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Electric Field Distribution in HVDC Cable Joint in Non-Stationary Conditions

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Abstract: Accessories such as joints and terminations represent weak points in HVDC cable systems. The DC field distribution is intimately dependent on the thermal conditions of the accessory and on material properties. Moreover, there is no available method to probe charge distribution in these conditions. In this work, the field distribution in non-stationary conditions, both thermally and electrically, is computed considering crosslinked polyethylene (XLPE) as cable insulation and different insulating materials (silicone, rubber, XLPE) for a 200 kV joint assembled in a same geometry. In the conditions used, i.e., temperatures up to 70 °C, and with the material properties considered, the dielectric time constant appears of the same order or longer than the thermal one and is of several hours. This indicates that both physical phenomena need to be considered for modelling the electric field distribution. Both the radial and the tangential field distributions are analysed, and focus is given on the field distribution under the stress cone on the ground side and near the central deflector on the high voltage side of the joint. We show that the position of the maximum field varies in time in a way that is not easy to anticipate. Under the cone, the smallest tangential field is obtained with the joint insulating material having the highest electrical conductivity. This results from a shift of the field towards the cable insulation in which the geometrical features produce a weaker axial component of the field. At the level of the central deflector, it is clear that the tangential field is higher when the mismatch between the conductivity of the two insulations is larger. In addition, the field grows as a function of time under stress. This work shows the need of precise data on materials conductivity and the need of probing field distribution in 3D.

Keywords: HVDC cable system; accessories; space charge; field distribution

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1. Introduction

Accessories may represent a weak point in HVDC cable links, especially when moving to ever-higher voltages where the feedback on in-service behaviour is lacking [1,2]. Compared to bulk cables in which many research works are conducted, both experimentally and in modelling, for assessing insulation endurance, anticipating field distribution in accessories is more difficult to tackle. Especially, methods for probing charge and field distributions in localized areas are lacking and different insulating materials coexisting brings further difficulty. For this reason, thermal and electrical modelling is necessary. Various degrees of sophistication can be achieved for DC field modelling of insulations [3], ranging from bipolar charge transport model with identification of generation, transport and trapping processes of charges to macroscopic models based on conductivity expression. Resorting to macroscopic modelling, i.e., based on field and temperature dependencies of conductivity and permittivity, the numerical resolution of the problem is not a real difficulty. However, it must be based on reliable experimental data characterizing the materials, especially conductivity, and on the exploration of different practical combinations of thermal and electrical stresses that may be encountered.

In this contribution, we report mainly on the modelling of the electric field distribution in unsteady situations from the electrical and thermal point of view in cable accessories comprising an association of insulators of different nature in a specific geometry. In many situations, simulations have been conducted on admittedly complex objects but in a stationary situation [4]. However, one must wonder about the redistribution of the electric field in the case in which the transmitted power suddenly increases, implying to have a thermal transient in the accessory and also to have an idea of the thermal equilibrium time of the system. The transient in electrical stress involves the passage from a capacitive distribution to a resistive distribution of the electric field after energizing the cable and joint, with an 'electric' time constant depending on the temperature. It is also important to estimate the maximum field values that can be obtained during operation, particularly in the case of polarity inversion of the applied voltage, for inverting the power flow using Line-commutated converters, LCC [5]. Modelling may help anticipating the 'hot spots' of electrical stress during operations on the system, such as polarity reversals or temperature variations linked to fluctuations in the transmitted power. In addition, 'type' and pre-qualification tests at 1.85 × Uo and 1.45 × Uo, where Uo is the nominal service voltage, also involving variations in the current over several hours as well as polarity reversals or pulse tests, must be considered in the design [6,7].

As stated previously, accessories represent weak points of the transmission system. Cable joints are mainly of two types for cables with extruded insulation [1], generally composed of cross-linked polyethylene (XLPE). The 'factory' joints apply mainly to submarine cables, and are processed at the time of extrusion, for example for jointing two cables of several tens of km each, for the purpose of production lines maintenance. They are compact and reform the cable almost identically. The materials and processes used are the same as those of the cable insulation. Prefabricated-or pre-moulded joints, conversely, are created using a material different from that of the cable insulation. They are generally made of elastomers as silicone rubber (SiR) or ethylene-propylene-diene monomer terpolymer (EPDM). They are manufactured during the laying of cables, in particular at the junction of cable sections of limited length for buried cables for logistical reasons. Rebuilding the insulation and all cable components uses more space than for factory junctions. On part of the joint, the extruded insulation and material joint coexist.

It is recognized that the dielectric/dielectric interface represents a threat for the accessory reliability and the tangential field can be a driving mode for failure [1,8–10]. Whereas the behaviour of the radial field distribution in a bilayer dielectric can be reasonably anticipated based on the conductivity behaviour, the tangential component is more difficult to tackle, especially the respective role of geometry and thermal stress.

In this work, based on a conductivity law established from experiments on typical materials that are XLPE, SiR, and EPDM, the field distribution in a 200 kV cable joint is computed. Polarity reversal of the DC stress after long charging time is considered, as well as different thermal conditions: isothermal at 30 °C and non-stationary thermal gradient when energizing the cable. The tangential and radial electric fields are computed in these transient electrical and thermal conditions. To evaluate how far the nature of material imparts the field distribution, the case of a joint fully composed of XLPE, as could be the case for factory joints [1], is considered. We also modelled the association of silicone rubber (SiR) with XLPE.

2. Joint Characteristics and Model

2.1. Geometry

The object of the present study is a 200 kV, 1 kA HVDC joint with general design and geometry as given in Figure 1 [11]. The cable insulation is composed of XLPE. The pre-moulded sleeve is initially composed of EPDM. The nature of this material and corresponding properties will be changed in the modelling to investigate the impact on the field distribution.

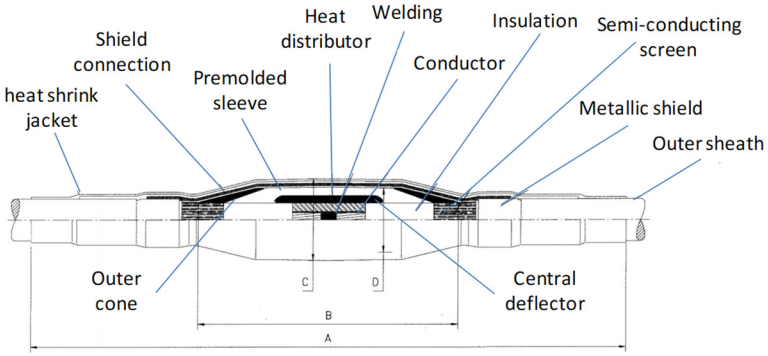


Figure 1. Scheme of the modelled joint with main approximate dimensions: length 800 mm, conductor radius 22.8 mm, insulation thickness 20 mm in the cable and 70 mm in the joint.

Field distribution cones are present at both ends of the joint and a central deflector covers the welding. The cones and the deflector are composed of semiconductor material (semicon), i.e., a carbon black charged polymer. The semiconducting layer is also present on the conductor. In the model described here, the outer layer, which normally contains shielding layers, is simplified by using a 5 mm thick semicon layer ensuring electrical continuity, providing thermal resistance at the surface of the joint. The field distribution in the insulation layers comprised between the outer cone and the central deflector is investigated.

2.2. Materials Properties

The data on conductivity versus field and temperature of XLPE and EPDM materials are detailed elsewhere [12,13]. The following equation has been parameterized using experimental data on current obtained as a function of electric field on plane samples.

$$\sigma(T,E) = A.exp\left(\frac{-E_a}{k_B T}\right).sinh(\beta(T).E).E^{\alpha} \quad (1)$$

where the pre-exponential factor A, activation energy E_a, field coefficients $\beta(T) = aT + b$ and α are given in Table 1 [13] and k_B is the Boltzmann's constant. The parameters are listed for conductivity given in S/m, the field in V/m, the temperature in K.

Table 1. Parameters of the conductivity equation used for crosslinked polyethylene (XLPE) and ethylene-propylene-diene monomer terpolymer (EPDM) materials.

	XLPE	**EPDM**
A (S.I.)	0.8	97
E_a (eV)	1.0	0.44
a (m/V/K)	0 (T < 313 K) -1.3×10^{-9} (T ≥ 313 K)	4.8×10^{-10}
b (m/V)	1.38×10^{-7} (T < 313 K) 5.45×10^{-7} (T ≥ 313 K)	-5.1×10^{-8}
α	0.15	−1.42

For the silicone rubber, the expression of conductivity given by Baferani et al. [14] was adopted:

$$\sigma(T,E) = A.exp(\gamma T).exp(\beta E) \quad (2)$$

with $A = 2.9 \times 10^{-17}$ S/m, the temperature coefficient is $\gamma = 0.019$ K^{-1} and $\beta = 4.1 \times 10^{-16}$ mm/kV.

Comparing XLPE and EPDM, the conductivity is sometimes higher in one material or the other, depending on the field and temperature conditions, which will result in a transfer of the DC field in one or the other of the materials according to these same conditions.

The other physical quantities used in the model are reported in Table 2. The heat input by the Joule effect in the copper conductor considers a reference resistivity of 1.7×10^{-8} Ω.m for copper at 20 °C and a temperature coefficient for the resistivity of 3.9×10^{-3} K^{-1}.

Table 2. Material parameters used in the model.

	XLPE	EPDM	SiR	Semicon
Relative permittivity ε_r	2.30	2.90	3.50	2.30
Thermal cond. λ (W/m/K)	0.38	0.30	0.20	0.34
Specific heat c_p (J/g/K)	1.90	0.73	2.25	1.90
Electrical cond. σ (S/m)	cf. Equation (1)		cf. Equation (2)	6.0×10^3

Figure 2 shows a comparison of conductivity as a function of the electric field for the different materials at different temperatures. The behaviour for XLPE is in line with a previous report [15]. For EPDM, a decrease of the conductivity with field appears, which may appear not common. This behaviour was discussed in a previous work [12], and it was suggested that a certain form of ionic processes might be at play in the sub-linear behaviour, as may happen in insulating liquids. Not many reports on DC conductivity measurements using reasonable charging time are available in the literature for EPDM. In a recent work, Z.Y. Li et al. [16] reported on quasi field-independent conductivity of EPDM for fields up to 10 to 20 kV/mm that contrasted with the strong field dependence of conductivity of XLPE. Besides, EPDM is a complex material, and its behaviour may change with compounding: D. Li et al. [17] found power law relation between conductivity and field with an exponent in the range from 0.2 to 0.9, depending on EPDM grade (with using only 1 min charging time!). The conductivity of SiR exhibits weak field dependence and relatively mild temperature dependence. Another expression proposed by Qin et al. [18] follows the same trend.

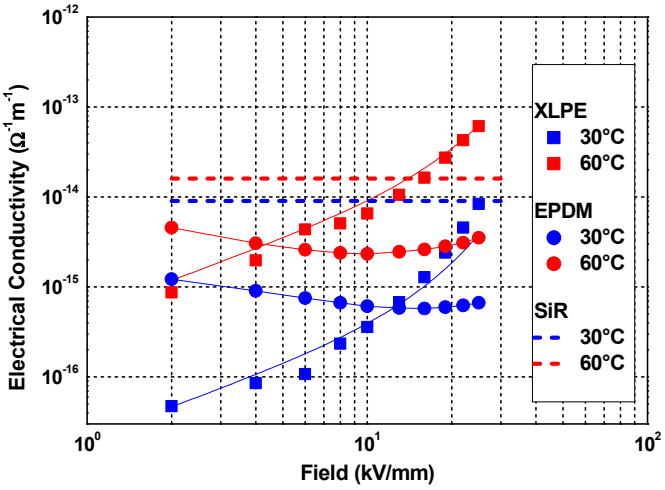


Figure 2. Field dependence of the electrical conductivity of XLPE, EPDM and silicone rubber (SiR) at 30 and 60 °C.

2.3. Thermal-Electrical Model

The resolution of the field distribution was conducted using the Comsol® tool using the thermal and electrical modules. Owing to the cylindrical symmetry of cable joints, the considered geometries are built up as 2D axisymmetric models. The general equations to be solved are the following:

Maxwell equation reduced to the DC case [7]:

$$-\nabla\frac{\partial\left(\varepsilon\nabla V\right)}{\partial t}-\nabla(\sigma\nabla V)=0 \tag{3}$$

which becomes, in local form and in continuous medium, the continuity equation:

$$\frac{\partial\rho}{\partial t}+\nabla J=0 \tag{4}$$

Equation of thermal dynamics:

$$\rho_m c_p\frac{\partial T}{\partial t}-\nabla(\lambda\nabla T)=Q \tag{5}$$

where ρ_m is the density, c_p the specific heat, λ the thermal conductivity, Q the heat source.

The electric stress is applied to the conductor, using a nominal voltage of ±200 kV. The electric field distribution is calculated under unsteady conditions with 24 h energizing, short-circuiting, and during polarity reversals. Switching from one polarity to another is done with an intermediate short-circuit of 3 min. A duration of 24 h was chosen to approach a stationary situation both from the thermal and electrical point of view. In a previous work on the association of EPDM and XLPE, the dielectric time constant was of the order of 24 h at 20 °C [19]. As the minimum temperature is 30 °C in the present work, it was considered that 24 h was enough for reaching the steady state. For the thermal response, the first simulations showed that 24 h was enough for obtaining a steady state (see below).

Thermal modelling is conducted by considering a heat input by the Joule effect in the conductor and external losses by convection phenomena in the air. The considered conductor cross section is 50 mm^2. The power dissipated in the conductor is of the order of 350 W/m under 1 kA at 30 °C. Heat exchange with the surrounding environment is assumed to occur by natural convection:

$$q_c=h(T_s-T_{amb}) \tag{6}$$

where h represents the convective transfer coefficient, linked to the Nusselt number (h of the order of 5 $W/m^2/K$ taking into account the geometry of the cable is rigorously determined in the resolution software). T_s and T_{amb} are the joint surface temperature and the ambient temperature, respectively. The heat flux exchanged by radiation (which remains low under our thermal conditions) is also considered by considering a surface emissivity coefficient of 0.8.

3. Results

Figure 3 shows the dimensions of the modelled object, of external radius 92 mm. For the representation of the radial distribution of the field in the form of profiles, an axial position at z = 800 mm was chosen, such to be halfway between the deflector cone and the internal semiconductor. The axial distribution of the field is taken at the interface between the XLPE insulation and the joint material as this region is critical and constitutes a weak point of the joint.

The applied stresses are those previously mentioned (±200 kV). We have considered three thermal conditions: a homogeneous temperature at T = 30 °C, a stationary condition with a thermal gradient due to the injection of a current of 1 kA in the conductor, and an unsteady condition both from an electrical and thermal point of view, keeping the same current flowing in the conductor and considering a homogeneous initial temperature of 30 °C. The limit conditions are a constant potential applied to the conductor and welding, and reference potential to the outer surface of the joint.

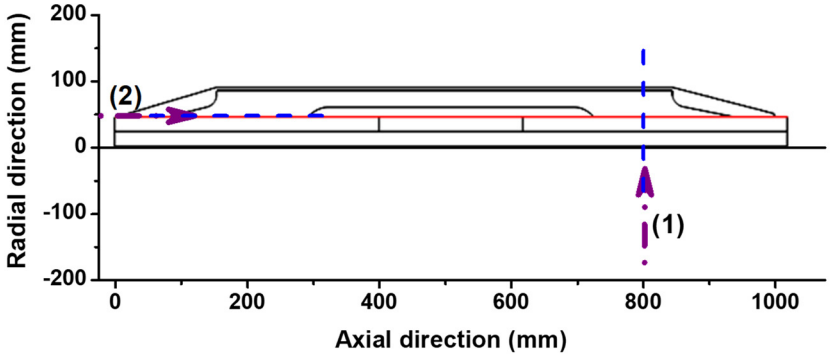
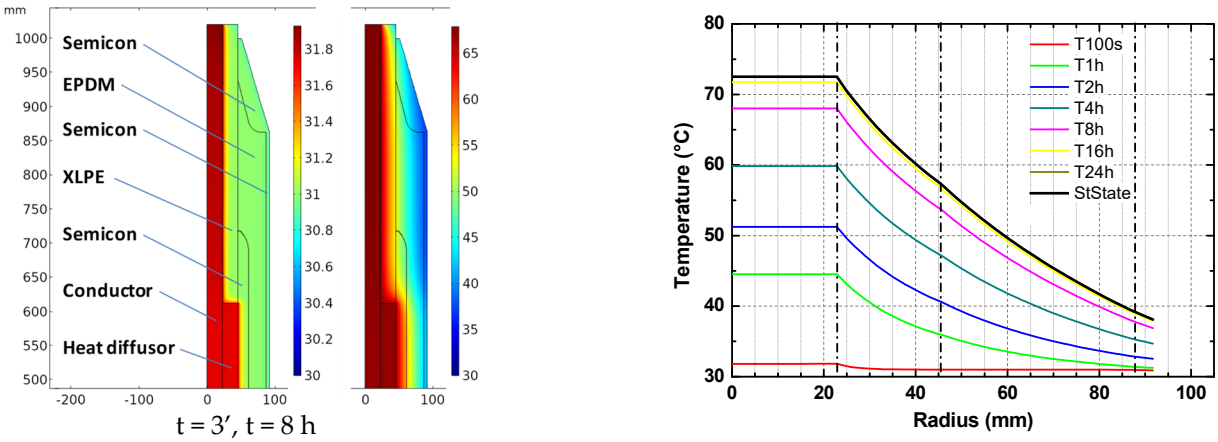


Figure 3. Dimensions of the joint and positions of the simulated field profiles indicated by arrows: (1) radially at a position z = 800 nm at mid-distance between the outer cone and central deflector; (2) axially: along the interface between the two insulators.

3.1. Thermal Simulation

The thermal modelling of the XLPE/EPDM joint was conducted assuming that the joint was initially at an isothermal temperature of 30 °C. At t = 0 s, a current of 1 kA is imposed on the conductor, which has the effect of slowly heating the joint and producing a thermal gradient within the insulation. The final temperature gradient is of the order of 40 °C, with a temperature maximum situated between the end of the internal deflector and the end of the joint. It corresponds to the region where the insulation is the thickest, due to the low thermal conductivity. Figure 4a shows the temperature distribution in the joint after 3 min and 8 h of heating, while Figure 4b shows the change in temperature as a function of the heating time for a cut at z = 800 mm. The temperature profile resulting from a resolution in stationary condition is also represented. It can be seen that several hours are necessary to reach a steady state. After 16 h, the thermal equilibrium is not completely reached. The interface between the two insulators, XLPE and EPDM in this case, is not marked because the thermal conductivities are close, see Table 2.



(**a**) Temperature maps (**b**) Temperature profiles

Figure 4. (**a**) Temperature distribution maps in the joint with XLPE/EPDM insulations at different times after applying the current of 1 kA in the conductor; (**b**) radial temperature distribution at different times and stationary solution, taken at z = 800 mm. Vertical lines indicate the boundaries of the insulators.

3.2. Electric Field Distribution

Examples of electric field distributions as a function of time under applied voltage and polarity reversals, obtained for the joint with EPDM insulation on XLPE-insulated cable, are shown in Figure 5. The voltage is considered applied when the current is applied to the conductor. One can notice that over time, a field strengthening effect occurs, particularly

under the field distributing cone. This is partly because the regions of reinforced geometric field are also those with the lowest temperature: the increase in temperature in the centre of the joint causes an increase in electrical conductivity and shifts the field to colder areas. When the voltage is set to zero, a residual field of the order of 6 kV/mm is present. After polarity reversal, the field is clearly increased locally, with a maximum value of the order of 18 kV/mm. The accumulated charge during previous charging requires a relatively long time to be dissipated and redistributed. The objective is to follow the evolution of the position of the field reinforcement points over time.

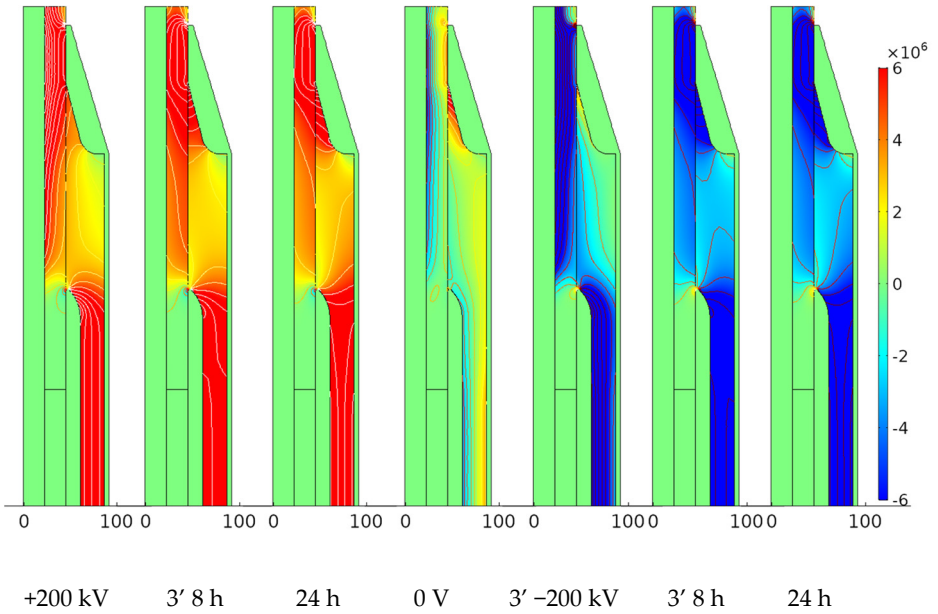


Figure 5. Examples of radial field maps in the joint after application of a current of 1 kA and voltage of +200 kV (t = 0) switched to −200 kV after 24 h.

In order to dissociate the thermal effects from the nonlinear electrical conduction effects on the field distribution, we considered the field distributions obtained in a transient manner, under a voltage of 200 kV applied for 24 h, followed by a polarity reversal and again by a stressing under −200 kV for 24 h. This protocol was applied for three different thermal conditions: an isotherm at 30 °C, a stationary thermal gradient condition (pre-set current of 1 kA), and finally the case illustrated above in which the electrical and thermal stresses are applied simultaneously. Details of the field distribution evolution are presented considering the radial and tangential components.

3.2.1. Distribution of the Radial Component of the Electric Field

The results obtained for the radial distribution of the field at the position z = 800 mm are shown in Figure 6 for XLPE/EPDM joint. As will be shown in Section 3.2.2, the axial component of the field is almost zero at this position. The field distribution under isothermal conditions (Figure 6a) is clearly distinguished from the other cases. At 100 s, i.e., short after voltage application, the field is capacitively distributed. Hence, $E_{XLPE} > E_{EPDM}$ due to the lower dielectric permittivity in XLPE. As expected, this initial field profile is independent from the thermal conditions since no temperature dependence of the dielectric permittivity was introduced in the model.

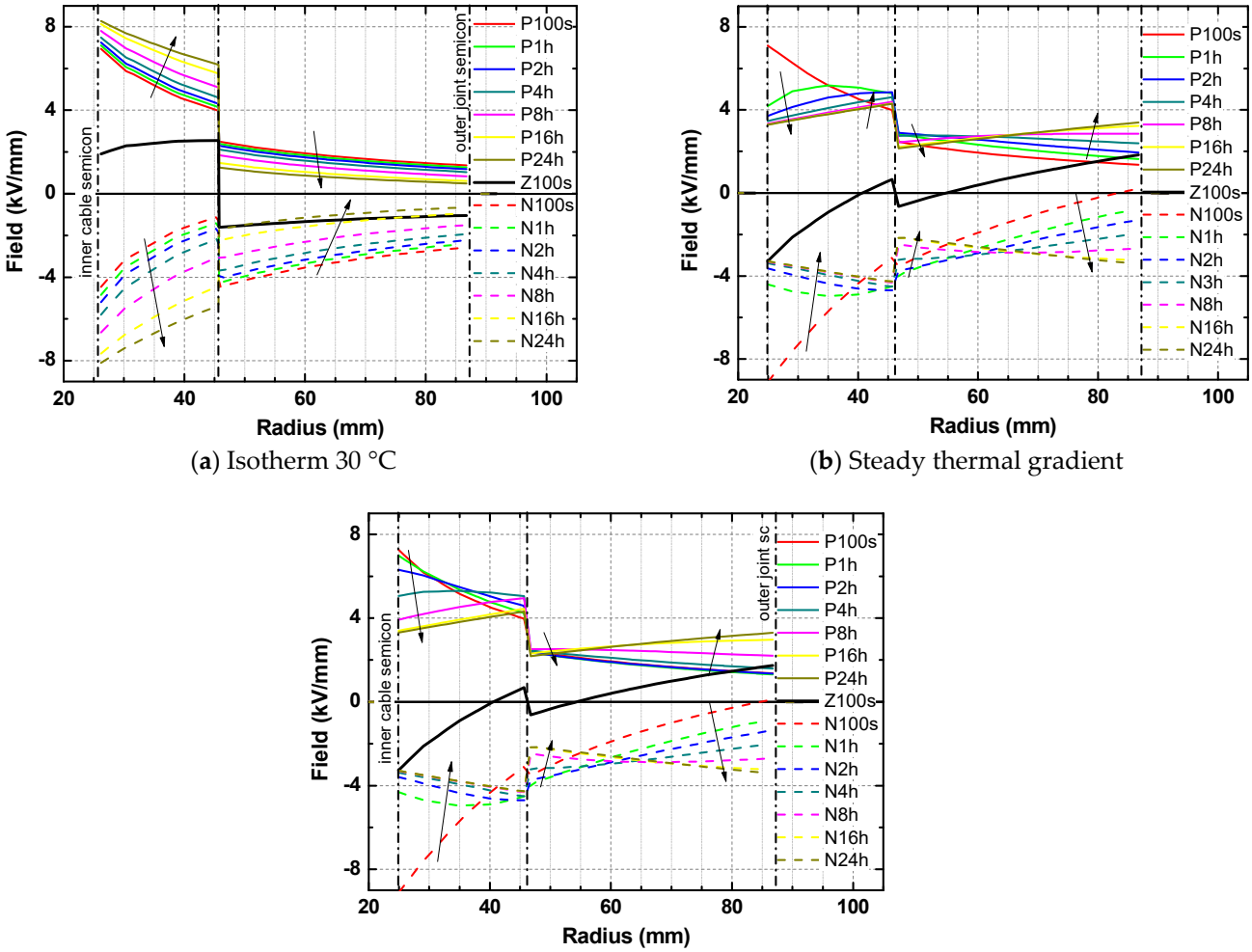


Figure 6. Radial field distribution in the XLPE/EPDM joint at different times after voltage application (+200 kV followed by polarity inversion) for different thermal conditions. Distribution taken at z = 800 mm, cf. Figure 3. Vertical lines indicate the boundaries of the insulators. The bold black curve corresponds to the reset to 0 V after 24 h at +200 kV. In the legend, P represents positive voltage; N for negative. The arrows provide a guide to the eyes for the variation of the field as a function of time.

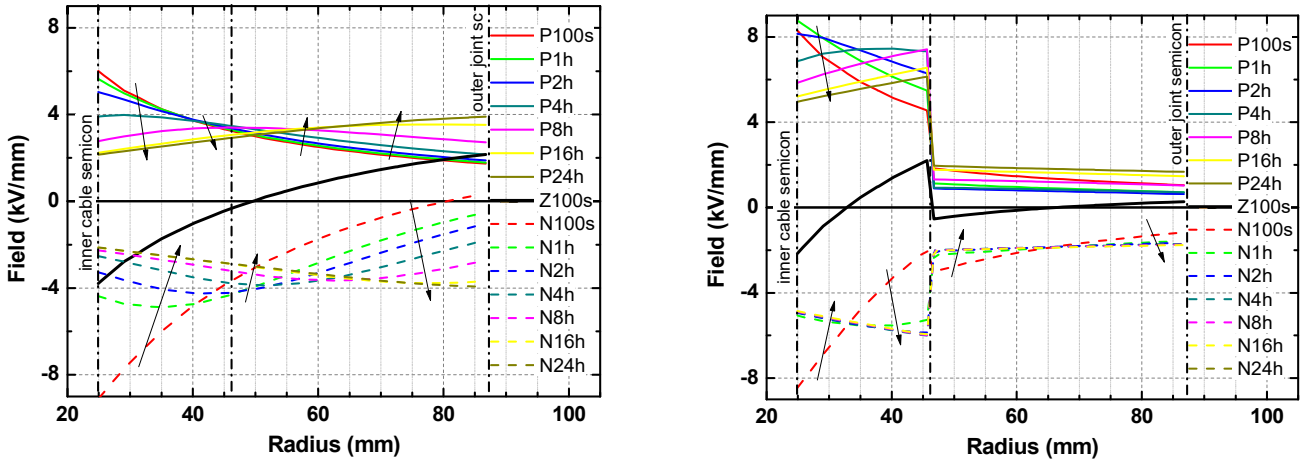
For the isothermal case at 30 °C, the field gradually evolves in time with further field reinforcement in XLPE, without any pronounced change in the general shape. This evolution corresponds to two phenomena: it is the consequence of a resistivity at 30 °C of XLPE greater than that of EPDM, for fields <10 kV/mm, cf. Figure 2. The other feature is that the field strengths remain moderate (<10 kV/mm) such that the nonlinear phenomena, tending to a homogenization of the field over time, are barely perceptible in the two materials.

Under the conditions of a stationary thermal gradient, the electric field rapidly evolves towards a situation of equilibrium; one can consider that after 8 h this equilibrium is almost reached, cf. Figure 6b. Here, within each of the materials, the field tends to increase with the radius at long stressing time; this is because the thermal gradient produces a conductivity gradient whose effects exceed the variation of the field due to the cylindrical geometry. The residual field, taken 100 s after resetting the potential to zero, presents a profile different from that of the isothermal case. This residual field corresponds to the distortion introduced under DC stressing as compared to the geometric field distribution. The lower value of the residual field near the XLPE/EPDM interface results because the temperature at the dielectric/dielectric interface of 45 °C, and fields of the order of

3 kV/mm, the conductivities of the two materials are close. In addition, the comparison of the field jumps for voltage on and voltage off conditions reveals a decrease within 100 s after setting the potential to zero due to the partial dissipation of the interface charge. With the reversal of polarity, the field near the conductor is strongly reinforced.

The combination of unsteady electrical and thermal conditions, Figure 6c, mainly produces a slower kinetics towards the steady state compared to Figure 6b. The temperature is initially lower and thus is the dielectric time constant ($\tau = \varepsilon/\sigma$ with a combination of physical quantities and geometry for the two materials) while the temperature gradient is setting up. The field distribution after 24 h is identical to that in the case of the stabilized gradient. A fortiori, it is the same for the following profiles.

The field profiles obtained for XLPE/XLPE and XLPE/SiR joints under non-stationary electrical and thermal conditions are presented in Figure 7. The field profiles for XLPE/XLPE joint are not different from the ones obtained in the case of XLPE/EPDM joint (Figure 7a vs. Figure 6c), except for the field step at the interface that has disappeared, due to permittivity effects. In the steady state situation, there is full stress inversion along the radius, i.e., a larger field at the outer diameter compared to inner diameter, as expected for a cable under thermal gradient [15].



(**a**) XLPE/XLPE (**b**) XLPE/SiR

Figure 7. Radial field distribution at different times after voltage application for (**a**) XLPE/XLPE joint and (**b**) XLPE/SiR joint under non-stationary thermal gradient. Same conventions as in Figure 6.

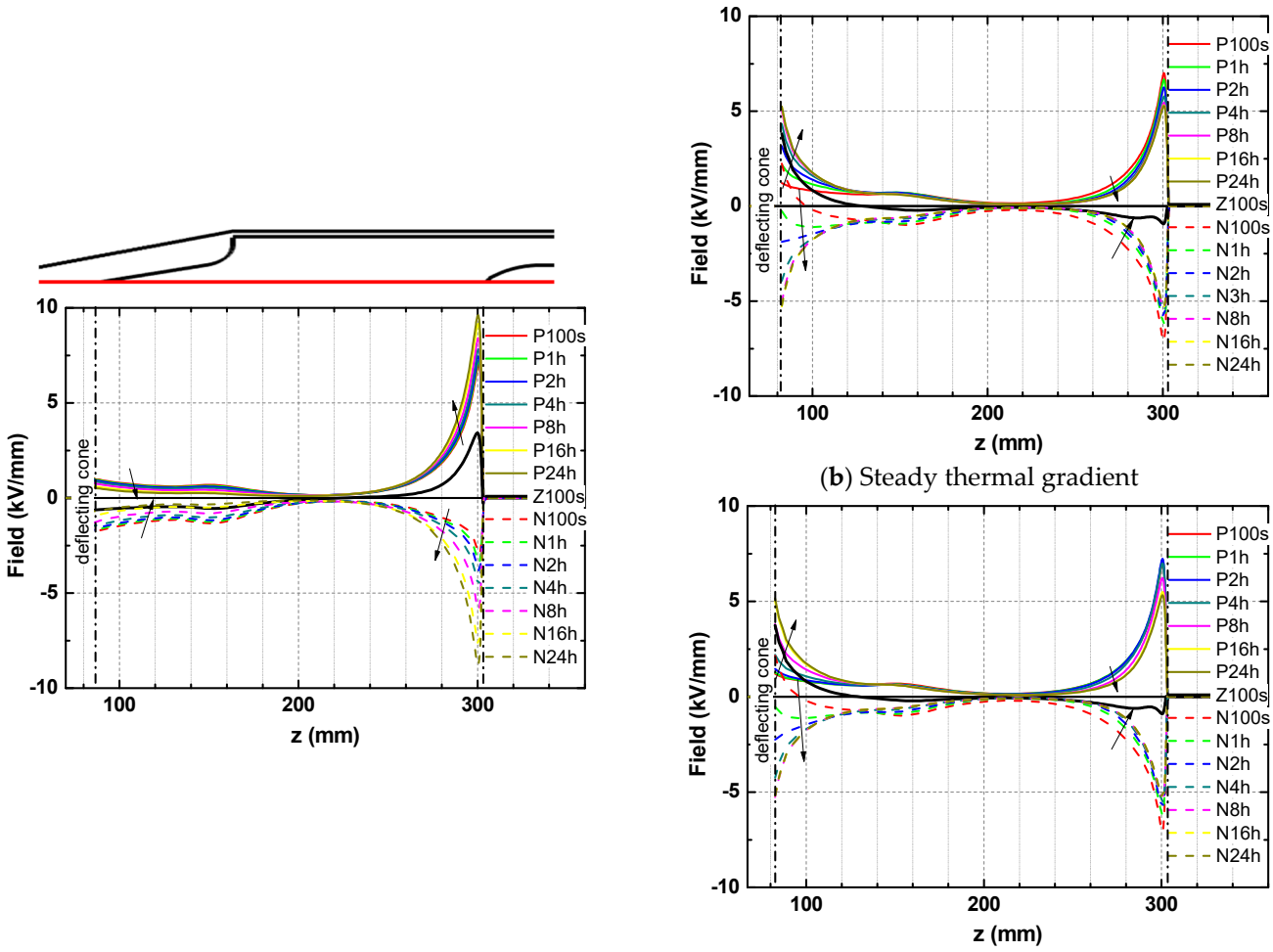
For the case of a SiR/XLPE joint (Figure 7b), the initial field step is large due to the high permittivity of SiR. In addition, when comparing the field at the dielectric/dielectric interface after 24 h and during the short-circuit, it can be seen that the field step is decreased within 100 s after resetting the potential, due to the partial dissipation of the interface charge. When the polarity is reversed, the field at the core is strongly reinforced. Here, the conductivity is higher in the SiR and therefore the field is higher in the XLPE part. The field redistribution is particularly fast after polarity inversion because of the high temperature in XLPE and high conductivity in SiR.

3.2.2. Tangential Field Distribution

The field distribution in the radial direction of the insulator can be relatively well anticipated and understood with knowledge of the behaviour of the materials. However, special attention should also be paid to the tangential electric field along the interface between the joint body and the cable under different electrical and thermal stresses. Manufacturing the joint is a delicate step in which any imperfection such as a lack of adhesion or the presence of an air bubble can be detrimental, especially if the electrical stress is significant. It has been reported that the tangential field at the interface of the two insulators is distributed with a strong non-uniformity, the field being strengthened in the insulator at the vicinity

of the semiconductor connected to the ground [1,8–10]. For these reasons, solutions with field-grading materials (FGM) [20] with strong non-linear properties have been adopted by several cable manufacturers [7]. However, this is not the rule, as reliability problems have arisen with this technology.

Figure 8 represents the tangential field profiles in the joint material (i.e., EPDM), near the interface between XLPE and EPDM (see arrow *n* 2 in Figure 3), as a function of time under stress, for the different thermal conditions previously explored. The tangential field values are the same in XLPE near the interface since the continuity rule imposes a continuity in tangential electric fields. Under isothermal conditions (Figure 8a), it is clear that the tangential field is significantly greater on the right of the figure, corresponding to the deflector region. This can be explained by a geometry that does not include a field-grading cone, unlike the potential reference side of the joint. Certain designs use a deflector cone for the central part of the joint set to HV [9]. The quasi-constant axial field on the ground side corresponds precisely to the region (z = 20–160 mm) where the cone produces a non-radial component to the field. Over time, the tangential field tends to decrease on the ground side and to strengthen significantly on the HV side. These trends reflect the non-linear nature of the conductivity as well as the conductivity gradient due to the presence of two insulators. It is difficult to anticipate or explain given the divergence in geometry.



(**a**) Isotherm 30 °C with drawing of a part of the joint

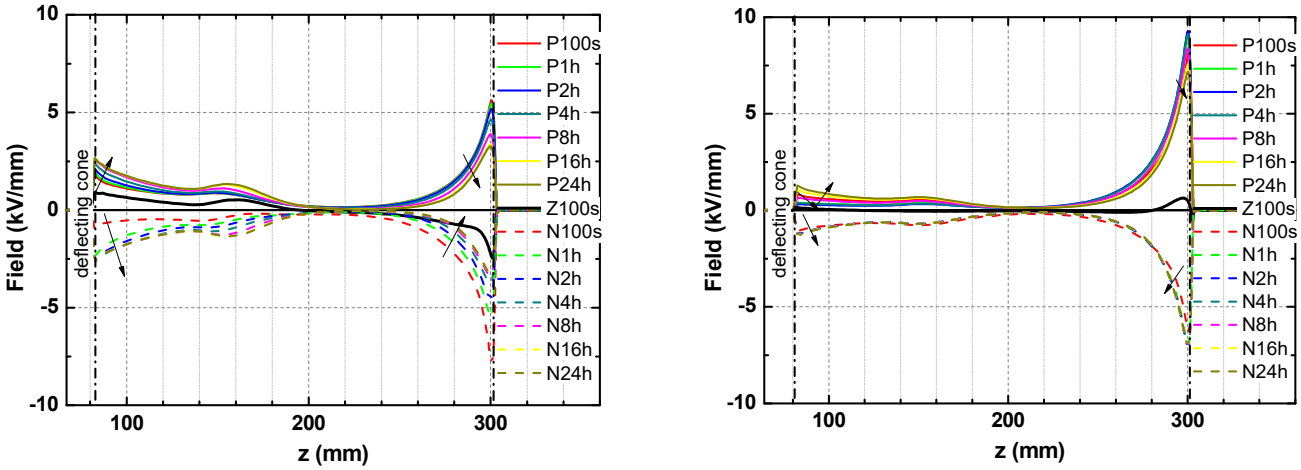
(**b**) Steady thermal gradient

(**c**) Non-stationary thermal gradient

Figure 8. Tangential field distributions at the XLPE/EPDM interface at different times after voltage application. The drawing at the top of (**a**) represents a part of the joint. The axial field profiles are taken along the red line at the interface between XLPE and EPDM. Vertical lines define insulator boundaries. The curve in black corresponds to the reset to 0 after 24 h at +200 kV. Ground on the left; HV on the right. Same conventions as in Figure 6.

Under thermal gradient condition (Figure 8b), the field increases with time on the cone side, by a factor 3. As a result, in the first moments of the polarity reversal, the sign of the field is not reversed in this zone. On the HV side, the field variations are milder. The presence of a negative residual field at grounding is noticeable. It is added to the applied field after stress polarity inversion, thereby producing an overstress. In case of non-stationary thermal conditions, Figure 8c, only mild differences are observed compared to the case of steady gradient. Only a faster convergence to steady state appears without further field distortion. Globally, the maximum tangential fields remain lower than in the case of isothermal conditions. This is not necessarily an effect of the thermal gradient but that of, considering the average applied stresses, the conductivity values of the two insulators becoming closer by heating the joint. They are identical at 60 °C for a field of 4 kV/mm, while at 30 °C, the equivalence is obtained under a field of 15 kV/mm (Figure 2) which is never reached here.

Using a single material, XLPE (Figure 9a), under non-stationary thermal and electrical conditions, the evolution of the field distribution is similar to the XLPE/EPDM in the same conditions (Figure 8c). This means that, for the cases considered here, the temperature conditions are more important than the material nature. With the SiR joint material (Figure 9b) having a much larger conductivity than XLPE, there is practically no field distortion on the ground side (the residual field at voltage removal is nearly zero) and the field is small compared to the other cases. On the HV side, there is also a mild variation of the field with time, and hence weak residual field at grounding. Here, the field reaches the highest values at about 7.5 kV/mm in steady state. The profiles are similar to the ones of Figure 8a: the common feature here is a higher conductivity in the joint material than in XLPE.



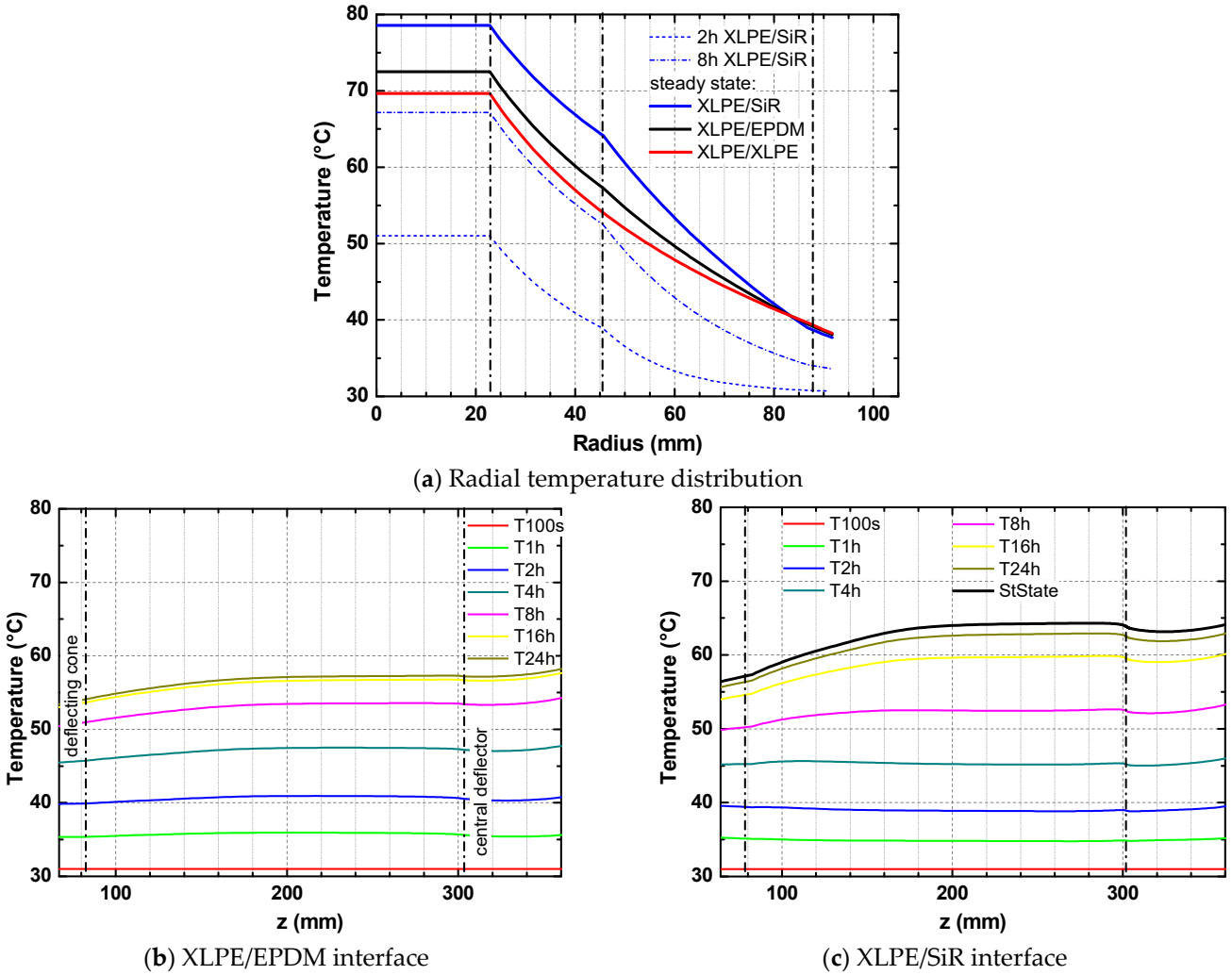
(**a**) XLPE/XLPE (**b**) XLPE/SiR

Figure 9. Tangential field distribution at (**a**) XLPE/XLPE and (**b**) XLPE/SiR interface at different times after voltage and current application (non-stationary electrical and thermal conditions). Vertical lines define insulator boundaries. Same conventions as in Figure 6.

4. Discussion

Besides differences in the field dependence of conductivity between materials, the temperature distribution may affect the field distribution. Figure 10a represents the temperature distribution in the radial direction in quasi steady state for the three couples of materials considered. This shows that due to lower thermal conductivity in SiR, the temperature is significantly higher in the joint in this case. The temperature gradient is about 30 °C with pure XLPE and it increases to 38 °C in XLPE/SiR joint. At the dielectric/dielectric interface, the temperature is about 10 °C higher in case of XLPE/SiR joint. This is a direct consequence of a lower thermal conductivity. This higher temperature in the insulation explains why the radial field redistributes faster in XLPE in Figure 7b than in Figure 6c, for

example, once the thermal equilibrium is reached (negative polarity), since conductivity in XLPE increases by roughly a factor 3 in 10 °C temperature variation considering the activation energy of 1 eV.



(**a**) Radial temperature distribution

(**b**) XLPE/EPDM interface

(**c**) XLPE/SiR interface

Figure 10. (**a**) Temperature profiles along the radial direction in quasi-steady state (24 h) for the considered three couples of materials and profiles during thermal transient for XLPE/SiR at 2 h and 8 h. (**b**,**c**): Temperature distributions along the interface, for XLPE/EPDM and XLPE/SiR joints at different times. In all cases, 1 kA is injected to the conductor and the initial temperature is 30 °C.

This substantially higher temperature with a SiR joint material compared to EPDM is reflected in Figure 10b,c in which the temperature variation along the interface is represented. Thermal gradients along the axial direction are milder than under radial direction: the rise is by less than 10 °C over a distance of ≈100 mm from the colder part, under the cone, to the central region. On the cone side, the temperature gradient is clearly larger with SiR than with EPDM joint material. On the deflector side, there is nearly no temperature variation along the *z*-axis.

Above considerations show that the thermal properties of the joint material may significantly affect the temperature distribution in this joint design and therefore contribute to the actual field distribution. Managing large temperature changes will go with more difficulty in optimising designs and selecting materials. Questions to discuss are on the expected joint material properties to get an optimum field distribution. At least three features are to be considered as criteria on the field for optimizing both design and materials:

- obtain a minimum capacitive field strength: this aspect concerns the field distribution short after DC voltage application, and, as importantly, field distributions in transient situations such as with over-voltages. In this case, the permittivity, and the geometric design, drive the field;
- obtain a minimum steady state DC field, notably the tangential part of the electric field;
- obtain a minimum field redistribution at polarity reversal, meaning that the residual field at grounding should be minimum, which implies that the capacitive and resistive field distributions are close.

The chosen design permits to appreciate, besides temperature effects and material effects, the dependence of field strengthening on geometrical features, with the cases of acute and obtuse angles respectively for the cone side and the deflector side, at the contact between the semicon and the joint materials.

On the cone side, the tangential field at short time is lowest for the case of SiR joint material, Figure 9b. The effect is purely associated to the value of permittivity, which is higher in the SiR. The highest field values (5 kV/mm) are obtained with EPDM under thermal gradient, cf. Figure 8b,c, whereas for the isothermal case at 30 °C, Figure 8a, the field remains low. All these results tend to show that the tangential electrical field is lower when the conditions are such that the field is moved to the cable (XLPE) insulation, either because of higher permittivity or high conductivity in the joint material: moved to a region of lower divergence, the field stays more concentrated in the radial direction. In order to confirm this, we have plotted in Figure 11 the tangential field for an isotherm at 70 °C with EPDM joint material. At this temperature, the electrical conductivity is lower in the EPDM than in XLPE. Here the tangential field under the cone is clearly enhanced compared to the case at 30 °C. With SiR joint material, large contrast in conductivities appears no matter the temperature and electric field values. The same happens also for EPDM at 30 °C, which explains the low intensity of the tangential field. For EPDM joint under thermal gradient, high fields are obtained at the tip of the cone (Figure 8b,c). This feature is presumably due to the thermal gradient that tends to move the field in this colder region.

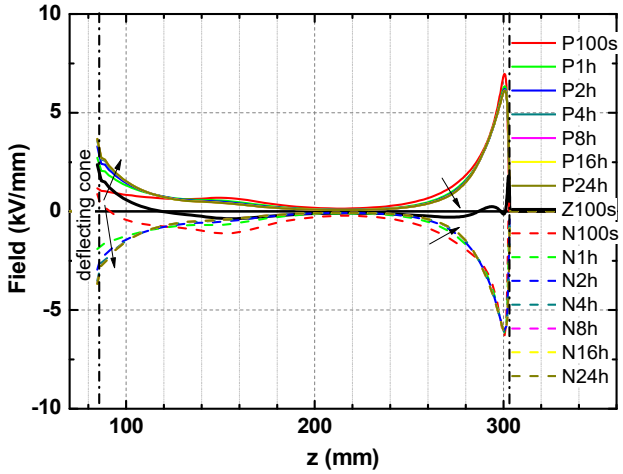


Figure 11. Tangential field distribution at XLPE/EPDM interface under isotherm condition at 70 °C.

The circulation of the field being conservative, it can be stated that:

$$\int_c^d \mathrm{E}_z dz = \mathrm{V}_c - \mathrm{V}_d \tag{7}$$

where *c* represents the deflecting cone and *d* the central deflector. Therefore, *a* field strengthening somewhere along the interface is compensated elsewhere along the interface, and the integral under the tangential field component should be zero during the grounding step. Based on this rule, the tangential field near the central deflector will be the largest in case of SiR joint material and for the EPDM at 30 °C, i.e., in cases where a minimization of the tangential field under the cone is obtained. A better control of the field at the central deflector will be reached with shaping it, as is obtained for the cone [4,9].

According to Figure 2, XLPE is the most 'non-linear' material. XLPE joint material obviously produces perfect match of the conductivities and permittivities of the two insulations. Referring to Figure 9a, it can be considered that it corresponds to the case in which the tangential field is the most homogeneously distributed. However, one may notice that the residual field near the central deflector is negative after positive voltage application. As a result, the field is strengthened after polarity reversal, which may represent a threat.

Figure 12 shows results for the potential and for the radial and tangential field distributions using different representations obtained with XLPE and with SiR joint materials just after polarity inversion. The tangential field around the central deflector is slightly higher in case of XLPE joint material. In both cases, it is low under the cone. Considering the potential or radial field maps, it is clear that the stress is more homogeneously distributed in case of SiR joint material. This behaviour results from the residual field set up at the end of the previously applied positive voltage. After 24 h under stress, Figure 13, the situation has clearly evolved: the axial field under the cone has substantially increased for the XLPE joint, the radial field is more homogeneous, and the potential variations become smoother in this case.

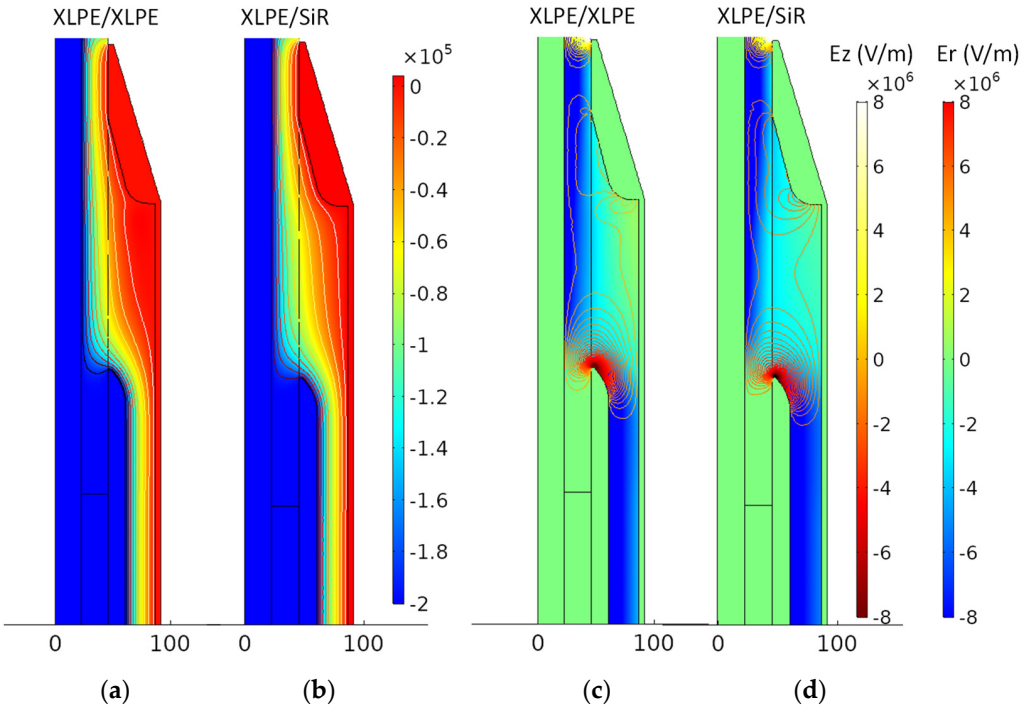


Figure 12. Potential distribution 3′ after polarity reversal to −200 kV for (**a**) XLPE/XLPE and (**b**) XLPE/SiR joints. Corresponding radial (surface) and tangential (contour lines) field distributions for (**c**) XLPE/XLPE and (**d**) XLPE/SiR joints.

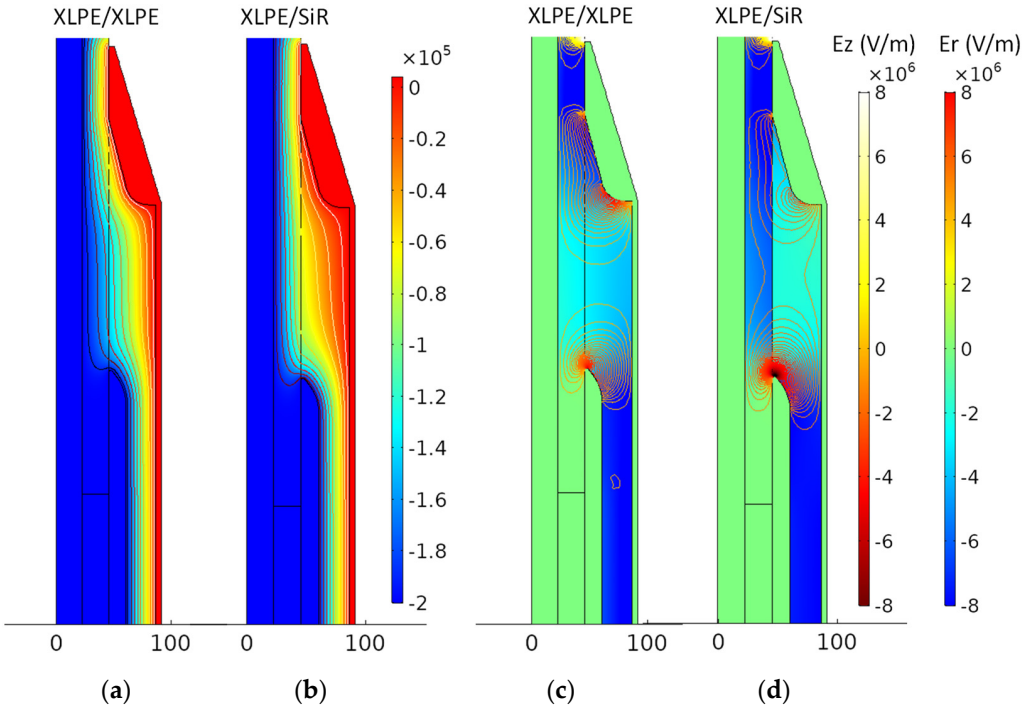


Figure 13. Potential distribution after 24 h under −200 kV for (**a**) XLPE/XLPE and (**b**) XLPE/SiR joints. Corresponding radial (surface) and tangential (contour lines) field distributions for (**c**) XLPE/XLPE and (**d**) XLPE/SiR joints.

To obtain an equilibrated tangential field distribution along the interface, targeting continuity in the conductivities of the two insulations seems to be a good option. However, the field is not homogeneous in the joint, neither is the temperature and experimental data, revealing that only in particular combinations (field-temperature), equal values of conductivity are obtained. It is difficult to have similar conductivities from materials different as silicones or EPDM and XLPE. The use of an elastomer remains essential to apply a homogeneous pressure and to match the shape of the insulated cable. This avoids surface tracking, surface discharges and the resulting failures. The design and modelling of joints on the standpoint of mechanical aspects was addressed recently by Lu et al. [21]. However, the switch from XLPE to an elastomer leads to different dielectric behaviours, whether it be the conduction processes or the field and temperature dependencies, which result therefrom. Further, it is complicated to produce materials having a predefined electrical conductivity.

Besides continuity in electrical conductivity, the shape of deflecting pieces, the compatibility with the capacitive field distribution, and the possibility of having resistive field grading are worth considering. The resistive field grading, since it is with slow reaction, does not solve the problem of transient stresses obtained during operation such as polarity reversal or during lightning impulse [14]. A target for materials resistivity may be to reach the same field redistribution as obtained in the ac case with the capacitive distribution. An immediate consequence is that the residual field at grounding will be minimum. Regarding the field grading due to field dependence of conductivity, it is not easy to control, as the average fields are relatively low, of the order of 5 kV/mm, and in general for insulating materials, the threshold for non-linearity is not considerably lower. Resistive field grading materials have comparatively lower threshold fields, typically 1 kV/mm. An advantage of FGM layer is to decouple the stresses in the insulation material of the cable and the joint body effectively. The design remains a tactful exercise, with trade-off to be obtained between losses, fields, and operating temperature [22]. Finally, an important point is the thermal characteristics of the materials. In the examples shown here, the insulation under the cone tends to be colder than the body of the joint, meaning that a counter-effect of field

grading is obtained, i.e., field enhancement in the cold parts. Therefore, improvement can occur by implementing joint material with higher thermal conductivity.

Compared to other studies on field distributions in joints, the work presented here considers the transient conditions of field establishment, whereas often, only a direct resolution in stationary state is proposed. Multiple stress conditions can be tested. This is easily achievable, but it is important to stress that the collection of experimental data on conductivity, representative of materials in their operating environment, is a major preliminary step in all these modelling and design tasks.

5. Conclusions

The field distribution in HVDC cable joints was investigated in non-stationary electrical and thermal conditions considering XLPE as cable insulation and different materials as insulation joint: EPDM, XLPE and SiR. The joint materials differed by their field and temperature dependencies of electrical conductivity and by their thermal conductivity. The radial distribution of the field follows predictable trends with temperature, either in isothermal or thermal gradient conditions, depending on materials electrical conductivity. The temperature gradient and the nonlinear conduction play a role of field grading. However, this effect is annihilated after polarity reversals: a transient overstress appears directly after voltage polarity inversion in all cases involving a thermal gradient.

The tangential distributions of the field along the interface between the insulator of the joint and that of the cable have temporal and temperature behaviours that are not deduced in a simple way from the stress conditions. Under the deflecting cone, the smallest field values and mildest field redistribution are obtained with the joint insulation having the highest electrical conductivity (SiR). This feature has been explained by a shift of the field towards the cable insulation in which the geometrical features of the system produce less axial component. At the level of the high voltage semicon (central deflector), it is clear that the tangential field is higher when the mismatch between the conductivity of the two insulations is larger. In addition, the field grows as a function of time under stress. This is verified whether the system is in isothermal or thermal gradient conditions. Thermal gradient effects are still to be analysed.

The thermal conductivity of the joint material has a substantial impact on the temperature in the core of the joint and at the interface. This temperature gradient is obvious along the radial direction and is effective along the axial direction too. The joint being cooler under the deflecting cone, field strengthening appears in this region.

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