



Article Linear Hybrid Reluctance Motor with High Density Force

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Abstract: Linear switched reluctance motors are a focus of study for many applications because of their simple and sturdy electromagnetic structure, despite their lower thrust force density when compared with linear permanent magnet synchronous motors. This study presents a novel linear switched reluctance structure enhanced by the use of permanent magnets. The proposed structure preserves the main advantages of the reluctance machines, that is, mechanical and thermal robustness, fault tolerant, and easy assembly in spite of the permanent magnets. The linear hybrid reluctance motor is analyzed by finite element analysis and the results are validated by experimental results. The main findings show a significant increase in the thrust force when compared with the former reluctance structure, with a low detent force.

Keywords: linear switched reluctance machine; finite element analysis; PM-assisted; thrust-force performance

1. Introduction

Currently, there are many applications that use hydraulic or pneumatic drives that are being substituted by linear electric actuators in manufacturing industries and robotic systems because of their more stable, precise, and controllable force, along with a higher energy efficiency [1]. In this context, reluctance machines present good environmental behavior due to their high efficiency and inherent ease of assembly and dismantling [2]. For these reasons, among others, there are several studies that have focused on new magnetic structures [3–5], in order to enhance their force performance [6] and increase force density by adding permanent magnets [7–14]. As an example, linear switched reluctance motors (LSRM) and linear permanent magnet synchronous motors (LPMSMs) have been proposed for propelling a ropeless elevator [15,16], for an automotive suspension system [17], and for a linear generator in direct drive wave-power converter [18]. Up to now, LPMSMs have a higher power density and efficiency when compared with LSRMs, despite their inherent detent or cogging force, which can be reduced or eliminated by applying several techniques [19,20]. Many current research papers deal with developing and optimizing linear motors in order to increase power density and efficiency [21–23].

With this aim, this work presents and analyzes a four-phase LSRM, whose novelty is in the mover. A series of vertically magnetized permanent magnets (PMs) are inserted into the slots of the mover of the LSRM. The resulting actuator is analyzed by finite element analysis (FEA) and a prototype was built and tested. The FEA results and the experimental results are in good agreement and reveal an approximately 100% increase in the peak thrust force; a moderate ripple factor operating in single pulse; and a relative low detent force, about 10% of peak thrust force. The results obtained anticipate an interesting actuator for high force density applications, such as those cited above.

2. Linear Hybrid Reluctance Motor Structure and Operation Principle

LSRMs are classified according to the relation between the planes that contain the flux lines and the axis of movement. Longitudinal flux LSRM is when these planes are parallel, and transverse flux LSRM is when they are perpendicular. Longitudinal flux LSRM may be tubular or flat, with single or double side for the flat case. The LSRM has two main parts: the active part, which contains the concentrated windings, also called primary part; and the passive or secondary part, made of an empty slotted iron structure. This work focuses on the double-sided longitudinal flux LSRM, referred to from now on as LSRM.

The proposed structure is shown in Figure 1. The iron lamination structure is the same as that of a conventional four-phase double-sided longitudinal flux LSRM (see Figure 1 in grey), the modelling, simulation, and test of which are reported in the work of [24]. From this reluctance structure, a series of permanent magnets type *NdFeB* N32 (in black/white, see Figure 1) have been placed in the secondary slotted lamination. The PMs are vertically magnetized following the arrangement shown in Figure 1. Each phase has four coils per pole connected in series, in such a way that only one flux path is produced. The main dimensions of the primary (active part) are the pole length l_p , pole width b_p , and slot width c_p , the sum of which defines the primary pole pitch $\tau_p = b_p + c_p$. For the secondary (passive) part, the pole dimensions are the length l_s , the width b_s , the slot width c_s , and the mover pole pitch, defined as $\tau_s = b_s + c_s$. The magnet dimensions are the length l_m and width b_m . The stack lamination width is denoted as L_W .

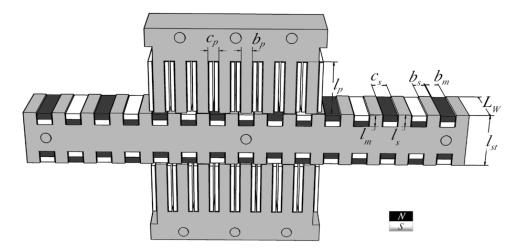


Figure 1. Longitudinal flux linear hybrid reluctance motor (LHRM) arrangement.

Figure 2 shows the LHRM operating principle in which the four coils of phase A are colored in red and blue, the blue side represents the current entering the paper and the red side is the current flowing out of the paper. The red line of Figure 2a represents the main flux line (Φ_{A+}) of phase A at pole-alignment position, when it is fed with a positive current (I_{A+}). When phase A current is inverted (I_{A-}), (see Figure 2b) the blue line represents the main flux line at the same aligned position. In both cases, a significant force appears at pole alignment positions. The force is to the right $F_{X,A+}$ when the current is I_{A+} , and to left $F_{X,A-}$ when the current is I_{A-} . This phenomenon does not appear in an LSRM, where the force is null at aligned and unaligned pole positions.

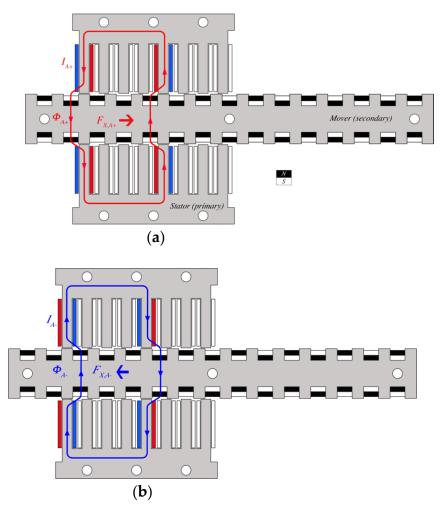


Figure 2. Linear hybrid reluctance motor main flux paths. (a) Phase A excited with I_{A+} , positive force $F_{X,A+}$. (b) Phase A excited with I_{A-} , negative force $F_{X,A-}$.

The LSRM propulsion force versus position x and current i, (F(x, i)) has the same direction (right/left) in the interval $x \in [0, \tau_S/2]$, and for whatever current sign. In the LHRM, the propulsion force is null at the unaligned pole positions, or when the stator poles are aligned with any of the PM poles (N/S) for any current, see Figure 3a,c. The LHRM propulsion force has a positive direction (left to right) in the interval $x \in [0, \tau_S]$, (see Figure 3b) and a negative direction (right to left) in the interval $x \in [\tau_S, 2 \cdot \tau_S]$ (see Figure 3d). This implies a current sign dependency of the LHRM over the propulsion force.

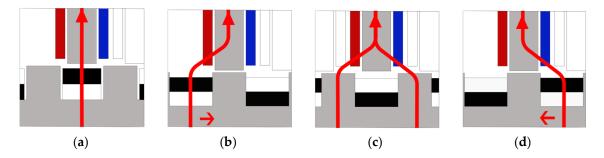


Figure 3. Linear hybrid reluctance motor operating principle. (a) Unaligned mover position. x = 0 mm, $F_X = 0$. (b) Aligned position. $x = \frac{1}{2}$ mm, $F_X > 0$. (c) Unaligned position. $x = \tau_s$ mm, $F_X = 0$. (d) Aligned position. $x = \frac{3}{2} \cdot \tau_s$ mm, $F_X < 0$.

In summary, the LHRM is, similar to the LSRM, a position dependent machine, so an encoder is necessary to operate this actuator, along with an H-bridge inverter, which has to be used instead of the asymmetric bridge converter because of its current sign dependence.

3. Mathematical Model Equations

The presence of the PM allows one to split the total phase flux linkage (ψ) as the sum of the flux due to the phase-current (ψ_i) and the PMs flux-linkage (ψ_{PM}), as follows:

$$\psi(x,i) = \psi_i(x,i) + \psi_{PM}(x,i) \tag{1}$$

The electrical phase circuit equation is as follows:

$$\frac{d\psi}{dt} = V - R \cdot I \tag{2}$$

where *I*, *V*, and *R* are the phase current, voltage, and resistance, respectively. Expressing the phase-current flux linkage as the product of the phase inductance and the current, that is: $\psi_i(i, x) = L(i, x) \cdot I$, and combining Equations (1) and (2), it yields the electrical circuit equation of the LHRM given by the following:

$$\frac{dI}{dt} = -L^{-1}\left(R + v \cdot \frac{dL}{dx}\right) \cdot I + L^{-1} \cdot \left(V - \frac{d\psi_{PM}}{dt}\right)$$
(3)

In which the mover velocity is denoted as *v*. The motion equation neglecting friction is given as follows:

$$F_x + F_d = M \cdot \frac{dv}{dt} + F_l \tag{4}$$

where F_x is the electromagnetic force, F_d is the detent force, F_l is the load, and M is the mover mass. The instantaneous electromagnetic force (F_x) is computed from the differential change of co-energy respect to position for a given phase current, as follows:

$$F_x = \sum_{k=1}^m \left[\frac{\partial}{\partial x} \left(\int_0^I \psi(x, i_k) \cdot di_k \right) \right]$$
(5)

where m is the number of phases. This set of Equations (1)–(5) performs the dynamic and static behavior of the LHRM, which can be implemented in MATLAB-Simulink software for their solution as in LSRM.

The apparent power per phase, S_{VA} or volt-ampere requirement per phase, is defined as the product of peak voltage (V_p) and peak current (I_p) multiplied by the number of switching devices per phase (n). From the area of the energy conversion loop (W), the average output power is given as follows:

$$P_{out} = \frac{2 \cdot W}{\tau_s \cdot k_d} \cdot u_b \tag{6}$$

where k_d is the magnetic duty cycle factor defined as $k_d = 2 \cdot x_{off} / \tau_s$. The ratio between the power output and the apparent power or W/VA ratio is given by the following:

$$\frac{P_{out}}{S_{VA}} = \frac{2 \cdot W}{n \cdot \tau_s \cdot k_d \cdot V_p \cdot I_p} \cdot u_b \tag{7}$$

4. Finite Element Analysis Results

The electromagnetic propulsion force is obtained from a 2D-FEM solver [25]. It uses the weighted Maxwell stress tensor technique [26], which is one of the most reliable approaches for force and torque computations [27]. It consists of computing the Maxwell stress tensor over a set of concentric surfaces of thickness δ and contour $\Gamma(\delta)$ wrapping the mover (see Equation (8)), with n_y being a

normal unit vector in the *y*-direction; and B_x and B_y are the magnetic field density in the *x* and *y* directions, respectively.

$$F_x = \frac{1}{\delta} \int_0^\delta \int_{\Gamma(\delta)} \frac{L_W}{\mu_0} \cdot n_y \cdot B_x \cdot B_y \cdot d\Gamma \cdot d\delta$$
(8)

The main dimensions of the FEM model of LHRM shown in Figure 4 are reported in Table A1, see Appendix A. Figure 4 shows the flux lines obtained from the FEA for the zero current excitation phase. This position (see Figure 4) is set as the initial position x = 0 mm, with this position being equivalent to the position shown in Figure 3c, that is, the upper left phase A primary pole is aligned with an S–N magnet.

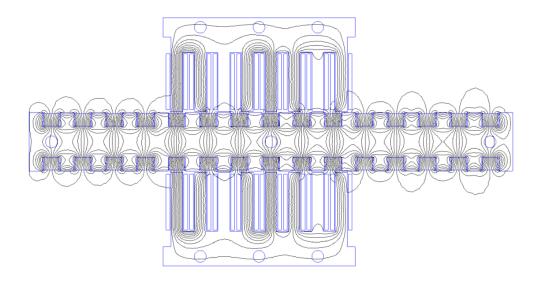


Figure 4. Two-dimensional-finite element analysis (FEM) flux plot for $I_A = I_B = I_C = I_D = 0$ at x = 0 mm.

The electromagnetic force is evaluated for a sequence of even positions in the interval $x \in [0, 2 \cdot \tau_s]$ and for a set of constant current density values $J \in [\pm 5, \pm 10, \pm 15]$ A/mm². The LSRM has the same iron laminations and coils, but without magnets.

As can be observed, there are two force profiles for the LHRM (see Figure 5); one for positive current feeding (continuous line, see Figure 5) and one for the negative current (discontinuous line). The LHRM force profiles are substantially higher than in the LSRM. The main FEM comparison results obtained from phase A are summarized in Table 1.

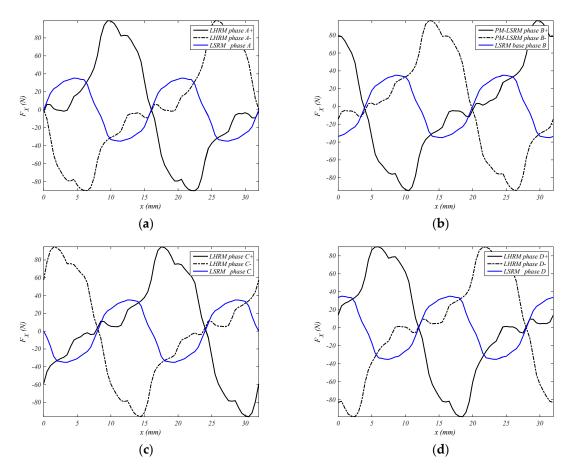


Figure 5. FEM propulsion force comparison results for linear switched reluctance motor (LSRM) and LHRM at $J = \pm 15 \text{ A/mm}^2$. (a) Phase A. (b) Phase B. (c) Phase C. (d) Phase D.

Table 1. Two-dimensional-finite element analysis (FEM) comparison results for the linear hybrid reluctance motor (LHRM) and linear switched reluctance motor (LSRM).

Phase-A, (I_A =2.95 A)	LHRM	LSRM	$\Delta F_{X,A}$ (%)
Average force (N) for $F_{X,A} > 0^{1}$	42	23.1	82
Average force (N) for $F_{X,A} < 0^{1}$	-43.2	-23.1	87
Positive peak force (N)	99.1	35.2	181
Negative peak force (N)	-90	-35	157

¹ The average force is computed for positive and negative semi-periods.

The phase-force profiles are shifted τ_s mm when feeding with positive or negative phase current, that is, $F_X(x + \tau_S, -I) = F_X(x, I)$, as can be seen in Figure 5. Table 2 shows the comparison results between phases, when feeding with a positive current density of $J = +15 \text{ A/mm}^2$ (I = +2.95 A), along with the cogging force values whose force profile is depicted in Figure 6. As is usual in the linear machines, the border phases (i.e., phases A and D) are expected to have slightly different values because of the loss of magnetic symmetry in the borders.

Table 2. Phase comparison LHRM main results.

J =15 A/mm ² , (I =2.95 A)	$F_{X,A+}$	$F_{X,B+}$	$F_{X,C+}$	$F_{X,D+}$	F _{Cogging}
Average force (N) for $F_X > 0$	42	45.7	42.9	42	2.93
Average force (N) for $F_X < 0$	-43.2	-42.7	-45.5	-42	-2.91
Positive peak force (N)	99.1	96.4	94.8	90.1	8.8
Negative peak force (N)	-90	-94.6	-96.2	-99	-8.8

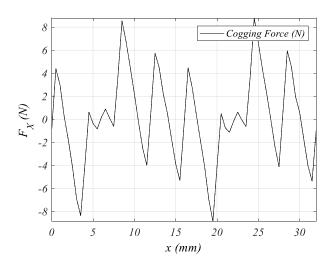


Figure 6. Cogging force FEM result.

The force profiles shown in Figure 5 are depicted together in Figure 7a. From this figure, an activation phase-sequence for positive (to right, x > 0) or negative movement (to left, x < 0) can be deduced. For obtaining a positive thrust starting from x = 0 mm, the phase-activation sequence must be [B+, C-, D+, A+, B-, C+, D-, A-, B+...], and for a negative thrust, it must be [D-, A-, B+, C-, D+, A+, B-, C+, D-...]. The curve resulting from wrapping the force peaks (see Figure 7a, red thick line) is the total propulsion force when the motor phases are excited following the above-mentioned positive sequence for a flat current waveform and without overlapping phase currents. The optimal conduction interval for phase A is also depicted in Figure 7a, in which for the LHRM dimensions given in Table A1 are [8.75, 12.75 mm] for A+, and [24.75, 28.75 mm] for -A. Figure 7b shows the total propulsion force for positive thrust for the current densities of $J \in [\pm 5, \pm 10, \pm 15]$ A/mm².

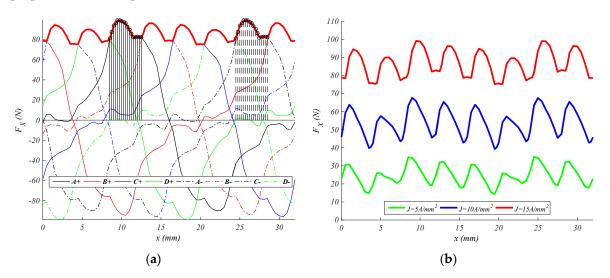


Figure 7. FEM results. (a) $J = \pm 15 \text{ A/mm}^2$, all phases propulsion force, total propulsion force (red thick line) and conduction interval for phase A. (b) Total propulsion force at $J \in [\pm 5, \pm 10, \pm 15]$.

In order to assess the demagnetization of the permanent magnets, the airgap flux density has been drawn in the *y*-direction, which is the PM-magnetization direction, and then comparing these field distributions with zero current and when exciting phase A.

The PM operating point is defined as the point where the permeance of the magnetic circuit meets the magnet BH characteristic. The irreversible demagnetization occurs when the PM's flux density decreases under magnet BH-characteristic knee value. For N32 grade, the residual induction is 1.2 T at 20 °C and the knee values are 0.3 T at 60 °C, 0.4 T at 80 °C, 0.5 T at 100 °C, and 0.6 T at 120 °C.

The critical points for phase A are found when the propulsion force reach its peak values, which occurs at mover positions of 6 mm and 28 mm for $J_A = -15$ A/mm², and at mover positions of 10 mm and 22 mm for $J_A = +15$ A/mm² (see Figure 7a). The points analyzed are at mover positions of 22 mm and $J_A = 15$ A/mm², and mover at 28 mm and $J_A = -15$ A/mm² (see Figure 8). The PM critical areas are highlighted (see Figure 8a,b). The $B_y(x,J)$ distribution field is computed along the airgap red line shown in Figure 8a,b, with the variable *x* being the position over this line, and *J* being the current density, whose values are zero in all phases J = 0, and $J = J_A = \pm 15$ A/mm² (see Figure 8c,d in black/red lines, respectively). The results reveal that PM would be demagnetized when operating at $J_A = 15$ A/mm² at mover position of 22 mm (see Figure 8c), and for magnet temperature exceeding 80 °C.

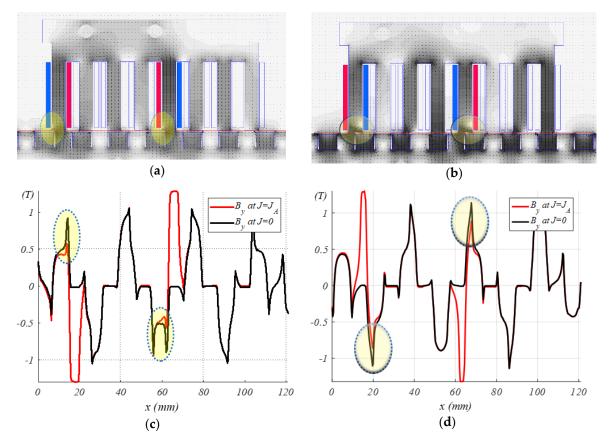


Figure 8. FEM results for the B_y component of the flux density. (a) B_y field for mover at 22 mm and feeding phase A at $J_A = +15 \text{ A/mm}^2$. (b) B_y field for mover at 28 mm and feeding phase A at $J_A = -15 \text{ A/mm}^2$. (c) B_y distribution field along the airgap, see red line in Figure 8a, for J = 0 and $J_A = 15 \text{ A/mm}^2$. (d) B_y distribution field along the airgap, see red line in Figure 8b at J = 0 and $J_A = -15 \text{ A/mm}^2$.

5. Experimental Results

In order to validate the FEM results, an LHRM prototype (see Figure 9b,c) was built and tested, with the main dimensions shown in Table A1. The experimental setup (see Figure 9a) consists of a system for positioning the mover at a given position and a load cell for measuring the static thrust force. The force is measured in each millimeter, in the range $x \in [0, 2 \cdot \tau_S]$, which means 32 measures for the 6 current densities $J \in [\pm 5, \pm 10, \pm 15]$. Considering the four phases, the total number of measures is $4 \times 6 \times 32 = 768$. These results are compared with the FEM results in Figures 10–13. The experimental results are in agreement with the FEM results, which validates the FEM simulation results.

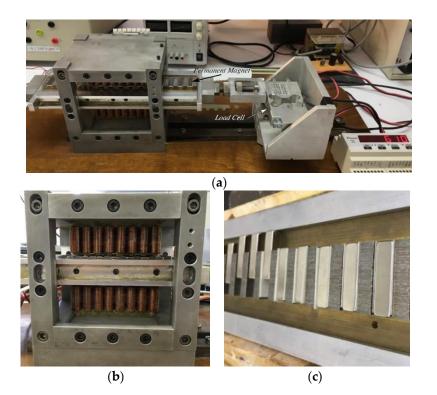


Figure 9. LHRM prototype. (a) Experimental setup. (b) LHRM frontal view. (c) Mover magnets assembly.

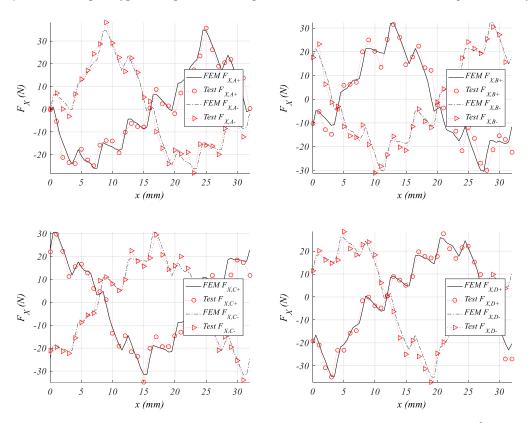


Figure 10. Experimental vs. FEM simulation phase-force results for $J = \pm 5 \text{ A/mm}^2$.

60

40

20

 θ

-20

-40

60

40

20

0

-20

-40

-60

0

10

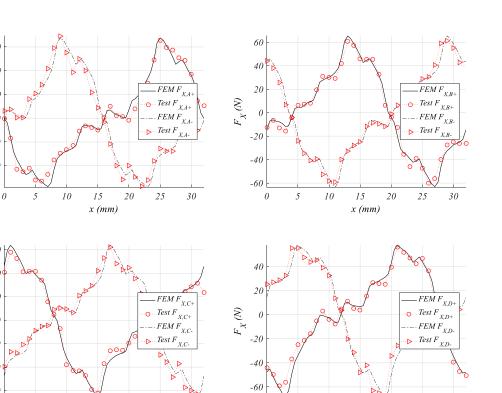
15

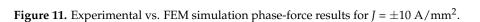
x (mm)

5

 $F_X(N)$

 $F_X(N)$





 θ

5

10

15

x (mm)

20

25

30

25

20

30

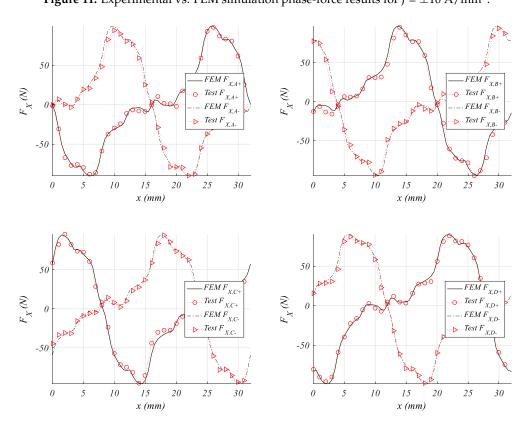


Figure 12. Experimental vs. FEM simulation phase-force results for $J = \pm 15 \text{ A/mm}^2$.

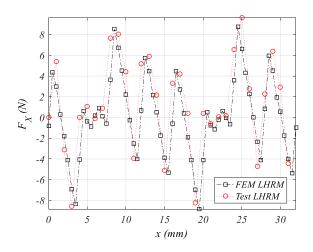


Figure 13. Experimental vs. FEM simulation cogging force results.

6. Conclusions and Discussion

From the experimental results, the operating principle and force profiles are validated and this enables the linear hybrid reluctance motor (LHRM) as a good candidate for applications with high force density. Unlike LSRM, this machine needs to operate through a four-phase full-bridge converter, in order to supply the phase current with the appropriate sign. As in LSRM, the mover position and currents must be acquired; therefore, a linear encoder and current sensors are required for implementing a force control. This force control can be designed for mitigating the force ripple (see Figure 7b) by adjusting the currents waveform [28], and thus the force can remain almost flat to its maximum value for each current density.

From the point of view of the cogging force (see Figure 13), this presents a series of peaks of about 10% of the peak force at $J = 15 \text{ A/mm}^2$, which is a reasonable value. Further research should be done to eliminate cogging force by phase-shifting, or by a sensitivity analysis in the pole's proportions and number of phases.

The LHRM actuator presented in this paper is conceived as a servomotor used in manufacturing lines or precision positioning applications whose velocity is relatively low ($u_b < 2 \text{ m/s}$) and where the force control is required. For this reason, a typical hysteresis current control is adopted, which is robust and fast [29], being the current controlled around a reference value (I_{ref}), and whose ripple depends on the hysteresis range. The shape of the controlled current and voltage are shown in Figure 14, and it is characterized by the turn on/off positions (see Table 3) and by the reference current, the value of which is directly linked to the desired propulsion force.

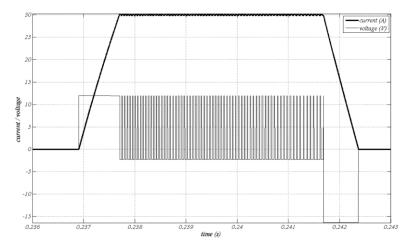


Figure 14. Current and voltage waveforms simulation results (current $\times 10^{-1}$; voltage $\times 10^{1}$).

Excited Phase	Turn on Position, <i>x</i> on	Turn off Position, x _{off}
A +	8.5 mm	12.5 mm
B +	28.75 mm	0.5 mm
C +	16.75 mm	20.25 mm
D +	4.5 mm	8.75 mm
A –	24.5 mm	28.5 mm
B —	12.75 mm	16.5 mm
C –	0.75 mm	4.25 mm
D –	20.5 mm	24.25 mm

Table 3. Turn on/off phase excitation.

The inherent fault tolerance of the reluctance machines and thus of LSRMs is preserved in the LHRM, because once the damaged phase is removed, the LHRM keeps operating at a new diminished force, as can be inferred from Figure 7a.

The motor is easily assembled despite having to put permanent magnets in the mover slots (see Figure 9c), because flux lines attach the PM to the magnetic structure (see Figure 4) and there are no repulsion forces.

The thermal aspect is also good because PMs are in the secondary (passive) part, which allows high current densities in the primary (active) part for intermittent operation.

From all the findings reported above, this novel structure of linear hybrid reluctance motor can be an interesting option in applications, which requires a high thrust force for intermittent duty cycles, such as in manufacturing industries and robotic systems.

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Conflicts of Interest: The author declare no conflict of interest.

Appendix A.

Parameter	Symbol	Value
Primary pole width	b_p	6 mm
Primary slot width	c_p	6 mm
Primary pole length	l_p	30 mm
Secondary pole width	$\dot{b_s}$	7 mm
Secondary slot width	C_S	9 mm
Secondary pole length	l_s	7 mm
Mover height	l_{st}	30 mm
Magnet width	b_m	8 mm
Magnet height	l_m	6.5 mm
Stack width	L_W	30 mm
Air gap length	g	0.5 mm
Phase wire diameter	8 d	0.5 mm
Number of wires per pole	N_{ph}	180
Rated voltage	$\dot{u_b}$	120 V
Rated current	I_b	3 A
Rated power	P_b	150 W
Rated force	F_X	90 N
Rated speed	u_b	1.5 m/s
Duty cycle	DC	0.4
Magnetic steel grade	FeV 270/50 HA	
Insulation grade	B-Class $\Delta T = 80 ^{\circ}\text{C}$	
Duty type	S3	
Permanent Magnet	NdFeB32	

Table A1. LHRM prototype main dimensions and rated values.

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