

# Article Effect of Seismic Isolation on the Performance of High-Rise Buildings with Torsional Instability

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Abstract: Seismic bearings have been used to mitigate the harmful effect of the earthquakes. Torsion mode, one of the most important irregularities, generally increases the shear forces to the vertical members such as columns and shear walls in turn this may results in brittle failure of the reinforced concrete (RC) members. Accordingly, it is vital to eliminate the torsion failure mode or switch to the higher modes with lower mass contribution. This study has evaluated the seismic performance of a high-rise building with torsion mode through push-over analysis including nonlinear time history analyses. The damage conditions of RC structural members are defined considering the Eurocode definitions and general performance assessments of the building have been evaluated accordingly. Lead rubber bearings have been used for base isolation system. By using enough number of rubber bearings, the dominant torsion mode (first free vibration mode) has been shifted to higher modes. Various earthquake records have been used in non-linear dynamic analysis to evaluate the positive effects of the bearings. The results revealed that proper arrangement of rubber bearings in structural plan of ground floor can effectively improve dynamic behavior of a high rise building with torsional instability to achieve better seismic performance.

Keywords: performance; rubber bearing; pushover; time-history; torsional instability



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## 1. Introduction

Many either newly designed or existing buildings may suffer from the harmful effect of dominant high torsion modes in case of an earthquake mainly due to the asymmetric placement of vertical structural members particularly reinforced concrete shear walls in the structural plan of the building. In most cases due to architectural limitations, it is not easy to arrange the places of the structural members where it challenges structural design engineers and eventually this challenge may end up with large distance between mass and rigidity centers. Luck of design experience of the structural designers may also result in building plans with torsional instability. Several earthquake investigations show that torsion has substantial negative effect on the performance of buildings with increasing forces to its members and may cause collapse of the building [1] particularly for those buildings with low material qualities and improper reinforcement details [2]. Figure 1 [3,4] shows two buildings having torsion dominated behavior and heavily damaged during earthquakes where one of the buildings is just brand new before even accommodation where it clearly shows the poor engineering design. There are plenty similar examples of building failures from past earthquakes that show the effects of torsion failure. This clearly shows that buildings with torsional irregularity are more vulnerable under seismic influences compared to the regular buildings.



(b)

**Figure 1.** Failure of buildings due to torsional instability (Images by Idris Bedirhanoglu [3,4]). (**a**) Van earthquake, 2011 [3]. (**b**) Halabja earthquake, 2018 [4].

For those kinds of irregular buildings, the inelastic response models are more appropriate to understand seismic behavior the structural system. Inelastic strains should be considered in nonlinear models which allows suitable force-deformation material model in nonlinear dynamic analysis. Many variables may have different effects on the performance of the buildings particularly the ones with irregularities such as torsion. Force-based method (FBD) and displacement-based method (DBD) have been commonly used to evaluate the performance of the structures. The DBD method may give more realistic prediction of damage levels where this method directly provides plastic hinge deformations for the target displacement. Through combining this method to the capacity design principles, nonductile formations can be avoided and more economical outcomes can be achieved [5,6].

On the other hand, there are some studies regarding the torsion effect but studies on limiting the effect of torsion are very limited particularly for real buildings including shear walls. Athanatopoulou [7] investigated critical angle of the earthquakes on a virtual asymmetric structural plan. Fontara [8] used asymetric simple storey bulding for investigattion and it was found that seismic incident angle, ground-motion reference axes and seismic intensity level have important effects on the structural responses. Askouni [9] investigated the effect of soil-structure interaction on the behavior of symmetric and asymmetric RC framed buildings. Seo and Hun [10] used lead-rubber bearing (LRB) isolation systems with super elastic shape memory alloy (SMA) bending bars functioning as damper and self-centering devices. The research concluded that SMA bending bars provide more flexiblity and recentering force to the superstructure. Study by Buzuk [11] where 11 earthquake records were implemented in performance analysis of 24 story RC building shows that using Turkish Building Earthquake code (TBEC) [12] and Eurocode [13] produces parallel outcomes. Rahul [14] investigated effect of the height of the building on the torsional behavior of base isolation considering a small asymmetric plan, and it was observed that friction pendulum system has effectively decreased the torsional rotation when compared

to lead rubber bearing. It has also been observed that base isolation is less effective in case of near fault earthquakes and generally they concluded that base isolation will decrease the torsional amplification but still may lead to torques that cannot be ignored. In base-isolated structures, although the superstructure responses are reduced considerably by addition of the isolation devices to the structural system, torsional amplification may be important

flexibility [15]. There are some studies on eliminating the negative effects of irregularities including torsion are available. Adibramezani et al. [16] investigated torsional behavior of sample buildings having L shape plans. This study concluded that torsional moments can be decreased even in case with the large structural eccentricities and this reduction is more for lower story buildings. Naderpour et al. [17] investigated effect of hybrid control by combining base isolation and tuned mass dampers on the behavior of low and high-rise buildings. The results showed that influence of base isolation is much larger comparing to the influence of non-traditional tuned mass dampers. Shiravand and Ketabdari [18] observed that friction pendulum system balances the applied forces with mass of the building and prevent the occurrence of the torsion. As can be seen studies on mitigations of buildings with torsional irregularity are limited and mostly together use of lead rubber bearing, and friction pendulum system cases has been investigated. On the other hand, all the studies on the topic have used virtual sample plans which is far from representing real structural plans of existing high-rise buildings and some of the do not consider shear walls. It should be note that most of the design regulations requires a minimum certain amount of shear walls particularly for high-rise buildings. According to the best knowledge of the authors there is not any available studies in the literature that considered a real structure with shear walls and having torsional irregularity particularly high-rise structures with RC shear walls.

depending on the device and superstructure eccentricity as well as the lateral and torsional

This work mainly focusses on eliminating or decreasing the negative effect of torsion mode by using seismic isolation techniques. To alleviate the effect of torsion, the use of rubber bearing has been investigated through displacement-based performance analyses. This study is based on analysis of a constructed high-rise building with torsional issues which are caused by improper arrangements of RC shear walls during the design process. Buildings with and without having rubber bearings have been considered. User-defined plastic hinge model (see Section 3.2) has been used and response quantities are defined by strains and rotations. Performance analyses are performed by nonlinear static pushover procedure and time history analyses. The analysis mainly focusses on eliminating or decreasing the negative effect of torsion mode by using seismic isolation techniques.

#### 2. The Model Building System

An RC building with shear walls was designed asymmetrically which led to long distance between mass and rigidity centers has been analyzed to investigate its seismic performance under the effects of strong ground motions. The building has 14 stories including basement and one-story penthouse as seen in Figure 2. The slabs are flat with RC beams and the building is 49 m in height. The RC structural system is a frame system of columns and shear walls (Figure 2c). This building was constructed with a torsional irregularity due to pure engineering design. The building has 15 columns, 6 long shear walls and 18 short shear walls. The five of the long shear walls (>3 m) were placed in x-direction. To balance allocation of the shear walls in both directions, 12 short shear walls (<2 m) were placed in y direction, the rest were in x direction. The total length of the shear walls is 37 m in x and 30 m y direction. On the other hand, if the inertia moment is considered, the building is far from having equivalent rigidity in both directions. Therefore, this design approach has caused serious structural issues like torsional problem. Asymmetric rigidity of the shear wall system has deteriorated the torsional stability and furthermore shear walls were generally concentrated in the plan center of the building. Although the sectional areas of shear walls are almost the same in both directions (6.94  $m^2$  area in

x direction, 6.34 m<sup>2</sup> area in y direction), the total inertia moments of shear walls are  $I_y = 4.96 \text{ m}^4$  and  $I_x = 2.96 \text{ m}^4$ , where x and y are global axes. However, the shear walls should have been positioned in the outer of the building to prevent the torsional issues. This building was constructed in 2018 and many existing structures may have the same torsional instability problem.



Figure 2. Building model with columns and shear walls.

The building is discretized as given in Figure 2b to construct finite element model which is required in the analyses. Mesh areas are generated in three dimensions (3D) by using various mesh sizes. The mesh intervals have been assigned related with the size of the member in lateral and vertical direction. Material properties are taken from the structural project, the characteristic strength of concrete,  $f_c$ , is 25 MPa and the modulus of elasticity,  $E_c$  is 31 GPa. Steel bar parameters yield strength  $f_y$  is 420 MPa and steel modulus of elasticity  $E_s$  is 210 GPa. Furthermore, it is located in a high seismic zone of Turkey (city of Diyarbakir) and corresponding seismic design acceleration is 0.27 g. In order to determine the soil properties on which the structure was built, boreholes with a length of 20 m were drilled at four points, undisturbed samples were taken at different depths from each borehole, and index, classification, shear strength and consolidation tests were performed on the samples taken. In addition, a geophysical study was carried out by making seismic measurements at a depth of 30 m along two lines. The structure was built on a gravelly clay soil and there is no groundwater available. From the laboratory test results performed on the samples taken from the soil, the bearing capacity value of the soil

was determined as  $294.2 \text{ kN/m}^2$  and the bearing coefficient of was  $35,610 \text{ kN/m}^3$ . More details can be found in the reference [19].

In earthquake resistance designs, base isolation system has been commonly considered to restrict the inelastic damage. In addition, an isolation system enables lower cost solutions by shifting natural periods of the structural system and limiting the relative deformations and base forces.

In this manner, natural vibration periods can be kept in outside range of the dominant soil periods provoked by earthquake motions. Thus, resonance effects would be prevented by considering more flexible bearings. A proper isolation system provides more structural performance and lower seismic demand [6]. For this purpose, lead-rubber bearings (LRB) are added as an alternative solution to improve seismic performance and devices are placed between both ends of the column and shear-walls at the ground floor. The bearing system consisted of cover plates and rubber layers having steel shims where the configuration of the bearing device is given in Figure 3. The bearing properties such as bearing height ( $H_b$ ) are presented in Table 1.  $T_r$  is the total rubber thickness, *S* is the shape factor (the ratio of loaded area divided by force-free area). High shape factor values provide stiffer bearings, and the bearing stiffness has been considered through the following relations [20]:

$$K_d = \frac{G \cdot A}{T_r} \tag{1}$$

$$K_{eff} = \frac{F_{max}}{D_{max}} = K_p + \frac{Q}{D_{max}}$$
(2)

$$K_v = \frac{Ec \cdot A}{T_r} \tag{3}$$



(a) Section view of rubber bearing

Figure 3. Rubber bearing system.

Table 1. Characteristic of rubber bearings.

(b) Bearing behavior model

Bearing Type	Bearing Diameter (m)	<i>Н</i> <sub>b</sub> (m)	S-Shape Factor	<i>T<sub>r</sub></i> (m)	K <sub>d</sub> (kN/m)	K <sub>v</sub> (kN/m)	K <sub>eff</sub> (kN/m)
type-1	0.70	0.205	14.48	0.112	900	$261  imes 10^4$	1121
type-2	0.70	0.205	15.60	0.112	1200	$351  imes 10^4$	1464
type-3	0.85	0.230	14.58	0.137	1400	$328  imes 10^4$	1739

1

In Table 1,  $K_{d}$ ,  $K_{eff}$  and  $K_v$  are the post-yield, the effective and the vertical stiffness, respectively (Equations (1)–(3)). *A* is the rubber area and *G* is the shear modulus of rubber. *Q* is the characteristic strength and  $D_y$  is the yielding displacement.  $F_{max}$  and  $D_{max}$  are peak force and displacement in the isolation device, respectively. Rubber material can deform up to 400–500% and rubber bearings may be analyzed with the maximum shear-strain levels

of 150% [21]. To limit the shear displacement of a bearing, the maximum displacement capacity ( $\delta_s$ ,) is defined [22,23],

$$\delta_s = S_{a1} \cdot T_{eff} \cdot g / \left( B_M \cdot 4\pi^2 \right) \tag{4}$$

where,  $T_{eff}$  is the effective period of the building,  $S_{a1}$  is the design spectral response factor at T = 1 s, g is the gravity acceleration,  $B_M$  is the damping coefficient ( $B_M = 1.35$  for 14.8% effective viscous damping). Using this approach, the design displacement of the bearing is 0.428 m including torsional effects. Another restriction for maximum bearing displacement is also presented by 0.7 times of maximum shear strain value [24]. Additionally, a different shear displacement ( $\delta_s$ ) restriction is  $T_r \ge 2 \times \delta_s$  [25]. Bilinear behavior model is adopted for LRB devices in the inelastic analyses. As it is known, the seismic bearings seriously increase the free vibration periods of a structural system. While the fundamental period ( $T_1$ ) is 2.94 s for non-isolated building, this value has increased to  $T_1 = 3.89$  s for the isolated building. The vibration periods are comparatively presented in Table 2. Furthermore, the effect of rubber bearings is showed on an acceleration spectrum as seen in Figure 4. With increasing period values, lower spectral coefficients have appeared for the isolated building.

Table 2. Building vibration periods (s).

Туре	$T_1$	<i>T</i> <sub>2</sub>	$T_3$
isolated	3.89	3.78	3.65
non-isolated	2.94	2.75	2.55



Figure 4. Effect of bearing system on period the building.

#### 3. Performance Based Analysis

The structural design of buildings should compile with structural stability and integrity without total collapse even after a strong earthquake beside the life safety of people should be ensured. The traditional FBD procedure is known as strength-based method, and it considers the equal displacement principle with a force-reduction factor (R) or a ductility factor ( $\mu$ ). However, earthquake waves (time-varying and broad-banded) propagate in complex form and hence the FBD method may not precisely estimate the real performance levels and the inelastic response displacements during an earthquake. Disadvantages of FBD method led researchers to focus on the displacement-based method. On the other hand, the DBD method is based on inelastic material behavior and this method allows to obtain more economic and precise outcomes. The DBD method initially was introduced by Kowalsky and Priestly [26,27]. Afterwards, some reports were released of "Vision 2000: Performance based seismic engineering of buildings" (1995) [28]. The codes of "Seismic Evaluation and Retrofit of Concrete Buildings" [29] and "Prestandard and Commentary for the Seismic Rehabilitation of Buildings" [23] have been widely used as guidelines in performance assessments. While a structural damage is related to the strain capacity, plastic hinges provide valuable information of the damage mechanism. Performance based assessment targets for a performance objective (damage level based on a limit state) related with an earthquake hazard. This procedure predicts the displacement/rotation demand and calculates the structural member capacities. Namely, this effective method creates a relationship between forces and damages. Finally, the assigned performance criteria are assessed with reference to capacity values of the structural components.

#### 3.1. Moment-Curvature Relationship

All reinforced concrete columns and shear walls have different sizes where their heights are equal to 3 m. The Mander's model [30] has been used to calculate mechanical properties of confined concrete. The stress-strain curves of a sample column and shear wall sections are given for confined and unconfined concrete in Figure 5. The flexural and shear reinforcements are shown in Figure 6 for a center column. The ultimate failure (spalling) strain for the concrete cover,  $\varepsilon_{cs}$ , is considered as 0.0035 and the ultimate strain capacity of steel,  $\varepsilon_{su}$ , is defined as 0.08 with yielding strain ( $\varepsilon_{sy}$ ) of 0.0021. The strain hardening value,  $\varepsilon_{sh}$ , is considered by 0.011. According to the analysis, it is worth nothing to declare that crushing strain limit of the concrete is impotent in the structural response of the members. In RC members, the steel confinement enables high restriction in lateral deformations, and it provides a significant increase in ductility [31]. Thus, the ultimate strains, plastic rotations and core concrete strength capacities have been increased. Lateral confinement effect both in terms of ductility and strength provided by stirrups has been shown in Figure 5a,b.



(b) Shear wall configuration and stress-strain curve

Figure 5. Stress-strain curves for column and shear wall.



Figure 6. Moment-curvature relationship of a RC cross sections of a column and a shear wall.

Deformation capacity of columns and shear walls (critical sections) is an important benchmark in performance assessments. Furthermore, moment-curvature (M-Ø) analysis is realized, and force-displacements curves are defined by rotations and deformations. Axial forces have important effect on the behavior of RC sections and as known high forces cause to decrease section-ductility. In the analyses, gravity loads have been used to determined axial forces and they are assumed to be constant during the earthquake. The momentcurvatures are presented together with idealized form for a sample column and shear wall in Figure 6. Ultimate and yielding strains, rotations ( $\mathcal{O}_y$ ,  $\mathcal{O}_u$ ) and displacements ( $\Delta_y$ ,  $\Delta_u$ ) are calculated by considering elastic and plastic deformations. Member ductility ( $\mu_{\Delta}$ ,  $\mu_{O}$ ) of the considered column and the shear wall is given in Table 3 in terms of displacement and rotation, respectively.

Table 3. Building vibration periods (s).

Туре	Ø <sub>y</sub> (rad)	Ø <sub>u</sub> (rad)	Δ <sub>y</sub> (m)	$\Delta_u$ (m)	$\mu_{\Delta}$	μø
Column	0.0069	0.0122	0.0066	0.01	1.62	1.768
Shear wall	0.0158	0.0732	0.0024	0.0058	2.45	4.63

#### 3.2. Nonlinear Static Analysis

The nonlinear static analysis plays an important role in the safety evaluation of RC structures to ensure the seismic capacity of an existing building. In this study pushover analysis technique has been used for predicting inelastic displacements of the structural members. Valuable response information and damage levels of structural members have been derived.

Nonlinear static method (pushover) is an approximate procedure, and it uses iterative calculations and estimations to capture real inelastic behavior. The performance assessments related with pushover analysis are implemented by the capacity spectrum procedure [29], the displacement coefficient procedure [22] and the equivalent linearization technique [32]. Additionally, there are improved procedures known as modal pushover analysis was introduced to overcome deficiencies [33]. Furthermore, research by Aydinoglu 2003 [34] has been presented to improve the accuracy of the results by using incremental modal analysis. Although standard plastic hinge models are defined by many codes ([13,23,32]), a user-defined plastic hinge model (P-M2-M3) is used in the analyses as given in Figure 7. The hinge parameters are determined on the basis of sectional analysis and these values are given in idealized form in Table 4. A software package [35] is used for obtaining the performance of the building system. Three performance limits have been assigned for structural members: damage limitation (DL), significant damage (SD) and near collapse (NC).



Figure 7. Performance levels and hinge model.

Table 4. Performance values for a shear-wall and a column.

	Shear-Wall			Column	
Point	Force	Rotation	Point	Force	Rotation
В	1	0	В	1	0
С	1.24	0.019	С	1.048	0.028
D	0.2	0.019	D	0.2	0.028
Е	0.2	0.029	Е	0.2	0.038

Performance criteria are assigned according to plastic rotations in the structural elements. While the performance criteria are calculated for all members, and they are showed only for a shear wall and a column in Table 4. As seen from the Table 4, performance levels are assigned between yielding case (point B) and final section capacity (point E). In the failure zone (from point C to point D), moment capacity has decreased about 80% amount.

#### 3.3. Plastic Hinge Zone and Length

There are two equations for calculating the length of the plastic hinge depending on the method used to obtain the ultimate curvature [13]. The plastic hinge length  $(L_p)$  is,

$$L_p = \frac{L_V}{30} + 0.2h + 0.11 \frac{d_{bL} f_y}{\sqrt{f_c}}$$
(5)

where  $L_v$  is the shear span (the point of contra-flexure), *h* is the section-height and  $d_{bL}$  is the of tension bar. The chord rotation at yielding  $\theta_v$  is for beam and column [13],

$$\theta_{y} = \mathcal{O}_{y} \frac{L_{v} + \alpha_{v} z}{3} + 0.0014(1 + 1.5 \frac{h}{L_{v}}) + \frac{\varepsilon_{y}}{d - d'} \frac{d_{bL} f_{y}}{6\sqrt{f_{c}}}$$
(6)

where  $\alpha_{vz}$  is the tension shift of the bending moment and z is the effective sectional depth. The h, d and d' are sectional height, useful height and concrete cover. If shear cracking firstly expected then  $\alpha_v = 1$ , otherwise  $\alpha_v = 0$ . The yielding rotation for walls of rectangular, T, or barreled section [13]:

$$\theta_{\rm y} = \emptyset_{\rm y} \frac{L_v + \alpha_v z}{3} + 0.0013 + \frac{\varepsilon_y}{d - d'} \frac{d_{bL} f_y}{6\sqrt{f_c}} \tag{7}$$

For beam and column, the ultimate total rotation capacity ( $\theta_{um}$ ) is [13],

$$\theta_{um} = \frac{1}{\gamma_{el}} \ 0.016 \cdot (0.3^{\rm v}) \left[ \frac{\max(0.01;\omega')}{\max(0.01;\omega)} \ f_c \right]^{0.225} \cdot \left[ \min(9; \ \frac{L_v}{h}) \right]^{0.35} \ 25^{\left(\alpha \rho_{sx} \ \frac{f_{yw}}{f_c}\right)} 1.25^{100\rho_d} \tag{8}$$

where,  $\gamma_{el} = 1.5$  for primary seismic elements and  $\gamma_{el} = 1$  for secondary seismic elements, v is the ratio of axial forces (N) to axial strength. The parameters of  $\omega$  and  $\omega$  are mechanical ratio of the compression and tension steel bars in longitudinal direction.  $f_{yw}$  denotes the yield strength of the lateral confinements.  $\rho_{sx}$  is the steel ratio of confinement bars parallel to loading direction x and  $\rho_d$  is the steel ratio of the diagonal bars if applicable.  $\alpha$  denotes the effective factor for the confinement. In case of walls,  $\theta_{(um)} = 0.58 \times \theta_{(um)beam,column}$ . The part of plastic rotation,  $\theta_{um}^p$ , is [13],

$$\theta_{um}^{p} = \frac{1}{\gamma_{el}} \ 0.0145 \cdot (0.25^{\rm v}) \left[ \frac{\max(0.01;\omega')}{\max(0.01;\omega)} \right]^{0.3} f_{c}^{0.2} \cdot \left[\min(9; \frac{L_{v}}{h})\right]^{0.35} \ 25^{\left(\alpha \rho_{sx} \frac{f_{yw}}{f_{c}}\right)} 1.275^{100p_{d}} \tag{9}$$

where  $\gamma_{el} = 1.8$  for primary seismic elements and  $\gamma_{el} = 1$  for secondary seismic elements. In case of walls,

$$\theta_{um}^p = 0.6 \times \theta_{um}$$
 beam, column (10)

Performance limits used in the analysis are given in Table 5 for assessment of the building. These limits are directly related to the damage levels of the structural members.

Table 5. Performance limits for total deformation [13].

	Limit State (LS) (Total)										
Member	DL	SD	NC								
ductile primary	$\theta_{dl} \leq \theta_{v}$	$\theta_{\rm sd} \le 0.75 \theta_{(um-\sigma)}$	$\theta_{\rm NC} \le \theta_{(um-\sigma)}$								
ductile secondary	ui	$\theta_{\rm sd} \leq 0.75 \theta_{(um)}$	$\theta_{\rm NC} \le \theta_{(um)}$								

The performance criteria are computed for the considered building, and they are presented in Table 6 for some structural members.

				(a)					
		Se	ction Strains				C	Computed Cr	iteria
Column No	Section	L <sub>p</sub> (mm)	$M_y$ (kNm)	Øy	Øu	N (kN)	DL	SD	NC
1-2-3-4-12-13- 14-15	30/70	329.5	582.1	0.00689	0.09167	1837.6	0	0.01099	0.0146
8	30/70	329.5	531.9	0.00644	0.07968	1522.3	0	0.01096	0.01461
5-6-10-11	70/30	249.5	265.7	0.02040	0.22000	1984.8	0	0.01464	0.01951
7	35/80	349.5	836.1	0.00630	0.085065	2565.6	0	0.01145	0.01526
9	40/80	349.5	1022.8	0.00608	0.08200	2993.6	0	0.01181	0.01574
				(b)					
		Se	ction Strains				C	Computed Cr	iteria
Column No	Section	L <sub>p</sub> (mm)	$M_y$ (kNm)	Øy	Øu	N (kN)	DL	SD	NC
1-2-3-4-12-13- 14-15	30/70	249.5	257.36	0.0196	0.241	1837.56	0	0.01504	0.02
8	30/70	249.5	237.393	0.01805	0.212	1522.30	0	0.0148	0.0198
5-6-10-11	70/30	329.5	600.769	0.007	0.084	1984.83	0	0.01068	0.0142
7	35/80	259.5	403.3	0.0163	0.169	2565.6	0	0.01464	0.0195
9	40/80	269.5	525.7	0.0138	0.161	2993.590	0	0.01344	0.0179

Elastic design spectrum is assigned by site-spectral coefficients suggested by earthquake hazard maps. Peak spectral value is found as PGA = 0.27 g (peak ground acceleration), from seismic maps [36] for the building site. Local soil property of the seismic zone is considered as ZD (predominantly soft-to-firm cohesive soil) ( $V_{s30} = 180 \text{ m/s}$ ). Influence coefficients of local soil are  $F_s = 1.25$  and  $F_1 = 1.5$ . The building position to the active fault zone is more than 25 km and near-fault effects are neglected. Design spectrum is obtained on the basis of EC8-code [13] with 5% damping and the spectrum is given in Figure 8.



Figure 8. Design spectrum.

Structural damping increases with increasing inelastic displacements and this case reduces the earthquake forces. To show this influence, spectral reduction factors are applied over 5% damped elastic demand spectrum.

The spectral reduction factors ( $S_{FA}$ ,  $S_{FV}$ ) are obtained by following relations [23];

$$S_{FA} = \left[3.21 - 0.68 ln(\beta_{eff})\right] / 2.12 \qquad S_{FV} = \left[2.31 - 0.41 ln(\beta_{eff})\right] / 1.65 \qquad (11)$$

The value of effective damping,  $\beta$ eff, is 0.096 of critical damping and the reduction factors have been obtained as  $S_{FA} = 0.789$  and  $S_{FV} = 0.838$ . For lateral capacity, the building system is pushed by applying gradually increasing forces in horizontal direction. Pushover curves of the building are obtained and comparatively presented with capacity curves in Figure 9 in terms of base isolation effect. Target response values are determined by considering Eurocode design earthquake. As known, pushover curves describe the relationship between base forces against roof displacements. Thus, those curves provide valuable information about structural performance. Thereby, the performance targets can be defined with the corresponding forces and displacements by courtesy of pushover curve. Performance point (P) corresponds the intersection of structural capacity and reduced demand spectrum.



Figure 9. Pushover and capacity curves.

For obtaining the required structural performance, capacity spectrum method is used, and a transformation is realized from force-displacement (V-d) to spectral accelerationdisplacement (Sa-Sd). The capacity spectrum is comparatively shown with reduced demand function and the performance points (P) are seen in Figure 9b for isolated and fixed buildings. The nonlinear static analyses pointed that the performance levels are beyond the target displacement and thus the analyzed building has reasonable structural behavior. As a result, capacity of the building is enough to fulfill the earthquake displacement demand. The required performance values are  $\Delta_p = 0.156$  m and  $V_p = 5290$  kN and these response values such as spectral accelerations (Sa) and displacements (Sd) are given in Table 7. Likewise, the non-isolated system is also analyzed, and the responses are seen comparatively in the Figure 10a and Table 7. While the building capacity distinctly increase in initial zone for fixed base system, the isolation system has reduced the spectral acceleration (from 0.076 to 0.062) and increased the damping (from 0.087 m to 0.096). Thus, the isolation system has enabled lower base forces (from 5934 kN to 5290 kN) and quake demand. Nonlinear deformations define the capable of plastic displacements and rotations. Despite the isolation system has caused to higher roof-displacements (from  $\Delta = 0.477$  m to  $\Delta$  = 0.95 m), it has generally reduced the relative rotations and absolute accelerations.

Table 7. Performance requirements and spectral responses.

	Performance Values									
Building System	V (kN)	Δ <sub>p</sub> (m)	Sa	S <sub>d</sub> (m)	$eta_{ m eff}$	T <sub>eff</sub> (s)	Δ <sub>roof</sub> (m)			
Isolated	5289.85	0.156	0.062	0.116	0.096	2.743	0.95			
Non-isolated	5933.88	0.133	0.076	0.101	0.087	2.312	0.477			



Figure 10. Earthquake records.

For the isolated building, horizontal displacement ductility is obtained as  $\mu_{\Delta} = 3.0$  and for fixed system is  $\mu_{\Delta} = 2.20$ . For the design earthquake (EC8), building performance is in elastic zone for the target displacement levels. Generally, performance of a structure is related with earthquake demand and structural capacity. The performance levels of the studied building have been also determined for recorded ground motions and a design quake (EC8 code-based motion). The acceleration records of the mentioned quakes will be presented in the following section.

#### 3.4. Time History Functions

For obtaining the time-dependent deformations and inelastic responses, time history solutions have been implemented under generated and recorded strong earthquakes of Düzce 1999 and Kocaeli 1999, Erzincan 1992 earthquakes [37]. Furthermore, another simulated record has been generated compatible with EC8 design spectrum. The generated accelerations are illustrated in Figure 10.

#### 4. Building Performance Assessment

Seismic performance level of a building is defined by the damage levels in the structural members. In performance-based design processes, this concept requires to pre-assign a performance level for building performance. Afterwards, structural damage are determined for the considered earthquakes and plastic damage should be in acceptable limits according to the considered seismic code. In this study, the structural damage levels are comparatively obtained for the isolated and non-isolated building systems. In Table 8, number of damaged columns and shear-walls are presented for each performance intervals under effects of design quake. Since the intensity of the design-quake is moderate, the number of damaged members is very limited. The isolation system has almost resulted in undamaged elements for the buildings.

	Columns										near Walls			
	Non-Isolated Isolated									Non-Isolated Is			Isolated	
Floor Level	Number of Columns	DL-SD	SD- NC	>NC	DL-SD	SD- NC	>NC	Number of Shear Walls	DL-SD	SD- NC	>CP	DL-SD	LS-CP	>NC
1	15	0	0	0	0	0	0	24	1	0	0	0	0	0
2	15	0	0	0	0	0	0	24	0	0	0	0	0	0
3	15	0	0	0	0	0	0	24	0	0	0	0	0	0
4	15	0	0	0	0	0	0	24	0	0	0	0	0	0
5	15	0	0	0	0	0	0	24	0	0	0	0	0	0
6	15	0	0	0	0	0	0	24	1	0	0	0	0	0
7	15	0	0	0	0	0	0	24	1	0	0	0	0	0
8	15	0	0	0	0	0	0	24	1	0	0	0	0	0
9	15	0	0	0	0	0	0	24	0	0	0	0	0	0
10	15	0	0	0	0	0	0	24	0	0	0	0	0	0
11	15	0	0	0	0	0	0	24	0	0	0	0	0	0
12	15	3	0	0	0	0	0	24	0	0	0	0	0	0
Total	180	3	0	0	0	0	0	288	4	0	0	0	0	0

Table 8. Damage in columns and shear-walls for design earthquake.

For Düzce earthquake, decreasing in the number of damaged columns and shear-walls are seen in Table 9. For column members, there is a normal reduction in the damages of DL-SD intervals. The number of damaged columns in DL-SD interval has decreased from 12 to 9. No damages have been observed for SD-NC and beyond the CP level. However, a very strong reduction has been observed in the number of damaged shear-wall elements in case of base isolation system. The number of damaged members has dropped from 51 to 7 for DL-SD level and from 8 to 6 for NC level.

	Columns									She	ear Walls			
	Non-Isolated Isolated							Non-Isolated Isolated						
Floor Level	Number of Columns	DL-SD	SD- NC	>NC	DL-SD	SD- NC	>NC	Number of Shear Walls	DL-SD	SD- NC	>CP	DL-SD	LS-CP	>NC
1	15	0	0	0	0	0	0	24	6	0	0	3	0	0
2	15	0	0	0	0	0	0	24	4	0	0	0	0	0
3	15	0	0	0	0	0	0	24	3	0	0	0	0	0
4	15	0	0	0	0	0	0	24	6	0	0	1	0	0
5	15	0	0	0	0	0	0	24	6	0	0	1	0	0
6	15	0	0	0	0	0	0	24	6	0	0	2	0	0
7	15	0	0	0	0	0	0	24	6	0	0	0	0	0
8	15	0	0	0	0	0	0	24	6	0	0	0	0	0
9	15	0	0	0	0	0	0	24	4	0	0	0	0	0
10	15	1	0	0	0	0	0	24	2	0	0	0	0	0
11	15	1	0	0	1	0	0	24	2	0	0	0	0	0
12	15	10	0	0	8	0	0	24	0	0	0	0	0	0
Total	180	12	0	0	9	0	0	288	51	0	0	7	0	0

Table 9. Damage in columns and shear-walls for Düzce earthquake.

Table 10 shows the damaged columns and shear-walls for Erzincan earthquake. While there is no effective reduction in the damages of DL-SD intervals for column members, a significant decrease has developed in the number of damaged shear-wall elements by using rubber bearings. As it is seen from the table, the number of damaged members has decreased from 91 to 47 for DL-SD level and from 8 to 6 for NC level.

Table 10. Damage in columns and shear-walls for Erzincan earthquake.

			Colum			She	ar Walls								
Non-Isolated Isolated								Non-Isolated					Isolated		
Floor Level	Number of Columns	DL-SD	SD- NC	>NC	DL-SD	SD- NC	>NC	Number of Shear Walls	DL-SD	SD- NC	>CP	DL-SD	LS- CP	>NC	
1	15	5	0	0	6	0	0	24	16	0	1	14	0	1	
2	15	2	0	0	2	0	0	24	12	0	1	2	0	1	
3	15	1	0	0	1	0	0	24	4	0	1	2	0	1	
4	15	1	0	0	1	0	0	24	3	0	1	3	0	1	
5	15	1	0	0	1	0	0	24	3	0	1	2	0	1	
6	15	1	0	0	1	0	0	24	3	0	1	2	0	1	
7	15	2	0	0	1	0	0	24	5	0	1	1	1	0	
8	15	2	0	0	2	0	0	24	10	0	1	3	0	0	
9	15	3	0	0	2	0	0	24	10	1	0	5	0	0	
10	15	4	0	0	3	0	0	24	12	0	0	4	0	0	
11	15	3	0	0	3	0	0	24	5	0	0	4	0	0	
12	15	15	0	0	15	0	0	24	8	0	0	5	0	0	
Total	180	40	0	0	38	0	0	288	91	1	8	47	1	6	

The effect of isolation system is also studied in terms of damages in beam elements by considering Erzincan earthquake. Table 11 shows the variations in the damaged beams of the considered building. For low damage levels, no distinct reductions have been observed. On the other hand, the number of damaged beams in the SD-NC intervals has seriously decreased from 108 to 87. However, the reduction in the damage level NC is observed as powerful. From the table, the number of collapsed beams has dropped from 45 to 22. This reduction in beyond NC level is very important because severe damages are seen in this region and this case is undesirable behavior (leads to total collapse risk) in structural stability.

In design of structural systems, the lateral displacement capacity of rubber bearings modifies significantly the dynamic behavior because much more flexible bearings prolong the vibrational periods. From past earthquakes, it has been observed that capacity of the isolation devices could be inadequate in case of a strong ground motion. The maximum bearing deformations are computed for all ground motions considered and they are presented in Table 12. The maximum displacements of the lead-rubber bearings are obtained as 0.139 m for Kocaeli quake and 0.124 m for Erzincan quake. On the other hand, maximum deformations in the bearings are not allowed to exceed the acceptable limits

given by seismic codes or manufacturers. The maximum shear strains ( $\gamma_s$ ) of the bearings are limited by 150% (Caltrans v2.0). The deformation demand values given in Table 12 are compared with the allowable deformation limit (0.168 m) given by the Caltrans-code and the bearing maximum displacement capacity is determined as 0.41 m by manufacturer company. Peak rotations in the bearings are limited by  $\theta_{max} = \sigma_b T_r^2/(0.5GSL^2)$  where  $\sigma_b$  is the axial stress in the bearing and L is the bearing length in the direction of load application. By considering the most unfavorable cases, the allowable maximum rotation is restricted by 0.079 rad. In the analyses, the maximum bearing rotation is found as 0.006 in Kocaeli quake loading. While the rotations in the bearings are also in acceptable ranges for all earthquakes, the peak demand displacement in the Kocaeli quake is in the region close to the allowable limit. Consequently, the rotations are generally within the acceptable range and the shear deformations of the bearings are also lower than the limit values. As a result, the designed bearings are seemed to be adequate to reduce the seismic responses including torsional effects.

			Colum	ns			
				Non-Isolated	đ	Isola	ated
Floor Level	Number of Beams	DL-SD	SD-NC	>NC	DL-SD	SD-NC	>NC
1	63	46	10	3	47	9	0
2	63	40	10	6	43	10	3
3	63	51	10	6	43	9	4
4	63	41	10	7	42	9	4
5	63	39	10	7	41	9	4
6	63	42	10	6	42	9	4
7	63	44	11	4	42	11	2
8	63	43	11	4	47	7	1
9	63	45	9	2	48	6	0
10	63	49	8	0	48	4	0
11	63	49	6	0	48	3	0
12	63	44	3	0	41	1	0
Total	756	533	108	45	532	87	22

Table 11. Damage in beams for Erzincan earthquake.

Table 12. Bearing peak responses.

Quake	δ <sub>max</sub> (m)	γ <sub>i</sub> (%)	$\theta_{max}$	V <sub>max</sub> (kN)
Düzce	0.051	30	0.003	160.7
Erzincan	0.124	61	0.003	246.8
Kocaeli	0.139	68	0.006	258.9
Design	0.021	5	0.001	127.4

For earthquake loadings, hysteretic behaviors indicate the energy consumption capacity absorbed by a structural member. In Figure 11, the hysteretic responses of the bearings are presented in terms of lateral displacements ( $\delta$ ) and rotations ( $\theta$ ) under effects of the earthquakes. Among the considered earthquakes, the peak hysteretic responses are obtained from Kocaeli earthquake for shear force ( $V_{max} = 259.0 \text{ kN}$ ) and displacement value ( $\delta_{max} = 0.139 \text{ m}$ ). The maximum bearing displacement has occurred in the first floor and this peak displacement value ( $\delta_{max} = 0.139 \text{ m}$ ) is lower than design displacement o(0.168 m) of the bearing. As the intensity of the earthquake decreases, behaviors close to linear are observed as seen in the design earthquake. On the other hand, plastic rotations occur on a wide scattering zone under effects of ground motions. In the strong quakes, a wider distribution has occurred in the hysteretic curves that indicating nonlinear behavior and higher damping.



Figure 11. Bearing hysteric loops for Erzincan EQ.

The isolated building is also investigated in terms of seismic base responses and roof displacements as seen in Figure 12. The decreases in the seismic base forces have appeared more distinctly in the early stages of the ground motion. From the response variations, the isolation system has effectively reduced the total base shear forces from  $V_{max} = 10,919$  kN to  $V_{max} = 7971$  kN for Erzincan earthquake and  $V_{max} = 19,171$  kN to  $V_{max} = 14,694$  kN for Kocaeli earthquake. Significant reductions in lateral seismic responses have developed approximately 39% (Design quake), 30% (Erzincan) and 23% (Kocaeli). On the hand, the roof displacements have increased as it is expected due to more flexible superstructure. As an example, the increase in the roof displacements is about 9%.





In terms of torsional effects, floor displacements of the roof slab are examined, in x-y plane, with reference to the deviations between the displacements of the corner joints. While the maximum displacement deviation is 9.5 cm for non-isolated building, this displacement deviation has occurred as 4.3 cm for the isolated building. The effective reduction in the relative joint displacement on the same floor is around 55% and this improvement has proven that the isolation system is an effective tool against to seismic effects and torsional irregularity. In seismic performance assessments, relative floor displacements are pioneer indicators of damage levels. To show relative influences, floor displacements of the analyzed building are illustrated in Figure 13 along the building height.

From a general point of view, the base isolation system has effectively prevented undesirable relative large displacements. Since the isolation devices have been mounted on 1st floor, large relative displacements are expected on this floor due to LRB deformations. But in direction of x, where more stiffer frames, the LRB effects have appeared differently depending on the severity of the earthquake as well. For strong quakes, while lower displacement demands have occurred on the middle floors of the isolated building, higher relative displacements have resulted in on the top floors in case of more structural stiffness. For moderate quakes, the isolation system has increased the relative displacements on the middle floors and decreased forcefully the displacements in the top floors. The results showed that the usage of the isolation system has seriously caused to different changes in the seismic responses. Decreases in the relative displacements show that the building has gained improvements to meet earthquake demands. In Figure 13, it has also proven that how the values of relative displacements of the floors are decreased by means of the isolation system.







Figure 13. Cont.



Figure 13. Bearing effect on the relative floor displacements.

The differentiations in dimensions and positions of structural members have caused torsional irregularity. To determine the severity of this influence, a torsional irregularity coefficient ( $\eta_c$ ), generally given by the seismic codes (TBEC-2018 [12], AASHTO [24], EC8 [13] and etc.), has been defined as,

$$\eta_c = \delta^f_{\max} / \delta^f_{ave}$$
 and  $\delta^f_{ave} = (\delta^f_{\max} + \delta^f_{\min})/2$  (12)

where  $\delta^{f}_{max}$ ,  $\delta^{f}_{min}$  and  $\delta^{f}_{ave}$  are the maximum, minimum and average displacements, respectively, of a considered floor. In Figure 14, the computed irregularity criteria have been illustrated for floor displacements under effects of Erzincan and design quakes. As seen, the base isolation system has partly improved the torsional irregularity. As an example, the irregularity coefficient has strongly dropped from 1.45 to 1.34 (about 7.6%) for the roof floor in case of Erzincan earthquake. In case of design quake, despite reductions in the irregularity coefficients for lower floors, it has been observed the increases in the upper floors. This means that, the responses of LRB devices develop depending on the frequency content of the ground motion. In fact, structural properties, soil layer properties, bearing characteristics and ground motion frequency-contents are coupled parameters. Therefore, the design and usage of seismic bearings requires special attentions due to complex relationships. However, better solutions can be achieved by determining the optimum characteristics of a LRB device, but this procedure requires extensive case studies and research.



Figure 14. Variation of torsional irregularity for the seismic effects.

The obtained results showed that the torsional irregularity of a building can be improved or modified by using a base isolation system.

On the other hand, floor displacements and rotations are important damage indicators for torsional irregularity. The average displacements and maximum rotations of the roof floor are given in Table 13 by considering various earthquakes. Thanks to isolation system, very effective reductions have occurred in the floor displacements and especially in the rotations. Alternatively, though adding mass or new structural members to an available structure can be implemented to limit torsional irregularity of a building, however, it should not be disregarded that the increase in the mass produces undesirable higher seismic forces.

Table 13. Floor relative average displacements and maximum rotations.

Quake	$\delta^{f}_{ave}$ (m)			θ <sup>f</sup> <sub>max</sub> (×10 <sup>-3</sup> )			
	Non-Isolated	Isolated	<b>Reductions</b> %	Non-Isolated	Isolated	<b>Reductions</b> %	
Erzincan	0.027	0.023	14.8	$6.63 imes10^{-3}$	$4.11  imes 10^{-3}$	25.2	
Kocaeli	0.035	0.030	14.3	$8.90 imes10^{-3}$	$7.65 imes10^{-3}$	14.0	
Design	0.009	0.005	44.4	$2.47 imes10^{-3}$	$0.93  imes 10^{-3}$	62.3	

Finally, an overall performance framework has been drawn up for the considered ground motions. In Table 14, the performance levels of critical structural members, columns and shear walls, are listed with maximum rotations in terms of number of vulnerable elements. For seismic base shear force, a dimensionless response factor ( $V_{bsc}$ ) stating the ratio of  $V_{\rm b}/W$  is defined for each earthquake loading.  $V_{\rm b}$  is the total base shear force and W is the building weight. As seen from Table 12, effective decreases have occurred in the base forces by means of LRB devices. Reduction percentages in the base forces have resulted in the range of 20.2–39.1%. Decreases in roof displacements have been observed up to 48.4% and 37.5% reductions in relative roof displacements. From the inspection of the damage, the shear walls have showed larger damage compared to columns. Because there is no any damaged column in the collapse zone. In addition, damage beyond the collapse prevention also has developed apart from the damages in SD-NC range. However, valuable decreases in the damages are seen with the use of the base isolation system. For Kocaeli earthquake, the number of heavily damaged elements has dropped from 6 to 4 for the SD-NC level and the collapsed members from 9 to 6 for beyond the NC level. In slightly damaged zone (DL-SD), the number of elements has dropped from 110 to 55. The plastic rotations have generally dropped in considerable quantities (up to 15%) but in case of the strongest earthquake (Kocaeli 1999) this variation has reversed for shear walls and the maximum plastic rotations have increased up to 12%.

Loading	V <sub>BSC</sub> %	$\delta_{ m relative}$	$\delta_{roof}$	Columns		Shear Walls			$\theta_{max}$ (rad)	
			(m)	(DL-SD)	(SD-NC)	(DL-SD)	(SD-NC)	(>NC)	Column	Shear-Wall
Kocaeli Ex isolated	13.25	0.012	0.708	22	0	54	0	0	0.0109	0.0083
Kocaeli-Ex fixed	17.26	0.014	0.64	32	0	88	1	2	0.0125	0.008
Kocaeli E <sub>v</sub> isolated	13.43	0.009	0.764	33	0	65	4	6	0.00806	0.014
Kocaeli-É <sub>v</sub> fixed	16.44	0.011	0.718	39	0	110	6	9	0.0095	0.0125
Design E <sub>x</sub> <sup>'isolated</sup>	5.88	0.002	0.126	2	0	0	0	0	0.00016	0
Design E <sub>x</sub> fixed	9.6	0.005	0.15	3	0	0	0	0	0.00228	0
Design E <sub>v</sub> isolated	5.47	0.001	0.126	0	0	0	0	0	0	0
Design E <sub>v</sub> fixed	6.78	0.002	0.129	3	0	4	0	0	0.00074	0.00029
Duzce E <sub>x</sub> isolated	8.63	0.005	0.269	9	0	7	0	0	0.00312	0.00057
Duzce E <sub>x</sub> fixed	11.9	0.008	0.261	12	0	51	0	0	0.0044	0.0019
Duzce E <sub>v</sub> isolated	12.22	0.004	0.294	12	0	8	0	0	0.002	0.000459
Duzce É <sub>v</sub> <sup>fixed</sup>	15.84	0.006	0.273	18	0	28	0	0	0.0037	0.00205
Erzincan $\dot{E_x}^{isolated}$	7.18	0.013	0.708	22	0	59	0	0	0.0107	0.0064
Erzincan E <sub>x</sub> fixed	9.84	0.016	0.702	27	0	76	1	0	0.0118	0.0066
Erzincan E <sub>v</sub> isolated	6.04	0.01	0.708	38	0	47	1	6	0.0108	0.0108
Erzincan $\acute{E}_y$ fixed	8.63	0.013	0.719	40	0	91	1	8	0.0127	0.0125

Table 14. Demand values and building performance.

#### 5. Conclusions

This study has investigated the seismic performance of an existing high-rise building having torsion irregularity. For improvement, lead rubber bearings have been designed considering forces in shear walls and columns and incorporated into the building to modify the superstructure's deformations under effects of recorded and simulated earthquakes. Main target is to improve seismic performance of the building by eliminating the harmful torsion effects and decreasing the seismic forces. The 14 storey RC building with frame-shear wall system has been analyzed by nonlinear pushover and time history analyses to minimize the torsional insatiability problem. User-defined plastic hinges have been used for force-displacement relationships where these hinges have yielded reasonable results. The user-defined plastic hinge model is constructed with performance criteria of DL = 0, SD =  $0.75\theta_{um-\sigma}^p$  and NC =  $\theta_{um-\sigma}^p$ .

The main conclusions based on the analyses are summarized by the following findings:

- 1. The torsional irregularity is mainly caused by asymmetric placement of the shear walls in floor plan. Since center of mass of the investigated building differs greatly from center of rigidity, torsional effects have become very important factor over the seismic responses.
- 2. To minimize torsional effects, proper design and placement of shear walls are more critical than design of alternative techniques such as rubber bearings. Therefore, special attentions should be paid in design process for preventing possible torsional issues.
- 3. The base isolation system has partly improved the torsional irregularity. By using the rubber bearings, the torsional irregularity coefficients have remarkably dropped up to 7.6% for Erzincan earthquake and 10.7% for Kocaeli earthquake. In arrangement of bearings, the center of bearings should be coincided with mass-center of the structure in plan as much as possible. Some different displacement fluctuations in the responses have been observed and because the responses of LRB devices developed depending on the frequency content of the ground motion.
- 4. It should be pointed that the seismic performance of the high-rise building has distinctly increased thanks to later installed rubber bearings. Although the undesirable torsional effects have decreased for the considered building, these effects may drastically increase for some buildings in case of unfavorable structural rigidity and soil conditions.
- 5. The total base shear force effectively decreased with installment of base isolation system. A dimensionless response factor for seismic base shear force ( $V_{bsc}$ ) stating the ratio of  $V_b/W$  is obtained to assess the isolation effects on the seismic forces. Reduction percentages in the base forces have resulted in the range of 20.2–39.1%.

Decreases in roof displacements have been observed up to 48.4% and 37.5% reductions in relative roof displacements.

- 6. Thanks to isolation system, very effective reductions have occurred in the floor displacements and especially in the rotations. Average relative floor displacements have decreased about 44.4% for design quake and 62.3% reductions for rotations.
- 7. The effective reduction in the relative joint displacements on the same floor has developed up to 55% which shows how the values of relative displacements of the floors have decreased by means of the isolation system.
- 8. Performance levels of the critical structural elements have been obtained for the considered ground motions. Valuable decreases in the damage have been seen with the use of the base isolation system. For the Kocaeli earthquake the number of heavily damaged elements has decreased from 6 to 4 for the SD-NC level and the collapsed members from 9 to 6 for beyond the NC level. The number of elements in slightly damaged zone (DL-SD), has decreased substantially from 110 to 55. The plastic rotations have generally limited in considerable quantities (up to 15%) but in the strongest earthquake (Kocaeli 1999) this variation has reversed for shear walls and the maximum plastic rotations have increased up to 12%.
- 9. The peak displacements of the LRB devices are 0.139 m for the Kocaeli earthquake and 0.124 m for Erzincan earthquake. The seismic deformation demand values of the LRB devices are the allowable design limit of 0.168 m where the LRB maximum displacement capacity is determined as 0.41 m by manufacturer company. While the peak shear strains ( $\gamma_s$ ) of the LRB are limited by 150%, the maximum shear strain has been obtained as 68% for the strongest earthquake.
- 10. With reference to the most unfavorable cases, the maximum allowable rotation of the LRB configuration is taken by 0.079 rad. In the analyses, the maximum bearing rotation is found as 0.006 in the Kocaeli EQ loading. While the rotations in the bearings are also in acceptable ranges for all earthquakes, the peak demand displacement in the Kocaeli EQ is in the region close to the allowable limit.
- 11. It is important to note that although the analyses could present good performance for the LRB devices, deformations in bearings can exceed the allowable limits in case of a strong ground motion. Therefore, bearing displacement capacity plays a crucial role in designs and this critical issue should be checked for bearing rotations as well.
- 12. The results have been presented here are only for the considered structural parameters and recorded ground motions. To generalize the results of the study, future research can focus on buildings that have various number of stories with different columns and shear wall types.
- 13. In this study, the LRB devices have been designed directly to meet seismic demand forces. However, the results showed that the responses of LRB devices develop depending on the amplitudes and frequency contents of the ground motion. Investigating the optimum characteristics of LRB devices to find the more accurate solution would further limit damage and effectively minimize torsional effects.

The results of this research can guide structural engineers to develop a solution technique against torsional effects by adding rubber bearings. A framework has been built and it could be used for different building models to be studied by researchers to develop the sustainable buildings.

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