Supplementary

Item	Variable	Test	Statistic	Confidence
Α			hand: Mauchly's Test χ ² (0) = 0, p = Nothing, ε = 1; F(1.28) = 0.386:	hand: $p = 0.540$, partial $\eta^2 = 0.014$, power = 0.092, corrected by Huynh-Feldt;
	<i>IPV</i> 2 between the dominant and non-dominant hands at each target speed	Two-way repeated measures ANOVA	speed: Mauchly's Test χ speed ² (5) = 10.496, powe ted $p = 0.063, \epsilon =$ corre 0.808; Sphe VA $F(3,84) = 32.983;$ interaction: Mauchly's Test χ interaction:	speed: $p = 0$, partial $\eta^2 = 0.541$, power = 1.0, corrected by Sphericity Assumed;
			interaction: Mauchly's Test χ ² (5) = 21.667, p = 0.001, ε = 0.715; F (2.146,60.084) = 2.933	interaction: $p =$ 0.057, partial $\eta^2 =$ 0.095, power = 0.571, corrected by Greenhouse- Geisser
В	<i>IPV2</i> under the conditions of <i>S1, S2, S3, S4</i> between <i>DH</i> and <i>NDH</i>	Bonferroni- corrected pairwise comparisons	 <i>S1</i> between <i>DH</i> and <i>NDH</i>: <i>t</i> (28) = 1.704; <i>S2</i> between <i>DH</i> and <i>NDH</i>: <i>t</i> (28) = 1.037; <i>S3</i> between <i>DH</i> and <i>NDH</i>: <i>t</i> (28) = 1.433; <i>S4</i> between <i>DH</i> and <i>NDH</i>: <i>t</i> (28) = 1.369 	S1 between DH and NDH: $p =$ 0.099, CI = -43.241 ~ 3.964, $r = 0.307$; S2 between DH and NDH: $p =$ 0.308, CI = -33.826 ~ 11.085, $r = 0.192$; S3 between DH and NDH: $p =$ 0.163, CI = -5.144 ~ 29.075, $r = 0.261$; S4 between DH and NDH: $p =$ 0.182

Table 1. A Summary of Statistical Analysis of *Ipv2* For the Circular Tracking Movement.

				$CI = -2.707 \sim$ 13.610, $r = 0.250$ S1: S2; p = 0.482, $CI = -6.482 \sim$
				$\frac{13.610, r = 0.250}{S1: S2; p = 0.482,}$ $CI = -6.482 \sim$
				S1: S2; $p = 0.482$, CI = -6.482 ~
				$CI = -6.482 \sim$
				29.444, r = 0.324;
			<i>S1</i> : <i>S2</i> : <i>t</i> (28) =	S1: S3: p = 0.202,
			1.814;	$CI = -6.360 \sim$
			51: 53: t(28) =	53.258, r = 0.389;
			2.233;	S1: S4: p = 0, C1 =
			51:54:l(20) =	$14.740 \approx 60.663, r = 0.661,$
	<i>IPV</i> 2 of target speeds under	Bonferroni-	4.001,	0.001,
C	the conditions of $S1$: $S2$, $S1$:	corrected	$S_{2}: S_{3}: t(28) =$	S2: S3: n = 0.985.
C	<i>S</i> 3, <i>S</i> 1 : <i>S</i> 4, <i>S</i> 2 : <i>S</i> 3, <i>S</i> 2 : <i>S</i> 4, <i>S</i> 3	pairwise	1.429:	$CI = -11.811 \sim$
	: <i>S4</i> on the <i>DH</i> phase	comparisons	$S_{2}: S_{4}: t(28) =$	35.748, r = 0.261;
			4.060:	S2: S4: p = 0.002.
			,	<i>CI</i> = 7.887 ~
			S3: S4: t (28) =	44.555, <i>r</i> = 0.609;
			2.225	
				<i>S3</i> : <i>S4</i> : <i>p</i> = 206, <i>CI</i>
				$= -3.934 \sim 32.439, r$
				= 0.388
				<i>S1</i> : <i>S2</i> : <i>p</i> = 0.580,
				<i>CI</i> = -12.873 ~
				52.370, <i>r</i> = 0.309;
			<i>S1: S2: t</i> (28) =	<i>S1</i> : <i>S3</i> : <i>p</i> = 0, <i>CI</i> =
			1.719;	26.386 ~ 83.721, <i>r</i> =
			<i>S1: S3: t</i> (28) =	0.718;
			5.452;	<i>S</i> 1: <i>S</i> 4: <i>p</i> = 0, <i>CI</i> =
			<i>S1</i> : <i>S4</i> : <i>t</i> (28) =	38.077 ~ 87.507, <i>r</i> =
	<i>IPV</i> 2 of target speeds under	Bonferroni-	7.213;	0.806;
П	the conditions of <i>S1</i> : <i>S2</i> , <i>S1</i> :	corrected	(2), (2), (2) =	$c_{2}, c_{2}, m = 0, CI =$
)	<i>S</i> 3, <i>S</i> 1 : <i>S</i> 4, <i>S</i> 2 : <i>S</i> 3, <i>S</i> 2 : <i>S</i> 4, <i>S</i> 3	pairwise	52. 55. t (26) - 5.021.	52.55.p = 0, CI = 15 343 ~ 55 267 $r =$
	: S4 on the NDH phase	comparisons	5.021, 52: 54: t(28) =	0.688
			5.561:	$S2 \cdot S4 \cdot n = 0, CI =$
			0.001)	$21.070 \sim 65.016$, r =
			S3: S4: t (28) =	0.724;
			1.340	$S_{3}: S_{4}: n = 0.798$
				$CI = -6.456 \sim$
				21.933, r = 0.281
			C1. C2. L (20)	C1. C2 0 141
	<i>IPV</i> 2 of target speeds under	Bonforroni	51: 52: t (28) = 2 206:	51: 52: p = 0.141, CI = 2.896
	the conditions of $S1 : S2, S1 :$	Bonterroni-	2.370;	$C_1 = -2.000 \sim$
	the conditions of $S1 : S2, S1 :$	corrected	$(51 \cdot 53 \cdot + (28)) =$	$34\ 115\ r=0\ 412$
E	the conditions of <i>S1</i> : <i>S2</i> , <i>S1</i> : <i>S3</i> , <i>S1</i> : <i>S4</i> , <i>S2</i> : <i>S3</i> , <i>S2</i> : <i>S4</i> , <i>S3</i>	corrected	<i>S1</i> : <i>S3</i> : <i>t</i> (28) = 6 074:	34.115, r = 0.412; 51: 53: n = 0, CI =
E	the conditions of <i>S1</i> : <i>S2</i> , <i>S1</i> : <i>S3</i> , <i>S1</i> : <i>S4</i> , <i>S2</i> : <i>S3</i> , <i>S2</i> : <i>S4</i> , <i>S3</i> : <i>S4</i> on both the <i>DH</i> and	corrected pairwise comparisons	S1: S3: t (28) = 6.074; S1: S4: t (28) =	34.115, <i>r</i> = 0.412; <i>S</i> 1: <i>S</i> 3: <i>p</i> = 0, <i>CI</i> = 20.907 ~ 57.596, <i>r</i> =

	<i>S1</i> : <i>S4</i> : <i>p</i> = 0, <i>CI</i> =
S2: S3: t (28) =	32.405 ~ 68.089, r =
4.524;	0.834;
S2: S4: t (28) =	
7.455;	<i>S2</i> : <i>S3</i> : <i>p</i> = 0.001,
	<i>CI</i> = 8.806 ~
S3: S4: t (28) =	38.468, <i>r</i> = 0.650;
2.837	<i>S2</i> : <i>S4</i> : <i>p</i> = 0, <i>CI</i> =
	21.445 ~ 47.820, <i>r</i> =
	0.815;
	<i>S3</i> : <i>S4</i> : <i>p</i> = 0.050,
	<i>CI</i> = -0.008 ~
	21.999, <i>r</i> = 0.472

Supplementary

Table 2. A Summary of Statistical Analysis of *IPT2* for the Circular Tracking Movement.

Item	Variable	Test	Statistic	Confidence
			hand: Mauchly's Test $\chi^2(0) = 0$, $p = \text{Nothing}, \epsilon$ = 1; F(1,28) = 6.276;	hand: $p = 0.018$, partial $\eta^2 = 0.183$, power = 0.677, corrected by Huynh-Feldt;
А	<i>IPT2</i> between the dominant and non-dominant hands at each target speed	Two-way repeated measures ANOVA	speed: Mauchly's Test $\chi^2(5) =$ 7.874, $p = 0.164, \epsilon =$ 0.830; F(3,84) = 1.098;	speed: $p = 0.354$, partial $\eta^2 = 0.038$, power = 0.287, corrected by Sphericity Assumed;
			interaction: Mauchly's Test $\chi^2(5) =$ 9.539, $p = 0.090, \epsilon =$ 0.820;	interaction: $p =$ 0.345, partial $\eta^2 =$ 0.039, power = 0.293, corrected by Sphericity Assumed
			F (3,84) = 1.123	

В	<i>IPT2</i> under the conditions of <i>S1</i> , <i>S2</i> , <i>S3</i> , <i>S4</i> between <i>DH</i> and <i>NDH</i>	Bonferroni- corrected pairwise comparisons	<i>S1</i> between <i>DH</i> and <i>NDH</i> : <i>t</i> (28) = 1.947; <i>S2</i> between <i>DH</i> and <i>NDH</i> : <i>t</i> (28) = 0.677; <i>S3</i> between <i>DH</i> and <i>NDH</i> : <i>t</i> (28) = 0.514; <i>S4</i> between <i>DH</i> and <i>NDH</i> : <i>t</i> (28) = 2.019	S1 between DH and NDH: $p =$ 0.062, $CI = -0.137 \sim 0.003,$ r = 0.345; S2 between DH and NDH: $p =$ 0.504, $CI = -0.071 \sim 0.036,$ r = 0.127; S3 between DH and NDH: $p =$ 0.611, $CI = -0.065 \sim 0.039,$ r = 0.097; S4 between DH and NDH: $p =$ 0.053, $CI = -0.145 \sim 0.001,$ r = 0.356
С	<i>IPT2</i> of target speeds under the conditions of <i>S1</i> : <i>S2</i> , <i>S1</i> : <i>S3</i> , <i>S1</i> : <i>S4</i> , <i>S2</i> : <i>S3</i> , <i>S2</i> : <i>S4</i> , <i>S3</i> : <i>S4</i> on the <i>DH</i> phase	Bonferroni- corrected pairwise comparisons	S1: S2: t (28) = $1.652;$ $S1: S3: t (28) =$ $2.371;$ $S1: S4: t (28) =$ $0.777;$ $S2: S3: t (28) =$ $0.638;$ $S2: S4: t (28) =$ $1.327;$ $S3: S4: t (28) =$ 1.812	S1: S2; p = 0.658, $CI = -0.133 \sim 0.035,$ r = 0.298; S1: S3: p = 0.149, $CI = -0.144 \sim 0.013,$ r = 0.409; S1: S4: p = 1, CI = - $0.112 \sim 0.064, r =$ 0.145; S2: S3: p = 1, CI = - $0.090 \sim 0.057, r =$ 0.120; S2: S4: p = 1, CI = - $0.028 \sim 0.078, r =$ 0.243; S3: S4: p = 0.485, $CI = -0.023 \sim 0.106,$ r = 0.324
D	<i>IPT2</i> of target speeds under the conditions of <i>S1</i> : <i>S2</i> , <i>S1</i> : <i>S3</i> , <i>S1</i> : <i>S4</i> , <i>S2</i> : <i>S3</i> , <i>S2</i> : <i>S4</i> , <i>S3</i> : <i>S4</i> on the <i>NDH</i> phase	Bonferroni- corrected pairwise comparisons	S1: S2: t (28) = 0; S1: S3: t (28) = 0.406; S1: S4: t (28) = 0.694;	S1: S2: p = 1, CI = - 0.090 ~ 0.090, r = 0.000; S1: S3: p = 1, CI = - 0.095 ~ 0.071, r = 0.077;

			S2: S3: t (28) = 0.629; S2: S4: t (28) = 0.755; S3: S4: t (28) = 0.485	S1: S4: p = 1, CI = - $0.150 \sim 0.091, r =$ 0.130; S2: S3: p = 1, CI = - $0.065 \sim 0.042, r =$ 0.118; S2: S4: p = 1, CI = -
				0.140 ~ 0.081, r = 0.141; S3: S4: p = 1, CI = - 0.121 ~ 0.086, r = 0.091
Ε	<i>IPT2</i> of target speeds under the conditions of $S1 : S2$, $S1 : S3$, $S1 : S4$, $S2 : S3$, $S2 : S4$, $S3 : S4$ on both the <i>DH</i> and <i>NDH</i> phases	Bonferroni- corrected pairwise comparisons	S1: S2: t (28) = $1.060;$ $S1: S3: t (28) =$ $1.683;$ $S1: S4: t (28) =$ $0.976;$ $S2: S3: t (28) =$ $0.857;$ $S2: S4: t (28) =$ $0.112;$ $S3: S4: t (28) =$ 0.604	$S1: S2: p = 1, CI = -$ $0.090 \sim 0.041, r =$ $0.196;$ $S1: S3: p = 0.620,$ $CI = -0.104 \sim 0.027,$ $r = 0.303;$ $S1: S4: p = 1, CI = -$ $0.105 \sim 0.051, r =$ $0.181;$ $S2: S3: p = 1, CI = -$ $0.061 \sim 0.033, r =$ $0.160;$ $S2: S4: p = 1, CI = -$ $0.059 \sim 0.055, r =$ $0.022;$ $S3: S4: p = 1, CI = -$ $0.044 \sim 0.068, r =$ 0.113

Supplementary

Item	Variable	Test	Statistic	Confidence
			hand: Mauchly's Test $\chi^2(0) = 0$, $p = \text{Nothing}, \epsilon$ = 1; F(1,28) = 20.310;	hand: $p = 0$, partial $\eta^2 = 0.420$, power = 0.992, corrected by Huynh-Feldt;
А	<i>TD2</i> between the dominant and non-dominant hands at each target speed	Two-way repeated measures ANOVA	speed: Mauchly's Test $\chi^{2}(5) =$ 5.081, $p = 0.406, \epsilon =$ 0.888; F(3,84) =	speed: $p = 0$, partial $\eta^2 = 0.355$, power = 1.0, corrected by Sphericity Assumed;
			interaction: Mauchly's Test $\chi^2(5) =$ 7.612, $p = 0.179, \epsilon =$ 0.857; F(3,84) = 3.203	interaction: $p =$ 0.027, partial $\eta^2 =$ 0.103, power = 0.720, corrected by Sphericity Assumed
В	<i>TD</i> 2 under the conditions of <i>S</i> 1, <i>S</i> 2, <i>S</i> 3, <i>S</i> 4 between <i>DH</i> and <i>NDH</i>	Bonferroni- corrected pairwise comparisons	S1 between DH and NDH: t (28) = 3.964; S2 between DH and NDH: t (28) = 4.824; S3 between DH and NDH: t (28) = 1.091; S4 between DH and NDH: t (28) = 1.764	S1 between DH and NDH: $p = 0$, $CI = -0.075 \sim -$ 0.024, $r = 0.600$; S2 between DH and NDH: $p = 0$, $CI = -0.101 \sim -$ 0.041, $r = 0.674$; S3 between DH and NDH: $p =$ 0.285, $CI = -0.043 \sim -$ 0.013, $r = 0.202$;

Table 3. A Summary of Statistical Analysis of *TD2* for the Circular Tracking Movement.

				S4 between DH
				and $NDH \cdot n =$
				0 080
				CI = 0.069
				$C_1 = -0.009 \approx -0.009 \approx -0.005$
				$\frac{0.003, 7 = 0.310}{51, 52, n = 0.014}$
				S1. S2, p = 0.014, CI = 0.006 = 0.075
				$C_1 = 0.000 \approx 0.075,$
			(1, 0, 1)	r = 0.340;
			51: 52: i(20) =	S1: S5: p = 0.003,
			5.595;	$CI = -0.003 \approx 0.078,$
			51:55:i(20) =	r = 0.443;
			2.013, (28) =	S1. S4. p = 0.014, CI = 0.000 = 0.105
			2 271.	$CI = 0.009 \approx 0.105,$
	TD2 of target speeds under the	Bonformoni	5.571,	7 - 0.337,
C	conditions of <i>S1</i> : <i>S2</i> , <i>S1</i> : <i>S3</i> , <i>S1</i> :	corrected pairwise	(22, 52, + (28)) =	S_{2} , S_{3} , $n = 1$, C_{1}
C	<i>S</i> 4, <i>S</i> 2 : <i>S</i> 3, <i>S</i> 2 : <i>S</i> 4, <i>S</i> 3 : <i>S</i> 4 on the	comparisons	0.205	52.55.p = 1, C1 = -
	DH phase	companisons	S2· S4· + (28) =	0.031 0.044, 7 =
			0.916:	$S2 \cdot S4 \cdot n = 1, CI = -$
			0.910)	$0.034 \sim 0.066$, r =
			S3: S4: t (28) =	0.171:
			1.173	,
				<i>S3</i> : <i>S4</i> : <i>p</i> = 1, <i>CI</i> = -
				$0.028 \sim 0.067, r =$
				0.216
				<i>S1</i> : <i>S2</i> : <i>p</i> = 0.597,
				$CI = -0.013 \sim 0.051,$ r = 0.306;
			<i>S1: S2: t</i> (28) =	<i>S1</i> : <i>S3</i> : <i>p</i> = 0, <i>CI</i> =
			1.704;	$0.036 \sim 0.107, r =$
			S1: S3: t (28) =	0.736;
			5.750;	<i>S1</i> : <i>S4</i> : <i>p</i> = 0, <i>CI</i> =
			<i>S1</i> : <i>S4</i> : <i>t</i> (28) =	0.034 ~ 0.114, <i>r</i> =
	TD2 of target speeds under the		5.255;	0.705;
	$1D_2$ of larger speeds under the	Bonferroni-		
D	$54 \ 52 \ 53 \ 52 \ 54 \ 54$	corrected pairwise	S2: S3: t (28) =	S2: S3: p = 0, CI =
	54, 52: 53, 52: 54, 53: 54 on the	comparisons	5.070;	0.023 ~ 0.082, <i>r</i> =
	iveri phase		S2: S4: t (28) =	0.692;
			4.108;	<i>S2</i> : <i>S4</i> : <i>p</i> = 0.002,
				$CI = 0.017 \sim 0.093,$
			S3: S4: t (28) =	r = 0.613;
			0.239	
				<i>S3</i> : <i>S4</i> : <i>p</i> = 1, <i>CI</i> = -
				$0.029 \sim 0.034, r =$
				0.045
		Bonferroni-	61 62 (20)	<i>S1</i> : <i>S2</i> : <i>p</i> = 0.010,
Е	1D2 of target speeds under the	corrected pairwise	51: 52: t (28) =	$CI = 0.005 \sim 0.051,$
		comparisons	3.487;	r = 0.550;
		1		,

<i>S1</i> : <i>S3</i> : <i>t</i> (28) =	<i>S1</i> : <i>S3</i> : <i>p</i> = 0, <i>CI</i> =
4.861;	$0.023 \sim 0.086, r =$
<i>S1</i> : <i>S4</i> : <i>t</i> (28) =	0.677;
5.406;	<i>S1</i> : <i>S4</i> : <i>p</i> = 0, <i>CI</i> =
	$0.031 \sim 0.100, r =$
<i>S2: S3: t</i> (28) =	0.715;
2.515;	
<i>S2</i> : <i>S4</i> : <i>t</i> (28) =	<i>S2</i> : <i>S3</i> : <i>p</i> = 0.108,
3.382;	$CI = -0.003 \sim 0.052,$
	r = 0.429;
S3: S4: t (28) =	<i>S2</i> : <i>S4</i> : <i>p</i> = 0.014,
1.090	$CI = 0.005 \sim 0.066,$
	r = 0.539;
	$C_{2}, C_{1}, n = 1, C_{1} = 1$
	55:54:p=1, CI=-
	0.010 ~ 0.040, 7 -
	0.202
	S1: S3: t (28) = $4.861;$ $S1: S4: t (28) =$ $5.406;$ $S2: S3: t (28) =$ $2.515;$ $S2: S4: t (28) =$ $3.382;$ $S3: S4: t (28) =$ 1.090