



# Article Thermal Model Approach to the YASA Machine for In-Wheel Traction Applications

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**Abstract:** The axial-flux permanent magnet (AFPM) machines with yokeless and segmented armature (YASA) topology are suitable for in-wheel traction systems due to the high power density and efficiency. To guarantee the reliable operation of the YASA machines, an accurate thermal analysis should be undertaken in detail during the electrical machine design phase. The technical contribution of this paper is to establish a detailed thermal analysis model of the YASA machine by the lumped parameter thermal network (LPTN) method. Compared with the computational fluid dynamics (CFD) method and the finite element (FE) method, the LPTN method can obtain an accurate temperature distribution with low time consumption. Firstly, the LPTN model of each component of the YASA machine is constructed with technical details. Secondly, the losses of the YASA machine are obtained by the electromagnetic FE analysis. Then, the temperature distribution of the YASA machine is manufactured and its temperature distribution under different operating conditions is tested by TT-K-30 thermocouple temperature sensors. The experimental data matches the LPTN results well.

**Keywords:** lumped parameter thermal network (LPTN); losses; temperature distribution; yokeless and segmented armature (YASA)

# 1. Introduction

Electric vehicles driven by four in-wheel electrical machines make the traction system more simplified and flexible [1]. In the limited volume, the yokeless and segmented armature (YASA) axial flux machine is capable of producing larger torque compared with radial flux machines [2–5]. The yokeless segmented stator core and the centralized short-distance windings make it more efficient and give it a higher power density [6,7]. Therefore, YASA machines are potential candidates for in-wheel traction applications.

It is well-known that losses cause the temperature rise of electrical machines, which can weaken the machine's performance and even damage electrical machines [8]. The insulation system of armature winding and thermal characteristics of the permanent magnet limits the maximum temperature of the electrical machines. The YASA machines feature a high power density, which means a high loss density as well [9,10]. When machines produce the peak torque under the peak current, a high copper loss is generated, making the winding temperature rise rapidly. That challenges the insulation system of the electrical machine. To ensure the reliability of the YASA machine, the thermal performance should be thoroughly considered [11,12].

There are three typical methods for the thermal analysis of YASA machines, i.e., the computational fluid dynamics (CFD) method, the finite element (FE) method, and



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**Copyright:** © 2022 by the authors. Licensee MDPI, Basel, Switzerland. This article is an open access article distributed under the terms and conditions of the Creative Commons Attribution (CC BY) license (https:// creativecommons.org/licenses/by/ 4.0/). the lumped parameter thermal network (LPTN) method [13–21]. The CFD method can calculate the convective heat transfer coefficients, which are significant in electrical machine design [1,13]. However, the CFD model is usually complicated, which means it requires several days or even a week to establish and calculate the thermal model [14]. In [15], a novel stator cooling structure is introduced to improve the temperature distribution of the YASA machine, and the CFD method verifies the proposed cooling structure. The CFD method is applied in [16] to calculate an innovative water-cooling system for the YASA machine. The FE method can obtain an accurate temperature distribution, but it requires several hours to calculate the model and the boundary processing is complicated and difficult [17,18]. In [17], both analytical and experimental investigations into the air-cooling of a YASA motor for in-wheel traction are presented. In [18], a stator heat extraction system for YASA machines is introduced and modeled, and the thermal analysis is calculated by the FE method. The LPTN method divides the electrical machine into several nodes corresponding to the machine components and the heat-source distribution [19,20], which can guarantee the analysis accuracy while keeping it fast compared with the CFD and FE methods. For machines with complex structures, accurate temperature distribution can be quickly obtained by LPTN. Therefore, this paper only focuses on a LPTN model of the YASA machine.

To the best of our knowledge, only a few papers have used the LPTN method to compute the temperature distribution of YASA machines. For example, in [21], the shorttime duty and the intermittent duty of a 4 kW YASA machine are calculated based on the LPTN method. In [22], a lumped parameter T-type thermal network model is applied to the YASA machine temperature calculation, but it mainly focuses on the calculation of core loss rather than the total losses. In [23], a 3D LPTN model is developed and experimentally validated, where the air-cooling channels between permanent magnets on the rotor plates are also considered. However, it only constructs the thermal models of the stator (including the armature winding and stator core) and rotor without considering the other components of the YASA machine. The main technical contribution of this paper is to use the LPTN method to construct a detailed thermal model for the YASA machine including all components. The temperature distribution of the YASA machine is obtained rapidly and accurately by considering the losses calculated by the FE method. The LPTN model can provide a reference for the thermal analysis of YASA machines, which not only ensures the thermal reliability of the machine, but also saves time and calculation resources in the machine design phase.

This report is arranged as follows: In Section 2, the topology of the YASA machine is introduced, and the corresponding design parameters are listed. Then, in Section 3, the detailed thermal model of the YASA machine is established, and the corresponding thermal resistance of all components is deduced. To obtain the temperature distribution, the calculated losses are introduced into the entire thermal model of the YASA machine, as described in Section 4. After that, in Section 5, the prototype test proves the accuracy of the thermal network model. Finally, this paper is concluded in Section 6.

## 2. Topology of the Studied YASA Machine

In this section, the structure and design parameters of the YASA machine are introduced.

## 2.1. Structure

Similar to the radial-flux permanent magnet (RFPM) machines, the YASA machines belong to the category of permanent magnet (PM) machines. However, the magnetic flux in the air gap of YASA machines is different from that of the RFPM machines. The magnetic flux of the YASA machines is along the axial direction in the air gap, while that of the RFPM machines is along the radial direction. Compared with the conventional RFPM machines, the YASA machines can generate a higher performance when the radial diameter is larger than the axial length [1,8,17].

The YASA machines consist of a yokeless and segmented stator and double external rotors [8]. The main magnetic flux of YASA machines, shown in Figure 1, starts from the N-pole permanent magnet and passes through the stator core to the S-pole on the other side. After passing through the rotor core on the second side, the flux starts from the N-pole on the second side and passes through the stator core to the S-pole of the first side. Finally, the main magnetic flux forms a closed loop.

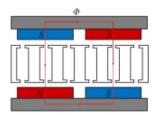


Figure 1. The main magnetic flux of the YASA machines.

The construction of YASA machines possesses many significant advantages. The segmented stator core equipped with a concentrated winding having short end-windings that result in a high filling factor and low copper losses. The structure of a yokeless stator is beneficial to decreasing mass and core loss [1,8,17]. In addition, YASA machines generally exhibit low self-inductance and mutual inductances among the phases, which improve fault tolerance and operation reliability [16,19].

The YASA machine investigated in this paper is shown in Figure 2, where the *x*-axis, *y*-axis, and *z*-axis, respectively, represent the circumferential direction, axial direction, and radical direction. The YASA machine can be divided into the stationary part and rotating part, where the stationary part includes the stator core, armature winding, supporting frame, and shaft, and the rotating part includes permanent magnets, rotor core, and the housing.

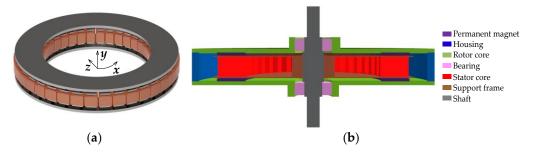


Figure 2. Structure of the YASA machine: (a) 3-dimensional structure; (b) view of the cross-section.

#### 2.2. Design Parameters

A 5 kW prototyped machine was developed to validate the thermal analysis of the YASA machine. The main performance and geometric parameters are listed in Table 1.

Parameters	Values	Parameters	Values
DC voltage (V)	72	Active outer diameter (mm)	270
Rated power (kW)	5	Active internal diameter (mm)	190
Rated speed (r/min)	480	Active axial length (mm)	45
Rated torque (Nm)	99	Rotor core thickness (mm)	4.8
Rated current (Arms)	17	Permanent magnet thickness (mm) 3.4	
Slot number	36	Pole arc coefficient	0.83
Pole number	32	Air gap (mm)	0.9

Table 1. Key parameters of the studied YASA machine.

# 3. Construction of the LPTN Model

In this section, the LPTN models of different components of the YASA machine are constructed. Generally, there are three main parts taken into account, i.e., the stationary part, the rotating part, and the YASA machine assembly. The thermal model of the YASA machine involves many parameters (including geometric parameters and heat transfer coefficients). The geometric parameters of the YASA machine are determined by the intelligent optimization algorithm in the machine design process. Additionally, the heat transfer coefficients are identified by fine-tuning against simple test data through a genetic algorithm [24].

# 3.1. Thermal Model of the Stationary Part

In this subsection, the thermal model of the stationary part is introduced, which includes the armature winding, stator core, support frame, and shaft.

# 3.1.1. Armature Winding

The armature winding is the main heat source, especially when operating at peak torque with peak current. The heat dissipation of the armature winding is difficult, because the winding is in the middle of the YASA machine. Additionally, the winding is relatively dispersed, resulting in uneven temperature distribution. Hence, it is difficult to build a detailed thermal model.

This paper uses the layered winding model from [25], in which the coil of the armature winding is regarded as a uniform heat conduction material. The actual thermal conductivity is replaced by an equivalent thermal conductivity  $k_{wd}$ .

The armature winding includes the outer end-winding, inner end-winding, and slotwinding. Figure 3 shows the specific position of the armature winding. Each section of the armature winding is represented in Figure 4. The numbers in Figure 4 correspond to those marked in Figure 3.

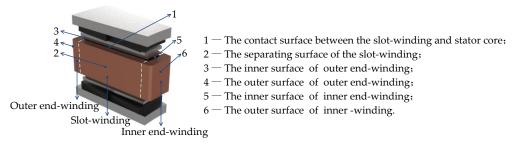


Figure 3. Position in the cross-section of the segmented stator.

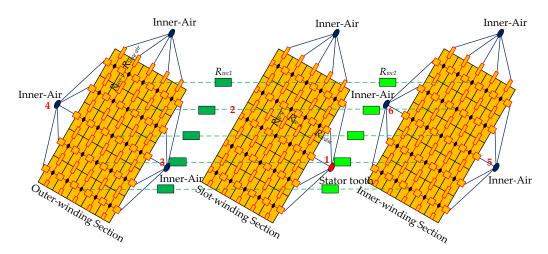


Figure 4. The thermal model of a single segmented armature winding.

For both the inner and outer end-winding, axial thermal resistances ( $R_{wo-y}$ ,  $R_{woy-air}$ ,  $R_{wo-ya}$ ,  $R_{w-y}$ ) and radial thermal resistance ( $R_{w-x}$ ) are considered. Since the axial crosssection of the end-windings remains unchanged, the axial thermal resistances are approximately constant. The radial thermal resistance changes with the radius. For instance, the axial thermal resistance of the outer end-winding is

$$R_{wo-y} = \frac{L_{wo-y}}{k_{wd}S_{wo-y}} \tag{1}$$

where  $L_{wo-y}$  is the distance of adjacent nodes at the outer end-winding, and  $S_{wo-y}$  is the area of the corresponding region between nodes, as shown in Figure 4.

Between the outer end-winding and inner-air (including the air gap and air inside the YASA machine), there are axial thermal resistances  $R_{woy-air}$  and  $R_{wo-ya}$ .

$$R_{woy-air} = \frac{1}{2}R_{wo-y} + R_{wo-ya} \tag{2}$$

$$R_{wo-ya} = \frac{1}{k_{wdout}S_{wo-y}} \tag{3}$$

where  $R_{wo-ya}$  is the convective thermal resistance and  $k_{wdout}$  is the equivalent convective heat transfer coefficient.

Similarly, the cross-section of slot-winding is constant. The thermal resistances of the slot-winding (including the axial thermal resistance  $R_{w-y}$  and radial thermal resistance  $R_{w-x}$ ) are regarded as unchanged. The expressions follow:

$$R_{w-y} = \frac{\frac{H_{wd}}{2}/5}{\left(\frac{W_{wd}}{2}/5 \times L_s\right) \times k_{wd}}$$
(4)

$$R_{w-x} = \frac{\frac{W_{wd}}{2}/5}{\left(\frac{H_{wd}}{2}/5 \times L_s\right) \times k_{wd}}$$
(5)

where  $W_{wd}$  and  $H_{wd}$  represent the width and height of slot-winding, respectively.  $L_s$  is the difference between the outer and inner radius of the stator core.

When calculating the thermal resistance  $R_{wdsc}$  between the slot-winding and stator core, the thermal resistance of slot insulation should be taken into account:

$$R_{wdsc} = \frac{1}{2}R_{w-x} + R_{lx-s} + R_{scx}$$
(6)

$$R_{lx-s} = \frac{W_l}{\left(\frac{H_{wd}}{2}/5 \times L_s\right) \times k_l} \tag{7}$$

where  $R_{lx-s}$  is the thermal resistance of the slot insulation,  $W_l$  is the equivalent thickness of the slot insulation,  $k_l$  is the equivalent thermal conductivity of the slot insulation, and  $R_{s_{cx}}$  is the thermal resistance of the stator core along the *x*-axis. In addition, there are thermal resistances  $R_{wc1}$  and  $R_{wc2}$  between the slot-winding and both end-windings, respectively, as shown in Figure 4.

#### 3.1.2. Stator Core

The complete thermal model of the stator is shown in Figure 5. It should be noted that the thermal model of the armature winding and segmented stator core can be consolidated into a single node [19].  $R_{ciax}$  and  $R_{ciay}$  are the equivalent thermal resistance of the armature winding along the *x*-axis and *y*-axis, respectively.  $R_{lx}$  is the thermal resistance of the slot insulation.  $R_{wia}$  is the convective thermal resistance between the armature winding and inner-air.  $P_{w,slot}$  and  $C_{w,slot}$  represent the loss and heat capacity of the 1/4 slots, respectively.

 $P_{sc,slot}$  and  $C_{sc,slot}$  represent the loss and heat capacity of the 1/2 stator core, respectively. The heat capacity is defined as follows:

$$C_x = c_x m_x \tag{8}$$

where  $m_x$  and  $c_x$  are the mass and heat capacity, respectively.

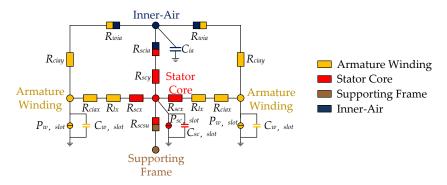


Figure 5. Thermal model of the single-segmented stator.

 $R_{scx}$  and  $R_{scy}$  are the thermal resistances of the stator core along the *x*-axis and *y*-axis, respectively. The calculations are as follows:

$$R_{scx} = \frac{W_{st}/2}{\frac{H_{st}}{2} \times L_s k_{iron}}$$
(9)

$$R_{scy} = \frac{H_{st}/4}{W_{st}L_sk_{iron}} \tag{10}$$

where  $W_{st}$  and  $H_{st}$  are the width and height of the stator core, respectively, and  $k_{iron}$  is the thermal conductivity of the stator core.

Owing to the symmetrical structure, Figure 5 can be further simplified to Figure 6. Figure 6 is the thermal model of the stator core, which constitutes the entire thermal model of the YASA machine (discussed in Section 3.3).  $P_w$  and  $C_w$  represent half of the copper loss and heat capacity.  $P_{sc}$  and  $C_{sc}$  represent half of the stator core loss and heat capacity. The convective thermal resistance between the stator core and inner-air present is  $R_{scia}$ .

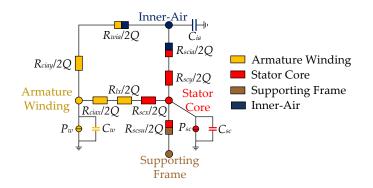


Figure 6. Simplified thermal model of the segmented stator.

## 3.1.3. Support Frame

The segmented stator core is shown in Figure 7a. In Figure 7b, there are matched cages on both sides of the segmented stator cores for support. The cages are connected by a circular connector with a support frame.

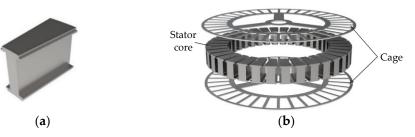


Figure 7. Stator: (a) segmented stator core; (b) stator core and cages.

The thermal model of the support frame is shown in Figure 8. The support frame connects with the stator core and shaft. The thermal resistance between the support frame and stator core is  $R_{scsu}$ , as shown in Figure 6. The thermal resistance between the support frame and shaft is  $R_{sush}$ . In addition, there is thermal resistance  $R_{suia}$  between the support frame and inner-air. The calculation equations follow:

$$R_{scsu} = \frac{l_{scsu}}{S_{scsu}k_{air}} \tag{11}$$

$$R_{sush} = \frac{l_{sush}}{S_{sush}k_{air}}$$
(12)

$$S_{sush} = 2\pi R_{sui} \frac{H_{su}}{2} = \pi R_{sui} H_{su} \tag{13}$$

where  $l_{scsu}$  is the tolerance clearance between the support frame and stator core,  $l_{sush}$  is the tolerance clearance between the support frame and shaft,  $S_{scsu}$  is the area of the tolerance clearance between the support frame and stator core,  $S_{sush}$  is the area of the tolerance clearance between the support frame and shaft, and  $k_{air}$  is the thermal conductivity of air.  $R_{sui}$  and  $H_{su}$  are the inner radius and height of the connector.

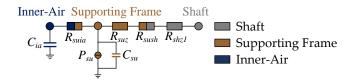


Figure 8. The thermal model of the support frame.

# 3.1.4. Shaft

Figure 9 shows the thermal model of shaft, where  $R_{shz1}$  represents the radial thermal resistance from the support frame to shaft,  $R_{shz2}$  is the radial thermal resistance from the shaft to bearing,  $R_{shy1}$  is the axial thermal resistance between the shaft and bearing,  $R_{shy2}$  is the axial thermal resistance from the bearing to shaft end,  $R_{shso}$  is convective thermal resistance between the shaft and surroundings. Additionally, there is convection thermal resistance  $R_{shia}$  between the shaft and inner-air. The thermal resistances are calculated as follows:

$$R_{shz1} = \frac{d_{sh1}/2}{(\pi d_{sh1}/2)\frac{H_{sh}}{2}k_{sh}} = \frac{2}{\pi H_{sh}k_{sh}}$$
(14)

$$R_{shz2} = \frac{d_{sh2}/2}{(\pi d_{sh2}/2)H_{be}k_{sh}} = \frac{1}{\pi H_{be}k_{sh}}$$
(15)

$$R_{shy1} = \frac{l_{sh1}/4}{\pi (d_{sh1}/2)^2 k_{sh}} + \frac{l_{sh2}/2}{\pi (d_{sh2}/2)^2 k_{sh}}$$
(16)

$$R_{shy2} = \frac{l_{sh2}/2}{\pi (d_{sh2}/2)^2 k_{sh}} + \frac{l_{sh3}/2}{\pi (d_{sh3}/2)^2 k_{sh}}$$
(17)

$$R_{shso} = \frac{1}{S_{shso}k_{shso}} \tag{18}$$

$$S_{shso} = \pi (d_{sh3}/2)^2 + \pi d_{sh3} l_{sh3}$$
(19)

where  $k_{sh}$  is the thermal conductivity of the shaft,  $k_{shso}$  is the convective heat transfer coefficient between the shaft and surroundings, and  $H_{be}$  is the height of the bearing. The other structural parameters are defined in Figure 10.

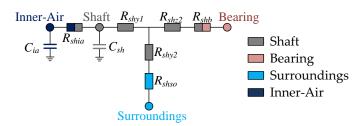


Figure 9. Thermal model of the shaft.

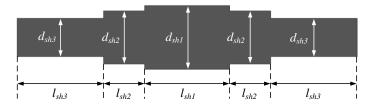


Figure 10. Structure of the shaft.

# 3.2. Thermal Model of the Rotating Part

In this subsection, the thermal model of the rotating part is introduced, which includes the permanent magnets, bearing, rotor core, and housing.

# 3.2.1. Permanent Magnet

Figure 11 shows the thermal model of the permanent magnet, where  $R_{mia}$  is the convective thermal resistance between the permanent magnet and inner-air,  $R_{my}$  is the axial thermal resistance of the permanent magnet,  $R_{mrc}$  is the thermal resistance between the permanent magnet and rotor core, and  $R_{rcy}$  is the axial thermal resistance of rotor core.

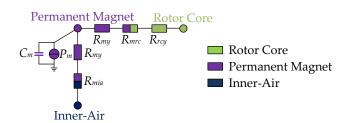


Figure 11. Thermal model of the permanent magnet.

The equations of  $R_{my}$ ,  $R_{mcr}$  and  $R_{rcy}$  follow:

$$R_{my} = \frac{H_m/2}{S_m k_m} \tag{20}$$

$$R_{mrc} = \frac{l_{mr}}{S_m k_{air}} \tag{21}$$

$$R_{rcy} = \frac{H_{rc}/2}{S_{rc}k_{rc}}$$
(22)

$$S_{rc} = \pi \left( r_{rco}^2 - r_{rci}^2 \right) \tag{23}$$

where  $H_m$  and  $H_{rc}$  are the thicknesses of the permanent magnet and rotor core, respectively.  $S_m$ ,  $S_{rc}$  is the radial cross-section area of the permanent magnet and rotor core, respectively;  $k_m$ ,  $k_{rc}$  is the thermal conductivity of permanent magnet and rotor core, respectively. The tolerance clearance between the permanent magnet and rotor core is  $l_{mr}$ ;  $r_{rco}$ ,  $r_{rci}$  is the outer and inner radius of the rotor core, respectively. The components of the machine cross-section are illustrated in Figure 12.

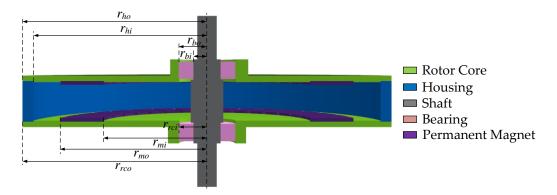


Figure 12. Cross-section of the YASA machine.

#### 3.2.2. Bearing

The bearing connects the stationary part and the rotating part. Figure 13 shows the thermal model of the bearing.  $P_b$  represents the friction loss of the bearing. A part of the heat transfers from the bearing to the rotor core and is dissipated.  $R_{shb}$  is the thermal resistance between the bearing and shaft, as shown in Figure 9.  $R_{brc}$  is the thermal resistance between the bearing and rotor core, as shown in Figure 13. The equations follow:

$$R_{shb} = \frac{(r_{bo} - r_{bi})/2}{\frac{\binom{r_{bo} + r_{bi}}{2} + r_{bi}}{2} 2\pi H_{be} k_{be}} = \frac{(r_{bo} - r_{bi})/2}{\left(\frac{r_{bo} + r_{bi}}{2} + r_{bi}\right) \pi H_{be} k_{be}}$$
(24)

$$R_{brc} = \frac{(r_{bo} - r_{bi})/2}{\left(\frac{r_{bo} + r_{bi}}{2} + r_{bo}\right)\pi H_{be}k_{be}}$$
(25)

where  $r_{bo}$  and  $r_{bi}$  are the outer and inner radius of the bearing, respectively, and  $k_{be}$  is the equivalent thermal conductivity of the bearing.

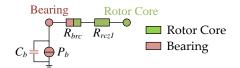


Figure 13. Bearing thermal model.

 $R_{rcz1}$  is the thermal resistance of the rotor core. Assuming the rotor core and the permanent magnet are the same distance to the shaft, then:

$$R_{rcz1} = \frac{r_{rcma} - r_{rci}}{(r_{rcma} + r_{rci})\pi H_{rc}k_{rc}}$$
(26)

where  $r_{rcma}$  is the distance from the permanent magnet to the shaft center,  $R_{rci}$  is the inner radius of the rotor core, which is equal to the outer radius of the bearing,  $H_{rc}$  is the height of the rotor core, and  $k_{rc}$  is the thermal conductivity of the rotor core.

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# 3.2.3. Rotor Core

The eddy current loss of the rotor core is calculated by the FE method. Figure 14 shows the thermal model of the rotor core, which contacts the inner-air and surroundings directly.  $R_{rcia}$  is the convective thermal resistance between the rotor core and inner-air,  $R_{rcso}$  is the convective thermal resistance between the rotor core and surroundings,  $R_{rcz2}$  is the thermal resistance of the rotor core, and  $R_{hy}$  is the axial thermal resistance of the housing. The calculation formulae follow:

$$R_{rcia} = \frac{1}{k_{rcia}S_{rcia}} \tag{27}$$

$$S_{rcia} = \pi \left( r_{hi}^2 - r_{mo}^2 \right) + \pi \left( r_{mi}^2 - r_{rci}^2 \right)$$
(28)

$$R_{rcso} = \frac{1}{k_{rcso}S_{rcso}} \tag{29}$$

$$S_{rcso} = \pi \left( r_{rco}^2 - r_{rci}^2 \right) \tag{30}$$

$$R_{rcz2} = \frac{r_{rco} - r_{rcma}}{(r_{rcma} + r_{rco})\pi H_{rc}k_{rc}}$$
(31)

$$R_{hy} = \frac{H_h/4}{\pi (r_{ho}^2 - r_{hi}^2)k_h}$$
(32)

where  $k_{rci}$  is the convective heat transfer c between the rotor core and inner-air, and  $k_{rcso}$  is the convective efficient heat transfer coefficient between the rotor core and surroundings.  $S_{rcia}$  is the contact area between the rotor core and inner-air,  $S_{rcso}$  is the contact area between the rotor core and surroundings;  $r_{mo}$  and  $r_{mi}$  are the outer and inner radius of the permanent magnet, respectively;  $r_{ho}$  and  $r_{hi}$  are the outer and inner radius of the housing, respectively;  $H_h$  is the height of the housing; and  $k_h$  is the thermal conductivity of the housing.

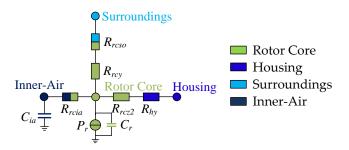


Figure 14. Thermal model of the rotor core.

#### 3.2.4. Housing

There is heat convection between the inner surface of the housing and inner-air. The outer surface contacts with the surroundings, which dissipate heat directly. Figure 15 shows the thermal model of the housing.  $R_{hz}$  is the radial thermal resistance of housing,  $R_{hia}$  is the convective thermal resistance between the housing and inner-air, and  $R_{hso}$  is the convective thermal resistance between the housing and surroundings. The formulas follow:

$$R_{hia} = \frac{1}{S_{hia}k_{hia}} \tag{33}$$

$$S_{hia} = \pi r_{hi} H_h \tag{34}$$

$$R_{hso} = \frac{1}{S_{hso}k_{hso}} \tag{35}$$

$$S_{hso} = \pi r_{ho} H_h \tag{36}$$

$$R_{hz} = \frac{(r_{ho} - r_{hi})/2}{\left(\frac{r_{ho} + r_{hi}}{2}\right)2\pi\frac{H_h}{2}k_h} = \frac{r_{ho} - r_{hi}}{(r_{ho} + r_{hi})\pi H_h k_h}$$
(37)

where  $k_{hia}$  is the convective heat transfer coefficient between the housing and inner-air,  $k_{hso}$  is the convective heat transfer coefficient between the housing and surroundings,  $S_{hia}$  is the contact area between the housing and inner-air, and  $S_{hso}$  is the contact area between the housing and surroundings.

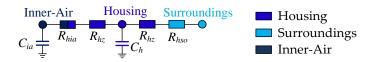


Figure 15. Housing thermal model.

# 3.3. Entire Thermal Model of the YASA Machine

Based on the thermal models of all the components described above, the entire thermal model of the YASA machine can be obtained by simply integrating all of them, as shown in Figure 16. The thermal model of each component marked with different colors is connected by thermal resistances (including conduction thermal resistance and convective thermal resistance). Between the shaft and the supporting frame, there is the conduction thermal resistance  $R_{sush}$ . The thermal model of the bearing and shaft is connected by the thermal resistance  $R_{sush}$ . The permanent magnet adheres to the rotor core, so there is the conduction thermal resistance  $R_{shb}$ . The permanent magnet adheres to the rotor core, so there is the conduction thermal resistance  $R_{mia}$ . Additionally, there are the convective thermal resistances (including  $R_{mia}$ ,  $R_{scia}/Q$ , and  $R_{wia}/Q$ ) of the YASA machine between the permanent magnet, stator core, armature winding, and inner-air. These thermal resistances are calculated by the formulae given above.

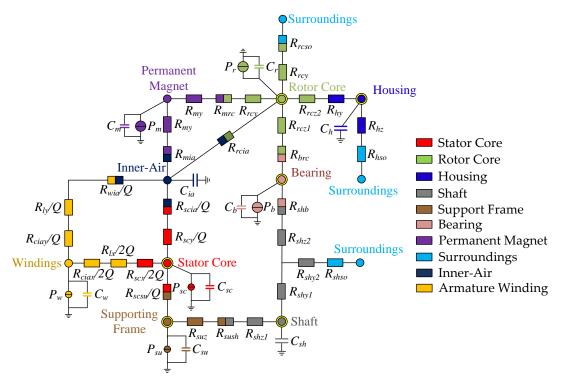


Figure 16. Entire thermal model of the YASA machine.

# 4. Parameter Calculation of the Thermal Network Model

In this section, the losses of the YASA machine (including the armature winding loss, stator core loss, rotor core loss, permanent magnet eddy current loss, and mechanical loss), the thermal resistance of the air gap, and convective heat transfer coefficient on the hub

surface are calculated. Finally, the detailed temperature distribution of the YASA machine is obtained.

#### 4.1. Losses Calculation

The copper loss is calculated by

$$P_{copper} = mI_s^2 R_s \tag{38}$$

where *m* is the phase number,  $R_s$  is the phase resistance, and  $I_s$  is the effective value of phase current.

The core loss separation model proposed by Italian scholar Bertotti [26] is widely used. It mainly includes hysteresis loss, classical eddy current loss, and excess loss:

$$P_{Fe} = P_h + P_c + P_e = K_h f B_m^{\alpha} + \frac{\sigma d^2}{12\rho} \frac{1}{T} \int_0^T \left(\frac{dB(t)}{dt}\right)^2 dt + \frac{\sqrt{\sigma G V_0 S}}{\rho} \frac{1}{T} \int_0^T \left(\frac{dB(t)}{dt}\right)^{1.5} dt$$
(39)

The core loss is related to magnetic flux density. When the magnetic flux density changes sinusoidally and remagnetization is adopted, Equation (39) can be simplified as

$$P_{Fe} = K_h f B_m^{\alpha} + K_c f^2 B_m^2 + K_e f^{1.5} B_m^{1.5}$$
(40)

where  $K_h$ ,  $K_c$ , and  $K_e$  are the coefficient of hysteresis loss, eddy current loss, and excess loss, respectively; f is the electrical frequency and  $B_m$  is the amplitude of magnetic flux density. Eddy current loss of the rotor core and permanent magnet can be calculated by

$$P_{eddy} = \frac{1}{\sigma} \int J^2 dV \tag{41}$$

where  $\sigma$  is the conductivity, *J* is the eddy current density, and *V* is the volume of the component. Mechanical loss includes bearing loss  $P_b$  and wind friction loss  $P_{wind}$ . The formula follows:

$$P_b = 0.06k_{fb}(m_r + m_{sh})n_s \tag{42}$$

where  $k_{fb}$  is an empirical coefficient, which in the range 1–3 m<sup>2</sup>/s<sup>2</sup>;  $m_r$ ,  $m_{sh}$  is the mass of rotor and shaft, respectively;  $n_s$  is the rotating speed.

$$P_{wind} = \frac{1}{2} c_f \rho_{cm} (2\pi n_s)^3 \left( R_{out}^5 - R_{sh}^5 \right)$$
(43)

where  $\omega_s$  is electric angular speed;  $V_{air}$  is the dynamic viscosity of air, taken as  $2 \times 10^{-5}$  Pas; and  $\rho_{cm}$  is the air density, taken as  $1.2 \text{ kg/m}^3$ .  $R_{out}$  is the outer radius of the rotor and  $R_{sh}$  is the outer radius of the shaft.

# 4.2. Air Gap Thermal Resistance and Convective Heat Transfer Coefficient on the Hub Surface

The calculation process of the air gap thermal resistance follows four points:

(1) Reynolds number  $R_{eg}$  of the air gap is determined according to machine radius, speed, and dynamic viscosity of the fluid, as shown in Equation (44) [27].

(2) The fluid types are determined by Reynolds number  $R_{eg}$ , which generally includes laminar flow, transition flow, and turbulent flow [28].

(3) Determination of the Nusselt constant  $N_u$  is based on Reynolds number  $R_{eg}$  and the air gap ratio G ( $G = g/R_2$ , where g is the distance between the stator and rotor plate,  $R_2$  is the outer radius of the rotating plate), as shown in Table 2 [29].

Value Range	Fluid Type	Formula
G = 0.01	Laminar flow	$Nu = 7.46 Re_g^{0.32}$
$0.02 \leq G \leq 0.06$	Laminar flow	$Nu = 0.50 (1 + 5.47 \times 10^{-4} exp(112G)) Re_g^{0.5}$
$G \geq 0.06$	Laminar flow	$Nu = 0.55 \Big( 1 + 0.462 exp \Big( rac{-13G}{3} \Big) \Big) Re_g^{0.5} Nu = 0.55 Re_g^{0.5}$
Rotor plate	Laminar flow	$Nu = 0.55 Re_g^{0.5}$
G = 0.01	Turbulence	$Nu = 0.044 Re_g^{0.75}$
$0.02 \leq G \leq 0.06$	Turbulence	$Nu = 0.033(12.57exp(-33.18G))Re_g^{3/5+25G^{12/7}}$
$G \geq 0.06$	Turbulence	$Nu = 0.0208(1 + 0.298exp(-9.27G))Re_g^{0.8}$
Rotor plate	Turbulence	$Nu = 0.0208 Re_g^{0.8}$

Table 2. Nusselt constant function relationship.

(4) According to this derivation, the air-gap equivalent convective heat transfer coefficient  $h_g$  and the air-gap thermal resistance  $R_g$  can be obtained by Formulae (46) and (47).

$$Re_g = \frac{\omega_s R_{out}^2}{v_{air}} \tag{44}$$

$$c_f = \frac{3.87}{\sqrt{Re_g}} \tag{45}$$

$$h_g = \frac{Nu \times k_{air}}{R_2} \tag{46}$$

$$R_g = \frac{1}{\pi (R_2^2 - R_1^2) h_g} \tag{47}$$

where  $k_{air}$  is the thermal conductivity of air and  $R_1$  is the inner radius of the rotating plate.

There is no barrier between the end cap and the surroundings, which belongs to heat convection. The convective heat transfer coefficient on the surface of the rotor plate can be obtained by Equation (46).

The average Nusselt constant is obtained from two cases. One is that the airflow type on the surface of the rotor plate is laminar flow, so the average Nusselt constant  $N_{u1}$  is calculated by

$$Nu_1 = \frac{2}{5} \left( Re_g^2 + Gr \right)^{\frac{1}{4}}$$
(48)

$$Gr = \frac{\beta g R^3 \pi^{3/2} \Delta T}{v^2} \tag{49}$$

where  $\beta$  is the coefficient of thermal expansion; v is the kinematic viscosity coefficient of the fluid, taken as  $1.569 \times 10^{-5} \text{ m}^2/\text{s}$ .  $\Delta T$  is the temperature difference between the rotor plate surface and the surroundings.

The other airflow type is a combination of laminar flow and turbulence:

$$Nu_1 = 0.15Re_g^{\frac{4}{5}} - 100\left(\frac{r_c}{R_2}\right)^2 \tag{50}$$

$$r_c = \sqrt{2.5 \times 10^5 v/\omega_s} \tag{51}$$

where  $r_c$  is the transition radius.

In addition, with the help of the naphthalene sublimation experiment and analogy theory, the relation between the convective heat transfer coefficient and the speed of the rotor plate is obtained by fitting. This paper refers to this method to obtain the convective heat transfer coefficient of the end cap:

$$h_g = 8.859\omega_s^{0.5} \tag{52}$$

The convective heat transfer between the housing and surroundings is calculated by

$$h_p = \frac{k_{air}}{D_2} N u_2 \tag{53}$$

$$Nu_2 = 0.133 Re_D^{2/3} P r^{1/3} \tag{54}$$

$$Re_D = \frac{\omega_s D_2^2}{v} \tag{55}$$

where  $h_p$ ,  $N_{u_2}$ , and  $Re_D$  are the convective heat transfer coefficient, average Nusselt constant, and Reynolds number of the rotor plate, respectively.  $D_2$  is the outer diameter of the rotor plate;  $P_r$  is the Prandtl number of the air, taken as 0.703.

The inner-air thermal resistance, the convective heat transfer coefficient between the rotor core and surroundings, and the convective heat transfer coefficient between the housing and surroundings are 0.7568 K/w,  $62.8 \text{ w/(m^2 \cdot K)}$ , and  $47.8 \text{ w/(m^2 \cdot K)}$ , respectively.

#### 4.3. Results of the Thermal Network Model

The temperature distribution of the YASA machine can be obtained by the entire thermal network model. The temperature of all the components is listed in Table 3.

Table 3. The stead	ly-state temperature	e of the YASA machine.
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Machine Components	Steady-State Temperature (°C)	
Winding	127.07	
Stator core	100.57	
Permanent magnet	54.54	
Rotor core	52.00	
Housing	49.35	
Bearing	63.61	

It can be found that the armature winding temperature is the highest and the temperature of the stator core is lower than that of the winding temperature. The lowest temperature is the housing and rotor core. The armature winding is the main heat source of the YASA machine. The stator core and winding are located in the center of the machine, from which dissipation of heat is difficult. The rotor core and the housing are contacted directly by the surroundings, which makes its lower temperature rise. Under the rated condition, the temperature of the permanent magnet is 54.54 °C. The temperature does not exceed the allowable working temperature, which ensures reliable operation.

By setting the laboratory temperature at 20 °C, all components of the YASA machine tend to be stable at 80 min, as shown in Figure 17.

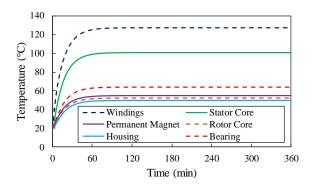


Figure 17. The transient temperature rise of the YASA machine.

# 5. Experimental Verification

# 5.1. Experimental Prototype

The prototype is shown in Figure 18. The segmented stator core and armature winding are fixed by the support frame, as shown in Figure 18a. Permanent magnets are bonded to the rotor core, as shown in Figure 18b. The YASA machine assembled is shown in Figure 18c.

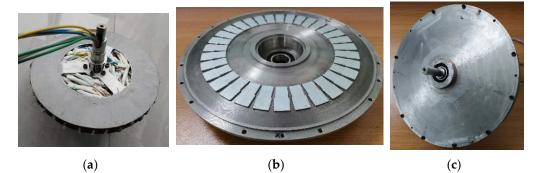


Figure 18. YASA machine assembly: (a) stator; (b) rotor; (c) machine assembly.

# 5.2. Prototype Experiment

The rated 11 A direct current (DC) corresponding 5 A/mm<sup>2</sup> current density is applied to the armature winding. The experimental data of the YASA machine are compared with the calculated results of the LPTN model, and the results are in good agreement, as shown in Figure 19.

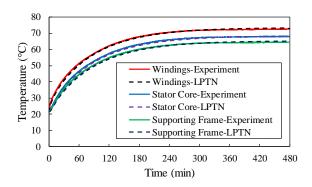


Figure 19. Instantaneous temperature-rise test of the prototype under 11 A DC.

Further, the direct current with different values is applied to the windings to measure the temperature rise of the YASA machine. The current is disconnected after a period of time, the cooling curve is measured, and the results are compared with the thermal network, as shown in Figures 20–22. The maximum error is less than 2.5 °C, which occurs in the armature windings. The error mainly comes from the change in environmental temperature and the given error of heat capacity. The error is smaller than that of the LPTN model for the single-sided AFPM machine proposed in [17], whose temperature error is 4 °C.

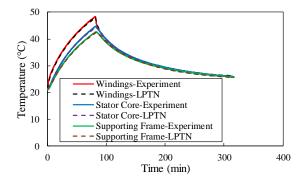


Figure 20. Instantaneous temperature-rise test of the prototype under 10 A DC.

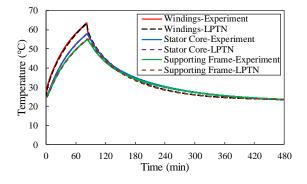


Figure 21. Instantaneous temperature-rise test of the prototype under 12 A DC.

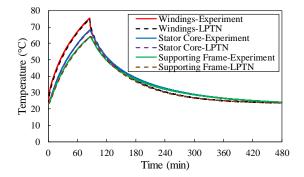


Figure 22. Instantaneous temperature-rise test of the prototype under 13.5 A DC.

# 6. Summary

In this paper, the LPTN model of the YASA machine for in-wheel traction application is developed to calculate the temperature distribution of all components of the YASA machine. The thermal models of all components in YASA machines, including the stationary and rotary components, are simplified based on the symmetrical structure, while the detailed thermal resistance formulae are given. Based on the loss results calculated by electromagnetic FE analysis, the temperature distribution of the YASA machine is obtained. Comparing the calculated and experimental results, the maximum temperature difference is no more than 3.3%, which validates very good accuracy of the proposed thermal model. The proposed method is considered as a good reference for design engineers of YASA machines in the applications of in-wheel traction. In addition, this paper is also beneficial to the research of machine cooling. The advanced cooling technique of the YASA machine applied on in-wheel traction systems will be investigated in a following study.

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