. It was noted that the p-type doped region was more affected due to the closing of the band gap.



Figure 7. Calculated electrical conductivity of pristine (0%) and strained (18%) structures at ambient temperature. The electrical conductivity was calculated with respect to the relaxation time τ . The transporting directions are not distinguished here.

4. Summary

We showed in this contribution that when the CF_2Si low-dimensional structure was submitted to the application of tensile strain along the shear direction, an electronic transition occurred from the semiconducting phase with a wide electronic band gap to a metallic one with a vanishing band gap. A first attempt to understand this transformation was made within the density functional method calculation, by calculating the stability and mechanical properties of the investigated structure. Furthermore, to understand this mechanism, we used the inherent topological bonding. This task allowed us to understand that this transition was a response to the new repartition of the electronic population and an enhancement of weak noncovalent interactions along the nonbonded directions of the unit cell. Overall, such interactions could be responsible for the relative stability of the structure and also play an important role in controlling the nature of the electronic wave function describing the computed structure. The increase of electric conductivity as a function of strain stipulated the poor performance of the CF₂Si low-dimensional structure as a thermoelectric system.

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