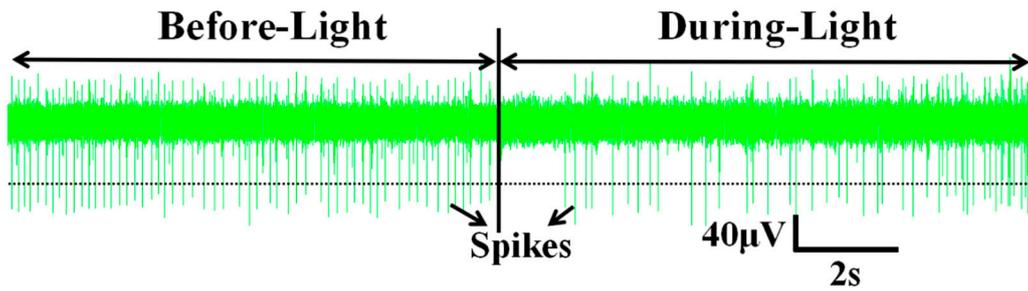
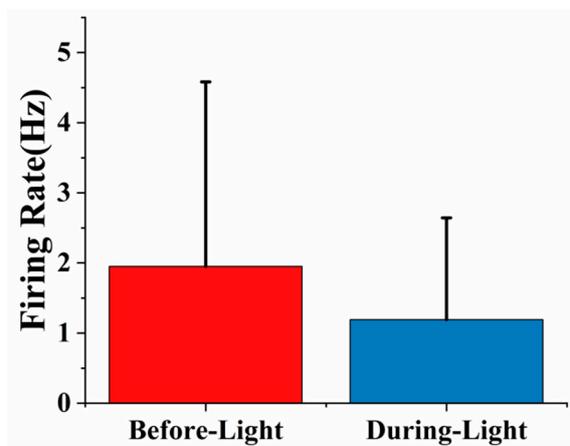


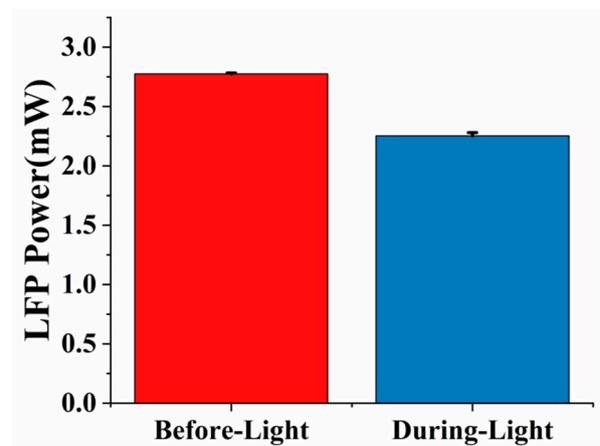
Figure 1. Schematic diagram of the experiment. The insets in the dotted boxes are photos of optical stimulation and simultaneous electrophysiology detection experiments.



(a)



(b)



(c)

Figure S2. (a) The real-time recordings of electrophysiological signal before and during light illumination at a depth of 800 μm (non-viral transfection area); (b) the average spike firing rate of neurons before and during optical stimulation; (c) the average LFP power (0–30 Hz) of neurons before and during light. Error bars indicate standard deviation of 3 channels.

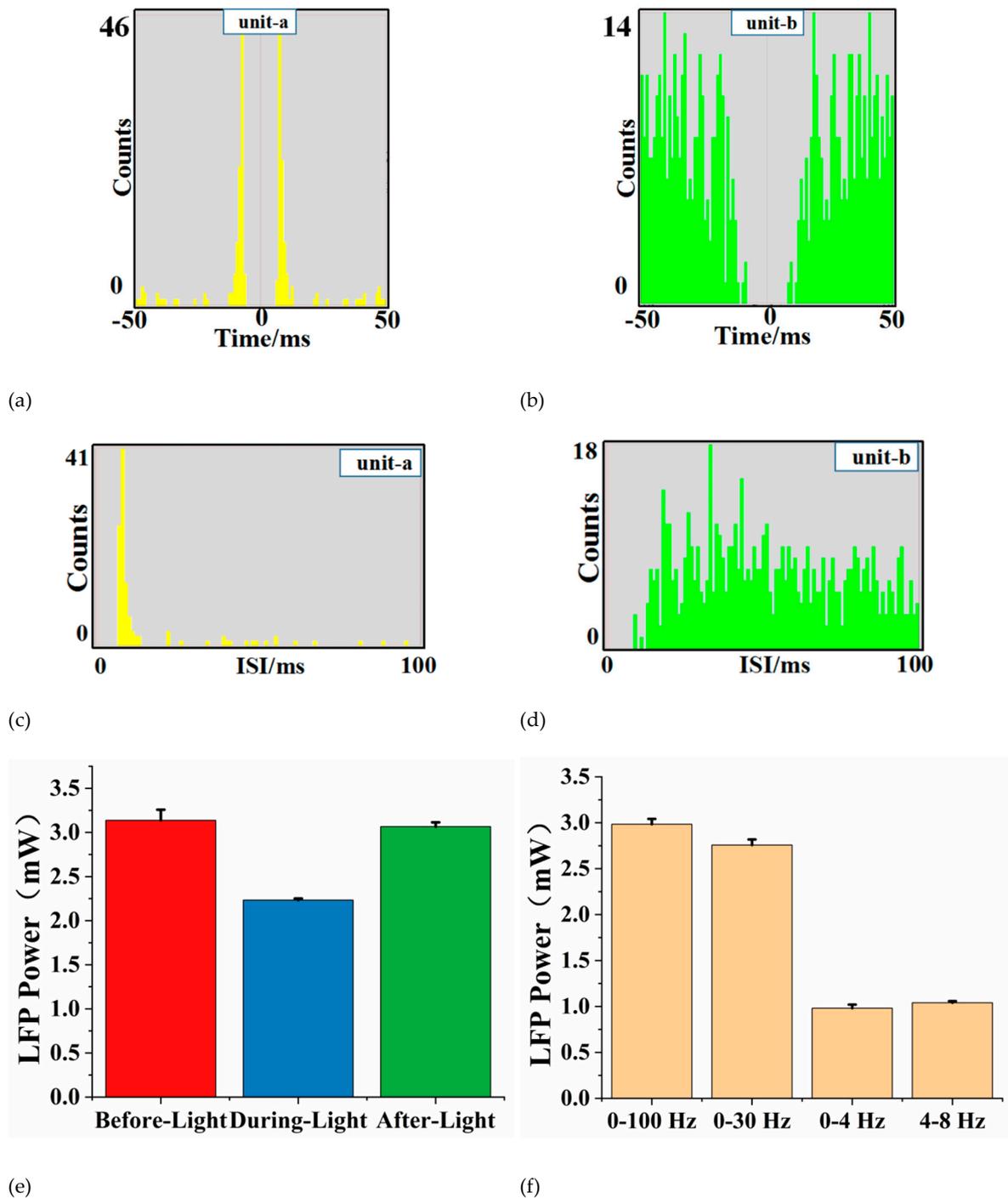
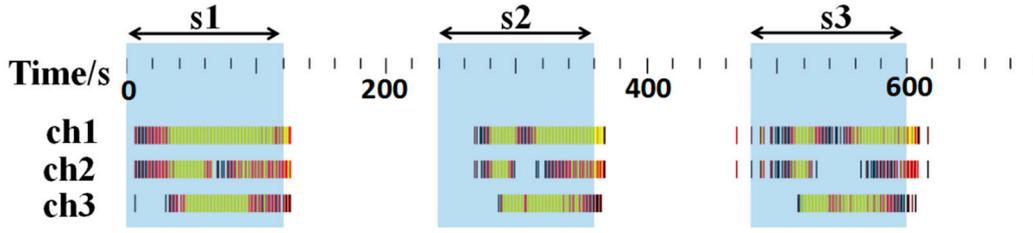
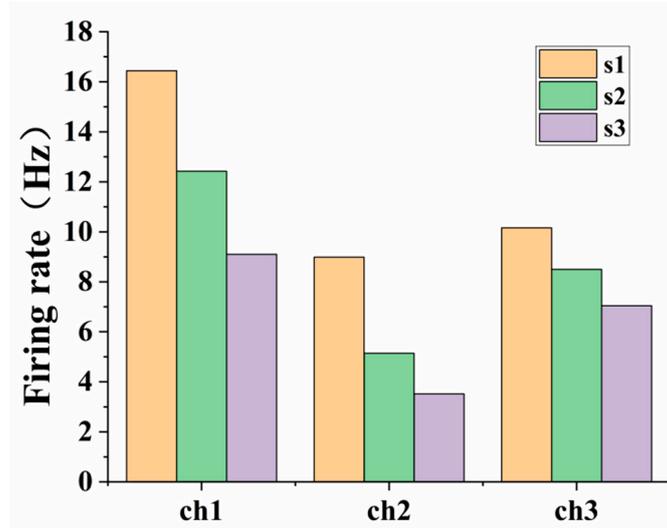


Figure S3. (a) Auto-correlograms of unit-a; (b) auto-correlograms of unit-b; (c) ISI histograms of unit-a; (d) ISI histograms of unit-b; (e) the average LFP power (0–30 Hz) before, during and after optical stimulation; (f) the average LFP power of different frequency band. Error bars indicate standard deviation of 3 channels



(a)



(b)

Figure S4. (a) The real-time recordings of spikes of three recording channels under different light stimulation patterns (s1:10 Hz, duty ratio=50%, 2 min; s2:10 Hz, duty ratio=25%, 2 min; s3:16.6 Hz, duty ratio=25%, 2 min. The shaded area is the period of light stimulation. ch = channel); (b) the spike firing rate of neurons detected by 3 channels under different light stimulation modes.

For simulation light intensity I (mW/mm^2) at a vertical distance d (mm) from the fiber tip in brain tissue, I can be estimated as (in our model, there is no coupling loss because the tip output power is known):

$$I = P_t \times \eta_{(\text{scatter})} \times \varphi(r, d) \quad (1)$$

where $\eta_{(\text{scatter})}$ is scattering attenuation and $\varphi(r, d)$, the geometric dispersion, is $1/\text{mm}^2$; according to the $1/d$ scattering model by Aravanis, $\eta_{(\text{scatter})}$ can be:

$$\eta_{(\text{scatter})} = 1 / [s(\lambda) \cdot d + 1] \quad (2)$$

where $s(\lambda)$ is the scattering coefficient for wavelength; here, $s(450) \approx s(470) = 7.2$.

the geometric attenuation could be approximated by:

$$\varphi(r, d) = 1 / \pi [r_0 + d \cdot \tan(\sin^{-1}(\text{NA}/n))]^2 \quad (3)$$

where r_0 is the radius of optical fiber ($100 \mu\text{m}$), NA is the numerical aperture of optical fiber (0.39), and n is the refractive index of brain (1.36). Therefore, we can get the final expression of estimated I as a function of distance from the fiber tip d :

$$I(d) = P_t / [\pi [s(450) \cdot d + 1] [r_0 + d \cdot \tan(\sin^{-1}(NA/n))]^2] \quad (4)$$

We used this expression to simulate the power density distribution with a vertical distance of 0-400 μm from the optrode tip.

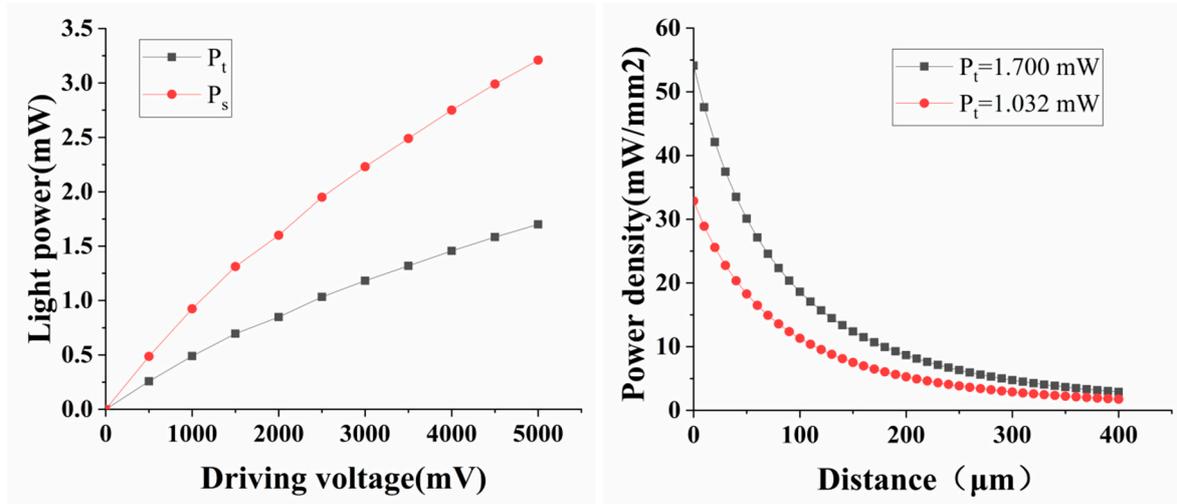


Figure S5. (a) The output power of LED light source (P_s) and the tip of optrode (P_t) under different driving voltages; (b) the simulation power density distribution with a vertical distance of 0-400 μm from the optrode tip.