

Supporting Information to

Heading Toward Miniature Sensors: Electrical Conductance of Linearly Assembled Gold Nanorods

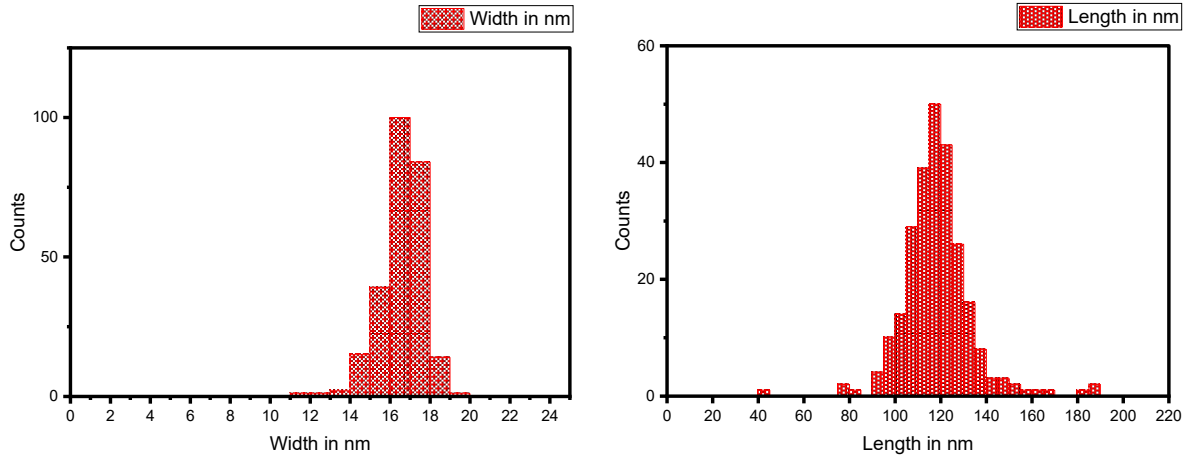


Figure S1: Histograms of the AuNRs' dimensions, their width (left) and length (right), derived from TEM measurements.

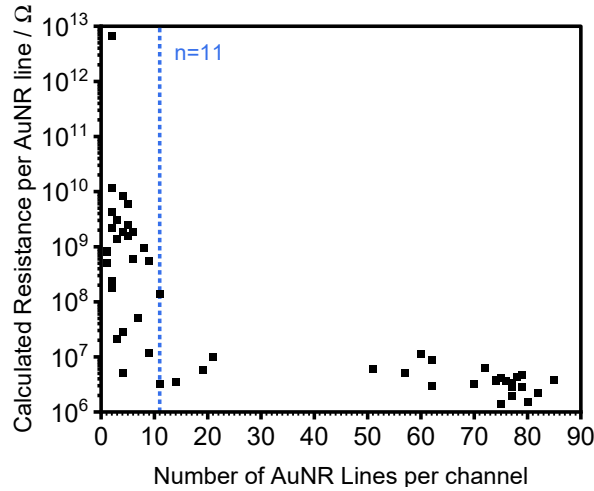


Figure S2: Conductivity measurements: Calculated mean resistance for single AuNR lines, R_{single} .

A mean resistance of a single AuNR line in a certain channel, $R_{\text{single}} = n \cdot R_{\text{total}}$ can be calculated, corresponding to AuNR lines acting as resistors with uniform resistance connected in parallel. If this assumption is correct, the calculated resistances per AuNR line, R_{single} should be constant over all numbers n of AuNRs. However, as can be seen from the figure, the more AuNR lines connect a pair of electrodes, the lower is R_{single} . Only for more than 11 AuNR lines per channel, the R_{single} values are more or less constant and therefore, meet the

assumption of our model of uniform AuNR lines acting as ohmic resistors connected in parallel.

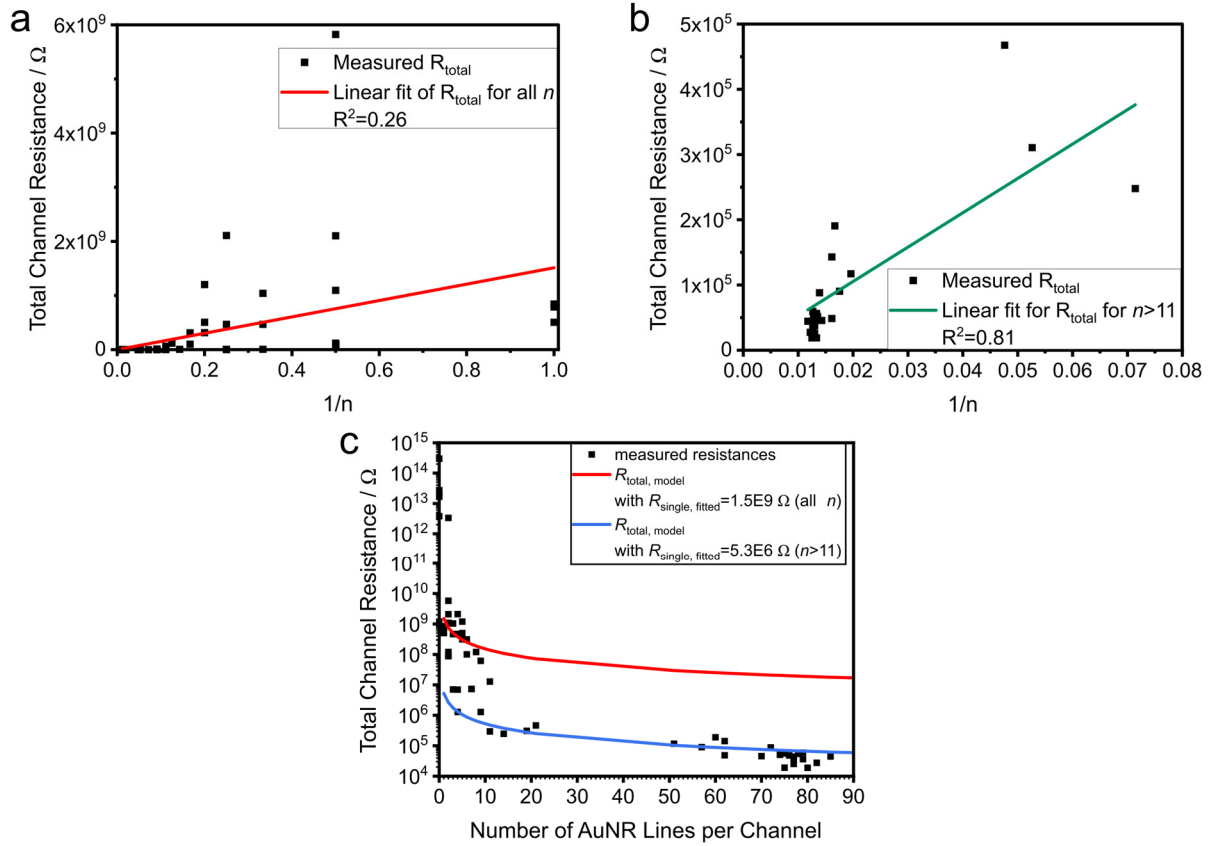


Figure S3: Linear fit of the measured R_{total} , including (a, red) all total channel resistance values except one outlier $R_{\text{total}}=3.35 \text{ T}\Omega$, for $n=2$ and (b, green) only the total channel resistance values for $n>11$, respectively. (c) All measured total channel resistances and the model for R_{total} by using the $R_{\text{single,fitted}}$ derived from the linear regression.

If all measured R_{total} for $1 \leq n \leq 85$ are used to calculate R_{single} by regression with the equation

$$R_{\text{total,mean}} = R_{\text{single,fitted}} \cdot \frac{1}{n}$$

the linear regression unsurprisingly is not satisfactory and has a very low coefficient of determination (R^2) of 0.26, even if we omit the clear outlier $R_{\text{total}}=3.35 \text{ T}\Omega$ for $n=2$. Hence, the corresponding model for R_{total} does not fit the experimental data well (c, red graph). The overall trend of the measured R_{total} cannot be reproduced, as for $n \leq 11$ the measured resistances do not provide an adequate base to calculate a model $R_{\text{total,model}}$. On the contrary, the model $R_{\text{total,model}}(n \geq 11)$ fits the data well for the ohmic-resistors-regime (c, blue graph).

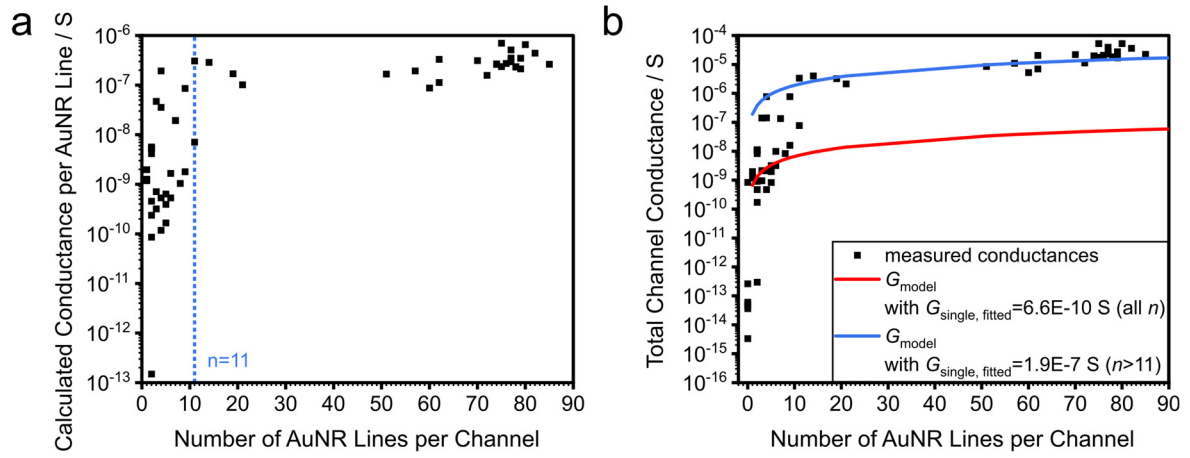


Figure S4: Conductivity measurements: (a) calculated conductances per AuNR line and (b) total channel conductances G , measured and modeled values.

The equation used for a) is $G_{\text{total}} = n \cdot G_{\text{single, fitted}}$.

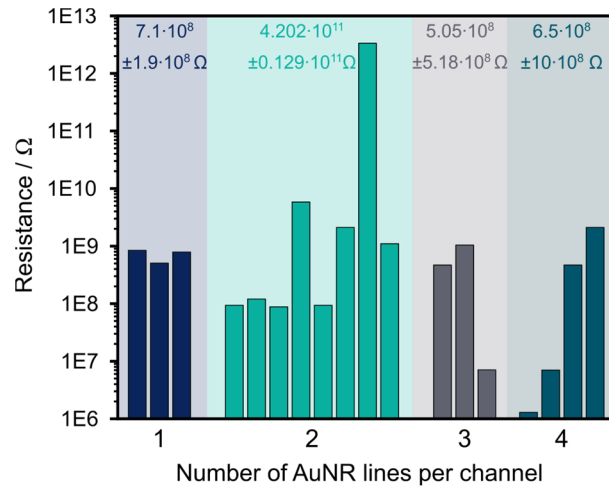


Figure S5: The measured channel resistances for $n=1$, $n=2$, $n=3$ and $n=4$ exemplarily illustrate the scattering of the total channel resistances R_{total} for small n .