

Supplementary Material: Positioning Accuracy in Holographic Optical Traps

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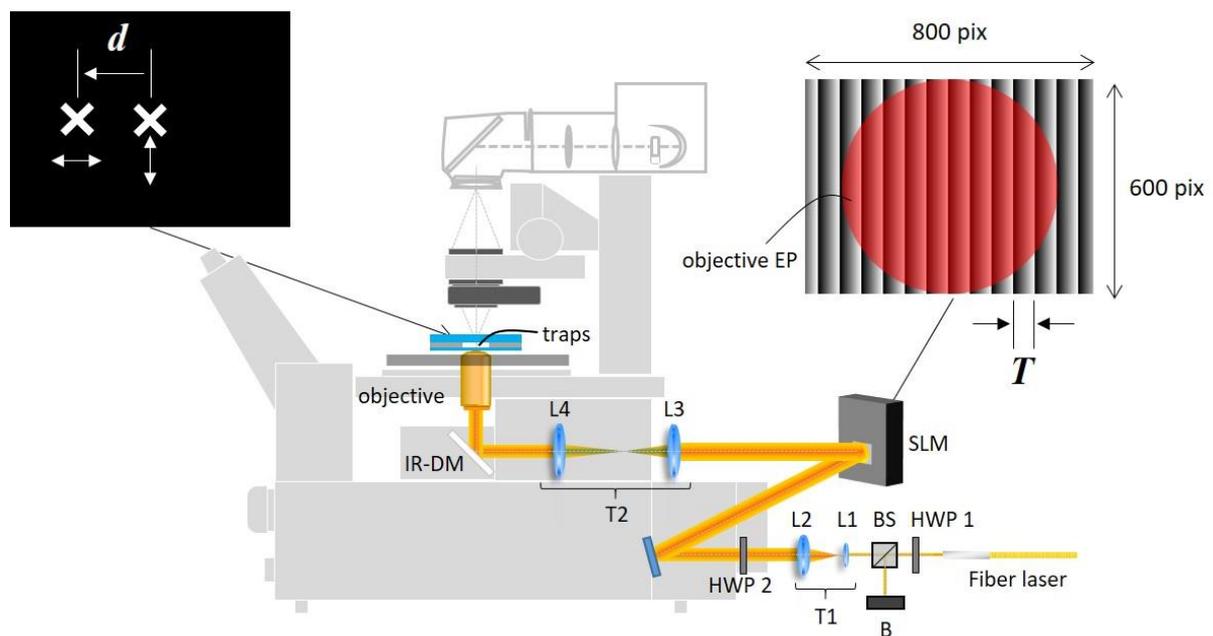


Figure 1. Sketch of our holographic optical tweezers (HOT) set-up. Briefly, our SLM is conjugated at the entrance pupil of an NA = 1.2 trapping objective, so the optical field at the trapping plane is related to the SLM through an optical Fourier Transform. HWP: half-wave plate; B: beam block; BS: polarizing beam splitter; L: lens; T: telescope; IR-DM: infrared short-pass dichroic mirror. See manuscript for details.

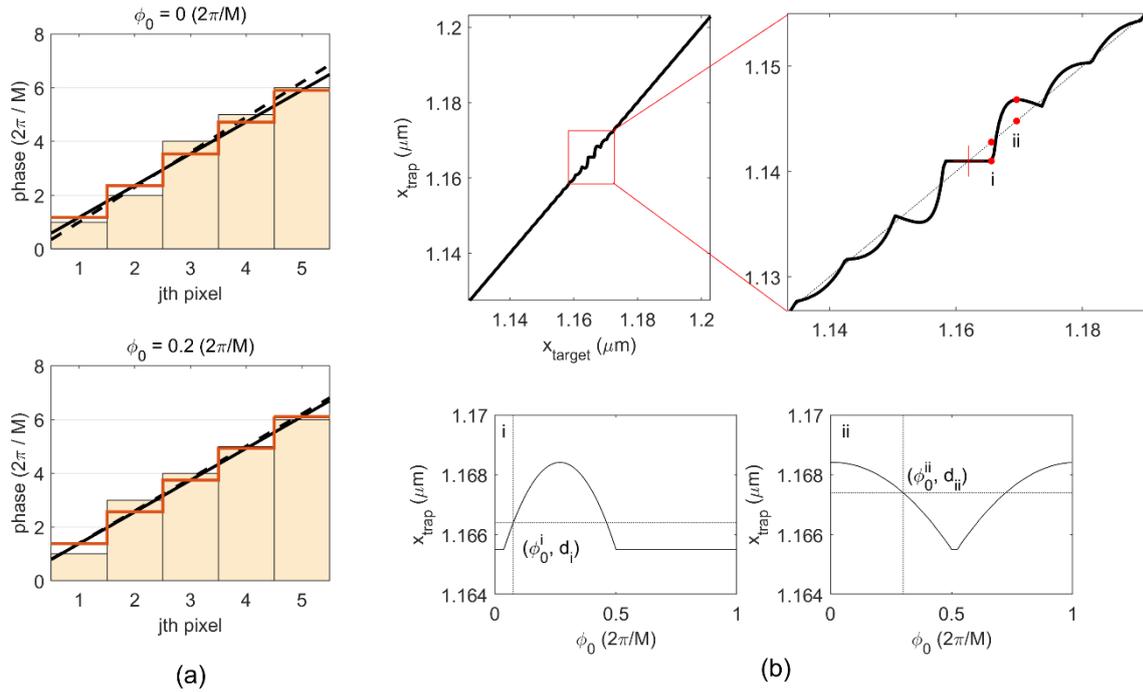


Figure 2. Phase quantization effect on trap positioning. (a) Hologram with reduced number of pixels ($N = 5$). The black line is the ideal, continuous linear phase profile, $\phi^{ideal}(x)$, whereas the dashed line is the average phase profile obtained from the linear fit $\phi_j = ax_j + b$. The orange staircase represents the ideal discrete phase values, ϕ_j^{ideal} , and the bar plot corresponds to the nearest phase values, ϕ_j^{actual} , that the hologram takes after phase quantization. Top – slope difference for a non-optimized case. Bottom – after adding an appropriate phase value, ϕ_0 , the phase profile approaches the target slope thanks to a change in pixel 2. (b) Trap positioning simulated around $d_{288}^{(1)}$. Insets i and ii show the variation in positioning around d_i and d_{ii} (horizontal, dashed lines) after adding ϕ_0 . Phase offsets, ϕ_0^i and ϕ_0^{ii} , optimizing for d_i and d_{ii} , respectively, are indicated.