



**Table S1.** AVIRIS-ng flightlines used for this analysis. Both short name (this analysis) and full flightline ID (archived on the JPL database) are provided. 15 lines total.

<b>Short Name</b>	<b>Flightline ID</b>
Gilroy	ang20200918t232303
Kern_1	ang20200724t191126
Kern_2	ang20200924t213537
Kings	ang20200924t200728
Lodi_1	ang20200907t203701
Lodi_2	ang20200918t210935
MaderaFresno	ang20200924t203044
Napa_1	ang20200918t215728
Napa_2	ang20200918t220357
Napa_3	ang20200918t221604
Solano	ang20200918t204940
Tulare_1	ang20200903t201645
Tulare_2	ang20200903t203648
TulareKings	ang20200924t193402
Yolo	ang20200918t203620

**Table S2.** Mutual information matrix. Higher mutual information implies a stronger relationship. Bootstrapping by random selection of 30% of data values resulted in MI variability on the order of 0.01 or less.

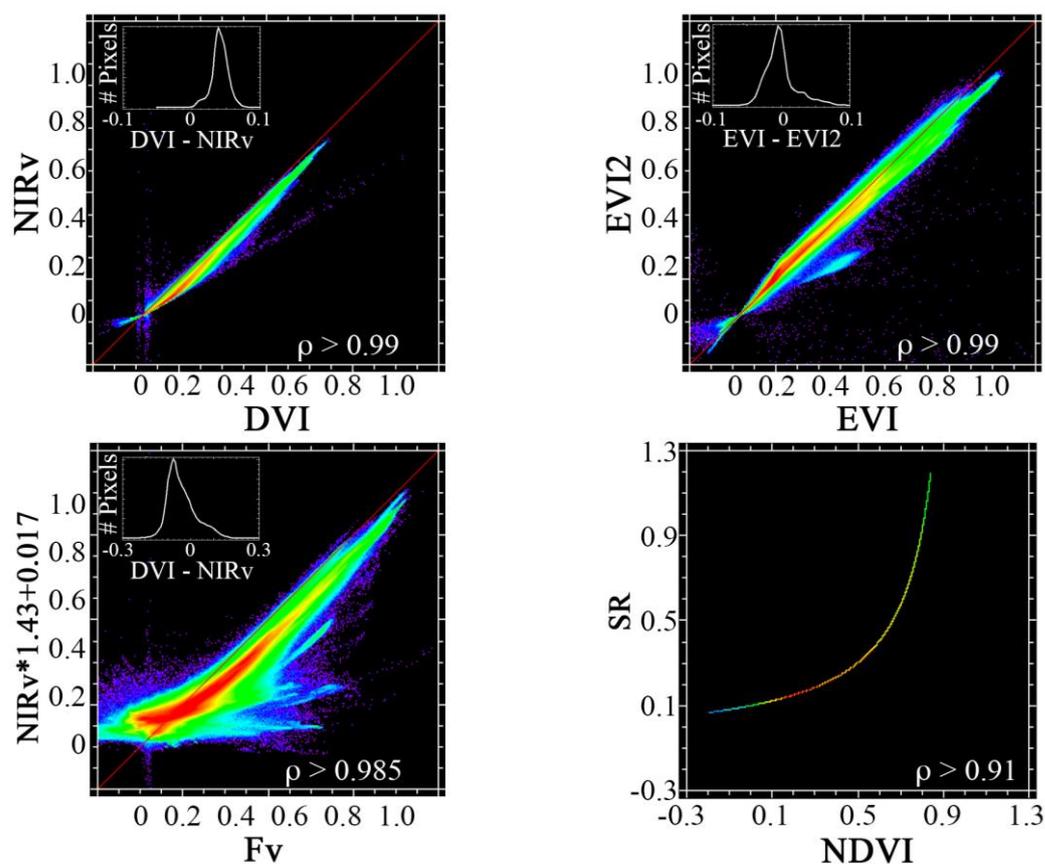
*Mutual Information (MI)*

	<b>Fv</b>	<b>DVI</b>	<b>NDVI</b>	<b>NIRv</b>	<b>SR</b>	<b>EVI</b>	<b>EVI2</b>
<b>Fv</b>	12.01	1.44	0.69	1.41	0.69	1.25	1.34
<b>DVI</b>	1.44	12.01	0.77	2.45	0.77	1.60	1.80
<b>NDVI</b>	0.69	0.77	12.01	0.98	11.34	1.20	1.25
<b>NIRv</b>	1.41	2.45	0.98	12.01	0.98	2.01	2.77
<b>SR</b>	0.69	0.77	11.33	0.98	12.01	1.20	1.25
<b>EVI</b>	1.25	1.60	1.20	2.01	1.20	12.01	2.30
<b>EVI2</b>	1.34	1.80	1.25	2.77	1.25	2.30	12.01

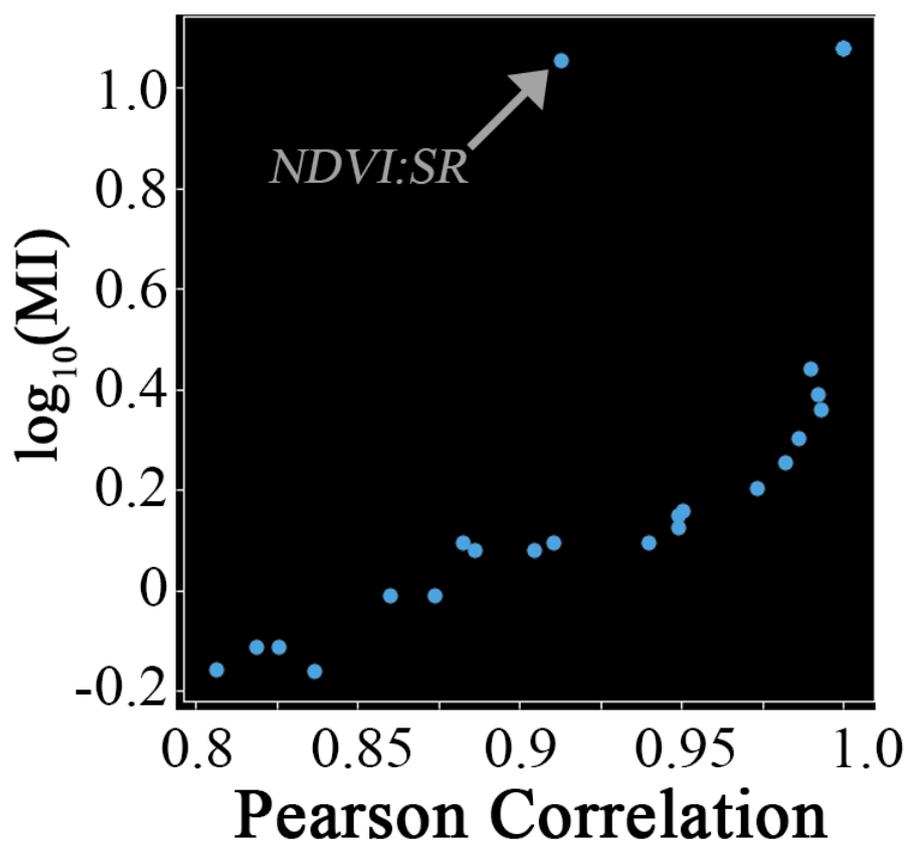
**Table S3.** Correlation matrix. All Pearson correlation coefficients are significantly different from the uncorrelated null hypothesis ( $p < 0.01$ ).

*Pearson Correlation ( $\rho$ )*

	<b>Fv</b>	<b>DVI</b>	<b>NDVI</b>	<b>NIRv</b>	<b>SR</b>	<b>EVI</b>	<b>EVI2</b>
<b>Fv</b>	1.000	0.950	0.837	0.949	0.806	0.940	0.949
<b>DVI</b>	0.950	1.000	0.826	0.992	0.818	0.973	0.982
<b>NDVI</b>	0.837	0.826	1.000	0.860	0.913	0.904	0.910
<b>NIRv</b>	0.949	0.992	0.860	1.000	0.873	0.986	0.990
<b>SR</b>	0.806	0.818	0.913	0.873	1.000	0.886	0.882
<b>EVI</b>	0.940	0.973	0.904	0.986	0.886	1.000	0.993
<b>EVI2</b>	0.949	0.982	0.910	0.990	0.882	0.993	1.000



**Figure S1. Additional VI relationships.** Upper left: DVI and NIRv are highly correlated ( $\rho > 0.99$ ), but DVI gives slightly higher values (mean difference 4.0%, standard deviation 1.2%). Upper right: EVI and EVI2 are also highly correlated ( $\rho > 0.99$ ), with a much smaller average difference (mean = 0.1%) but greater dispersion (standard deviation = 2.2%). Lower left: Regressing NIRv against Fv greatly reduces underestimation but increases the sensitivity to substrate background reflectance (note negative values excluded in regression). Lower right: The bivariate distribution of NDVI and SR gives a strikingly tight curvilinear relationship. An algebraic explanation for this is explored in Analytical Exercise S1.



**Figure S2. Parametric versus nonparametric statistics.** Pearson correlation coefficient ( $\rho$ ) is roughly loglinear with Mutual Information (MI) for these distributions. The strong nonlinear analytic NDVI:SR relationship (lower right on Figure S1) occurs as an outlier deviating well above the log-linear relation ( $\rho = 0.91$ ,  $\log_{10}(\text{MI}) > 1$ ). This demonstrates the efficacy of MI in quantifying nonlinear relationships. The lack of similarly elevated MI values for NDVI:F<sub>v</sub> and SR:F<sub>v</sub> provides further evidence that the greater dispersion and heteroskedasticity of these indexes would be challenging to incorporate effectively into even a nonlinear regression. The 7 identical outliers ( $\rho = 1.0$ ,  $\text{MI} = 12.01$ ) upper right correspond to self-information of each distribution with itself.

**Analytical Exercise S1.** An exploration of the relationship between SR and NDVI.

Begin with the formula for SR:

$$SR = \frac{NIR}{Red}$$

Rearrange terms:

$$Red = \frac{NIR}{SR}$$

Now examine the formula for NDVI:

$$NDVI = \frac{NIR - Red}{NIR + Red}$$

Substitute for Red:

$$NDVI = \frac{NIR - \frac{NIR}{SR}}{NIR + \frac{NIR}{SR}}$$

Multiply by 1:

$$NDVI = \frac{NIR - \frac{NIR}{SR}}{NIR + \frac{NIR}{SR}} \times \frac{SR}{SR}$$

$$NDVI = \frac{(SR \times NIR) - NIR}{(SR \times NIR) + NIR}$$

Factor:

$$NDVI = \frac{NIR \times (SR - 1)}{NIR \times (SR + 1)}$$

Simplify:

$$NDVI = \frac{SR - 1}{SR + 1}$$

The relationship between SR and NDVI can thus be described by a simple rational function of the form:

$$y = \frac{x - 1}{x + 1}$$

This explains the curvilinear shape of the lower right plot in Figure S1, as well as the notably elevated MI score for this pair of vegetation indices.